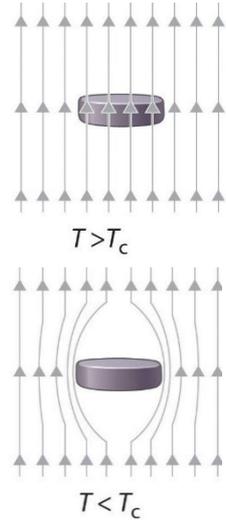
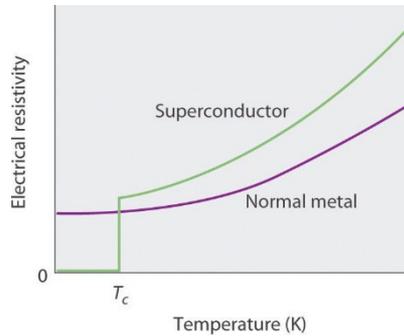


Presentation of a research project

Searching for Room Temperature Superconductors



A disk made of a so-called high- T_c superconductor, namely $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ ($T_c = 90 \text{ K} = -183 \text{ }^\circ\text{C}$), was immersed into liquid nitrogen ($T = 77 \text{ K} = -196 \text{ }^\circ\text{C}$) and levitates now above an array of four permanent magnets which create an inhomogeneous magnetic field

Images from

<https://flatworldknowledge.lardbucket.org/books/principles-of-general-chemistry-v1.0m/s16-07-superconductors.html>

Version 51 from 22 October 2023

Dr. Frank Lichtenberg / Physicist

<https://novam-research.com>

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This paper in form of a presentation comprises 186 pages, a content overview, and can be downloaded as pdf via the following link (file size about 11 MB):

https://novam-research.com/resources/Research_Project_Room_Temperature_Superconductors.pdf

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Notes:

References to specific pages or parts in this paper appear in red color such as “see **page 67**” or “see **part 1.4**”. That facilitates their adjustment in case of a modified or updated version of this presentation

The most common units of temperature T are K (Kelvin) and °C (degree Celcius). They are related by a simple conversion formula, namely

$$T [K] = T [^{\circ}C] + 273 K$$

Preface

The interesting and fascinating physical phenomenon of superconductivity appears, until now, only at very low temperatures and therefore its technical application is limited to relatively few areas. If it is possible to create materials which are superconducting at room temperature, then this could initiate a revolution in science and technology. This slide set presents some basics, research results, ideas, hypotheses and approaches

1 Superconductivity

1.1 Introduction

1.2 Applications

1.3 Superconductivity as a quantum physical phenomenon

1.4 Verification of superconductivity by zero resistance and the so-called Meissner effect & Levitation / suspension of a superconductor in an inhomogeneous magnetic field

1.5 Superconducting materials with a relatively high transition temperature T_c and the vision of superconductivity at room temperature

1.6 Do man-made room temperature superconductors already exist ?

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Superconductivity is a special physical phenomenon of some materials which appears below a material-specific low temperature T_c

- The superconducting state shows several special features such as
 - Electrical DC resistance disappears, i.e. lossless DC current transport
 - Superconductor levitates above magnets or vice versa

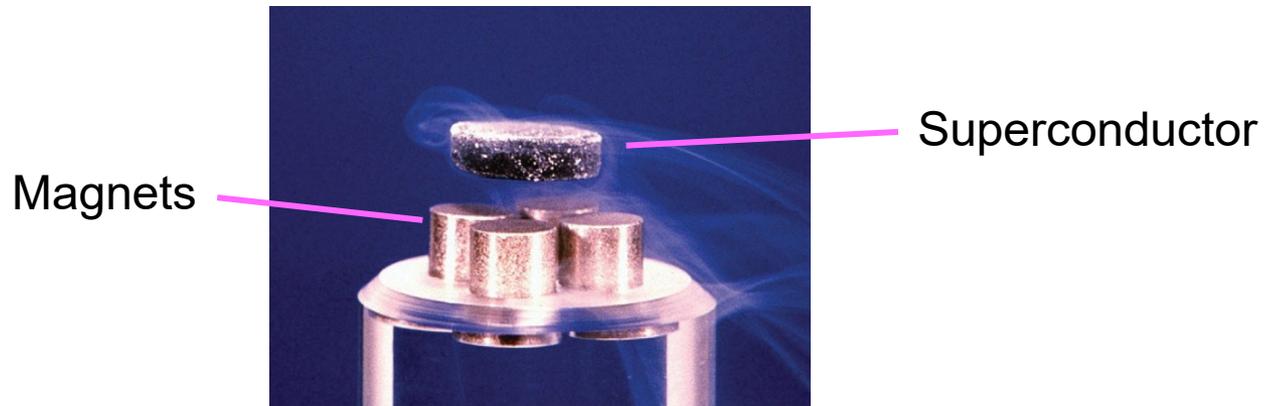


Image from

<https://flatworldknowledge.lardbucket.org/books/principles-of-general-chemistry-v1.0m/s16-07-superconductors.html>

- Superconductivity is very interesting for science, research, and technology
- Cooling down to low temperatures is inconvenient
→ Desirable is a T_c which is as high as possible
- For decades the alloy Nb_3Ge was that material with the highest T_c , namely 23 K (-250 °C), and the search for materials with higher T_c was unsuccessful

Superconductivity – 1986 surprising breakthrough in Switzerland concerning higher T_c and type of materials

- J. G. Bednorz and K. A. Mueller from the IBM Zurich Research Laboratory discovered in oxides $(La,Ba)_2CuO_4$ superconductivity with $T_c = 35\text{ K}$ (-238 °C), i.e. 12 K (12 °C) higher than that of Nb_3Ge . For their discovery they received in 1987 the Nobel Prize in physics.



K. A. Mueller
and
J. G. Bednorz

Image source:

<https://www.news.uzh.ch/de/articles/2006/2005.html>

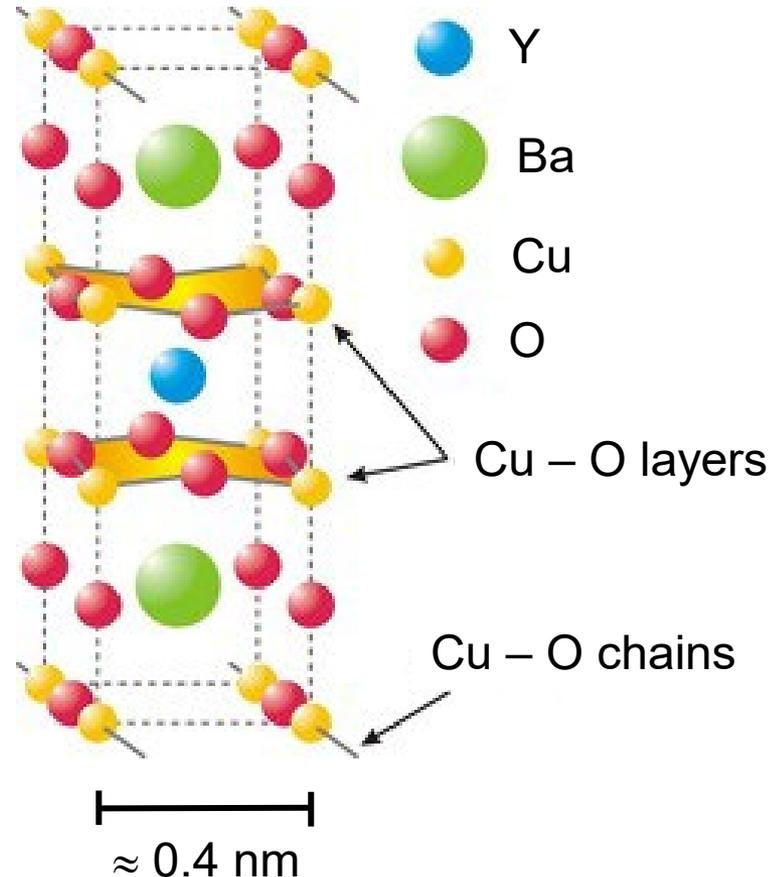
- Worldwide avalanche of research activities of unprecedented extent
 - ⇒ Discovery of further oxides with higher T_c which are likewise based on copper (Cu), e.g. $YBa_2Cu_3O_{7-\delta}$ with $T_c = 91\text{ K}$ (-182 °C) which can be cooled by liquid nitrogen (77 K) (-196 °C) in a relatively simple and cost-effective way
 - ⇒ March 1987 in the New York Hilton Hotel: Meeting of about 2000 physicists owing to superconductivity, known as “Woodstock in Physics”.
Wave of enthusiasm due to superconductivity !

Nobel lecture of J. G. Bednorz and K. A. Mueller:

<https://www.nobelprize.org/uploads/2018/06/bednorz-muller-lecture.pdf>

Crystal structure (crystallographic unit cell) of the high- T_c superconductor $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$

- Layered crystal structure
- $T_c = 91 \text{ K}$ ($-182 \text{ }^\circ\text{C}$) and thus its superconductivity can be maintained in a relatively simple and cost-effective way by using liquid nitrogen which has a temperature of 77 K ($-196 \text{ }^\circ\text{C}$)
- T_c depends on the oxygen deficiency δ . The highest T_c is obtained for $\delta \approx 0.07$



$$1 \text{ nm} = 10^{-6} \text{ mm} = 0.000001 \text{ mm}$$

Image source:

www.fom.nl/live/imgnew.db?55473

(Superconducting) Materials – Metals or metallic alloys versus oxides

Examples of flexible manifestations of the metal and chemical element niobium (Nb) which is also a conventional or classical low- T_c superconductor with $T_c = 9 \text{ K}$ ($- 264 \text{ }^\circ\text{C}$). If it is needed in the superconducting state, then it will be cooled by liquid helium whose temperature is $T = 4 \text{ K} = - 269 \text{ }^\circ\text{C}$



Niobium wire (1)



Niobium foil (2)

Image sources: (1) <http://www.chemistrylearner.com/wp-content/uploads/2017/11/Niobium-Wire.jpg>
(2) <https://5.imimg.com/data5/SELLER/Default/2021/4/KH/PN/UC/583179/niobium-foil.jpg>

Such flexible manifestations does not exist for oxides because oxides are brittle ceramic materials ...

(Superconducting) Materials – Metals or metallic alloys versus oxides

Examples of manifestations of oxides



Crystals



Thin films and heterostructures



Powder



Polycrystalline parts made of powder which was pressed or molded, sintered, and, if necessary, machined



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Superconductivity – Applications

Areas of applications depend on the chemical and mechanical properties of the superconducting material (raw materials, preparation, processing ...) and the specific features of the superconducting state

Examples of already realized or potential applications of superconductors:

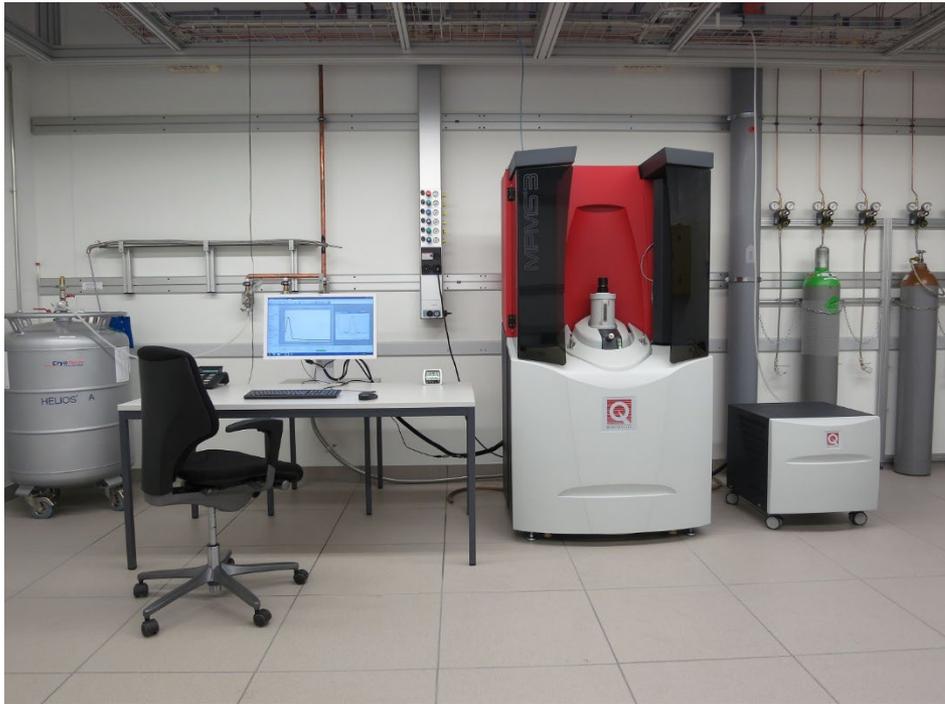
- Measurement and sensor technology: Detection of very weak magnetic fields, e.g. for materials testing, searching for ores, medicine
- Motors (e.g. for ship propulsion)
- Magnetic levitation trains
- Strong electromagnets (e.g. for separation of ores)
- Cables for current transport
- Electronics or superconducting electronics in general
- Microwave filters
- Generators
- Cables for current transport
- Computer technology
- Electrical engineering in general

Examples of papers:

- Search for New Very High Temperature Superconductors From an Applications Perspective, M. R. Beasley, IEEE Transactions on Applied Superconductivity 23 (2013) , <http://dx.doi.org/10.1109/TASC.2013.2241173>
- High-Temperature Cuprate Superconductors Get to Work, A. P. Malozemoff, J. Mannhart, and D. Scalapino, Physics Today 4 (2005) 41 – 47

Superconductivity – Applications

An example of applications of classical low- T_c superconductors is a so-called SQUID magnetometer which is used for the measurement of magnetic properties of materials. SQUID stands for Superconducting QUantum Inteferece Device and it allows the detection of small magnetic moments of a sample which is placed in an external magnetic field.



SQUID magnetometer MPMS3 from the company Quantum Design in a lab of the Department of Materials of the ETH Zurich. Image from <https://dx.doi.org/10.3929/ethz-a-010817148>

Among others a SQUID magnetometer comprises a superconducting magnet which generates the external magnetic field and a SQUID. These both components are made of the chemical element niobium (Nb) which is a metal and superconducting below 9 K (- 264 °C). Therefore the superconducting magnet and the SQUID are cooled by liquid helium whose temperature is 4 K (- 269 °C). The SQUID magnetometer which is shown in the picture is extensively presented in part 13 of a publication whose doi link is provided on the left

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Superconductivity – A quantum physical phenomenon

- Superconductivity does not only mean DC resistance $R = 0$ but comprises other phenomena, e.g. special magnetic properties like the so-called Meissner effect (see [part 1.4](#)), which cannot be explained solely by $R = 0$
- For the verification of superconductivity see [part 1.4](#)
- Peculiar quantum physical state of the so-called conduction electrons
- Conduction electrons: delocalized • responsible for the metallic behavior of the electrical resistivity • energetically located in close vicinity to the highest occupied states / energies, i.e. in the vicinity of the so-called Fermi energy
- Conduction electrons form pairs, so-called Cooper pairs, which consist of 2 electrons
- Cooper pairs form a coherent state (Bose-Einstein condensation) so that the electrons have a strong tendency to behave in the same manner or to stay in the same state
- Pair formation requires an attractive interaction between the electrons which usually repel each other because of their negative electric charge ...

Superconductivity – A quantum physical phenomenon

- Attractive interaction under special conditions which are realized in some materials
 - e.g. via the so-called electron-phonon interaction, i.e. the interaction between negatively charged electrons and the oscillations of the positively charged ions of the crystal lattice
 - Another possibility via electron-electron interactions at the so-called excitonic superconductivity, see [part 2.3.3](#)
 - Another suggestion: Superconductivity as a condensate of ordered zero-point oscillations of the conduction electrons
See paper by B. V. Vasiliev, published in arxiv.org as arXiv:1009.2293v5 [physics.gen-ph] 13 October 2011:
https://arxiv.org/PS_cache/arxiv/pdf/1009/1009.2293v5.pdf
See also <https://arxiv.org/abs/1009.2293>
and an article published in Physica C 471 (2011) 277.
Thanks to Dr. Felix Scholkmann for the communication of this paper
- For many superconductors, especially for the Cu-based high- T_c superconductors, it is not yet clarified how the superconductivity comes about

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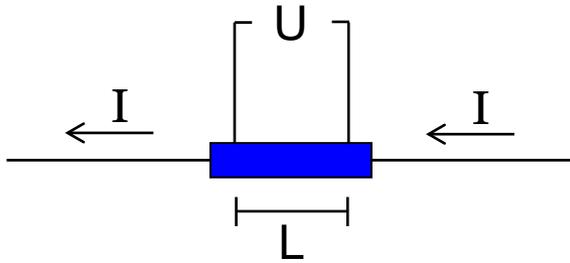
1.5 Superconducting materials with a relatively high transition temperature T_c and the vision of superconductivity at room temperature

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The verification of superconductivity: The first of two essential features

Zero resistance

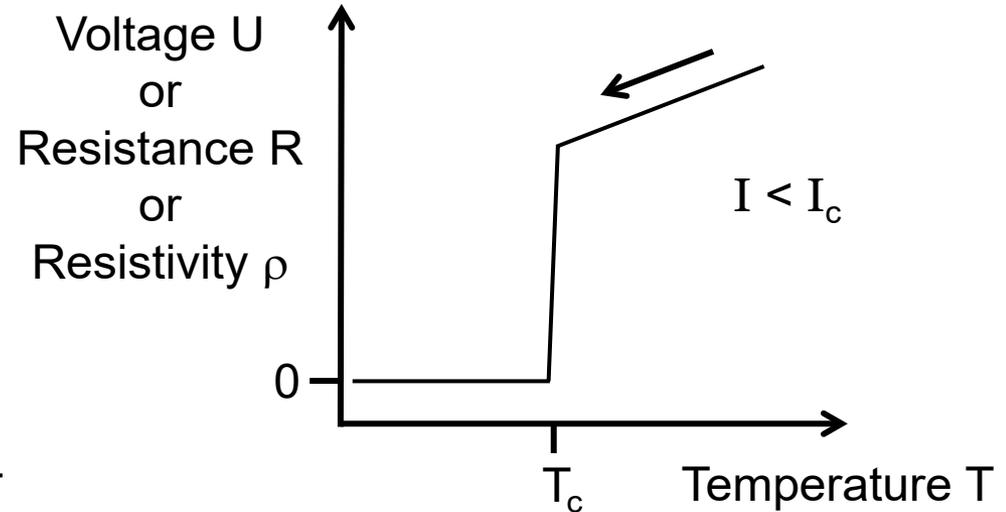
DC current I through sample: Measurement of voltage drop U at various temperatures



$$\text{resistance } R = \frac{U}{I}$$

$$\text{specific resistance or resistivity } \rho = R \frac{A}{L}$$

$$\text{current density } j = \frac{I}{A} \quad L = \text{length} \quad A = \text{cross sectional area}$$



Notes: For $I > I_c$ or $j > j_c$ the superconductivity disappears

I_c or j_c is the so-called critical current or critical current density

For example, for $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ the critical current density j_c at $T = 77 \text{ K}$ ($-196 \text{ }^\circ\text{C}$) is of the order of 10^6 A/cm^2

The verification of superconductivity: The second of two essential features

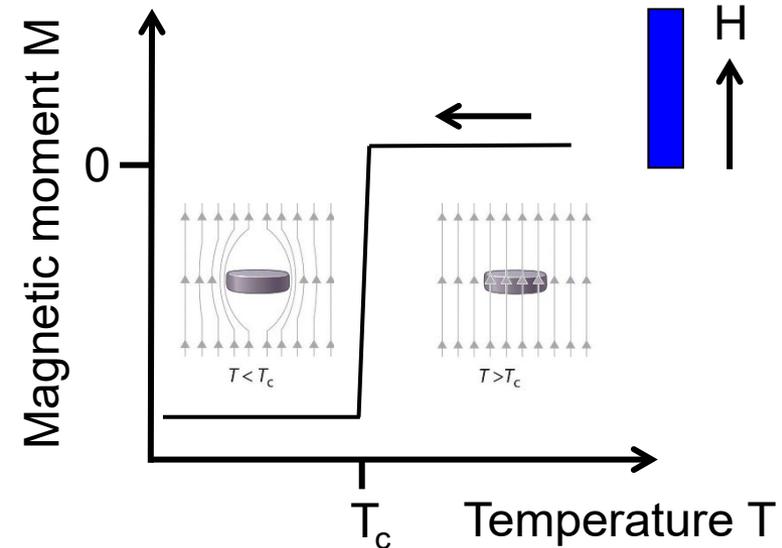
Meissner effect

Cooling down of the sample in an external static magnetic field H : Below T_c superconducting currents emerge in a thin surface layer of the sample. These currents create a negative magnetic moment M , i.e. M is antiparallel to H which is called diamagnetic behavior. This magnetic moment M generates an associated magnetic field which is exactly opposite to H so that the total interior field of the sample vanishes.

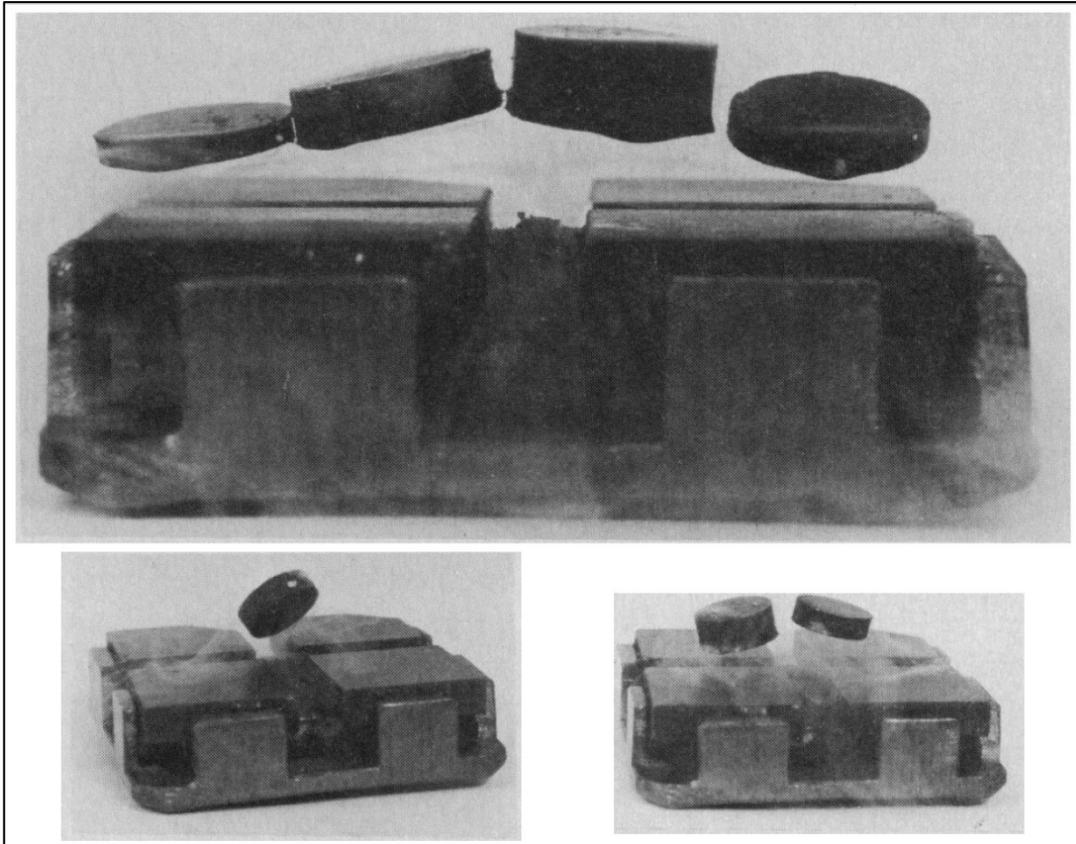
This so-called Meissner effect results from a peculiar quantum physical state of the conduction electrons and cannot be explained solely by a DC resistance $R = 0$

Notes:

- The levitation of a superconductor above a magnet or vice versa, see [pages 1, 10, and 24 - 32](#), is due to the fact that a superconductor is a strong diamagnet. Levitation in static magnetic fields without supply of energy is possible by a diamagnetic body in a spatially inhomogeneous magnetic field. See, for example, the paper "Levitation in Physics" by E. H. Brandt in Science 243 (1989) 349 – 355
- For $H > H_c$ or H_{c2} the superconductivity disappears. H_c (for so-called type I superconductors) or H_{c2} (for so-called type II superconductors) is the so-called critical field. For example, for $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ the critical field H_{c2} at $T = -196^\circ\text{C}$ is of the order of 10 Tesla. For comparison: The earth's magnetic field is of the order of 5×10^{-5} Tesla = 0.5 Gauss (1 Tesla = 10^4 Gauss)



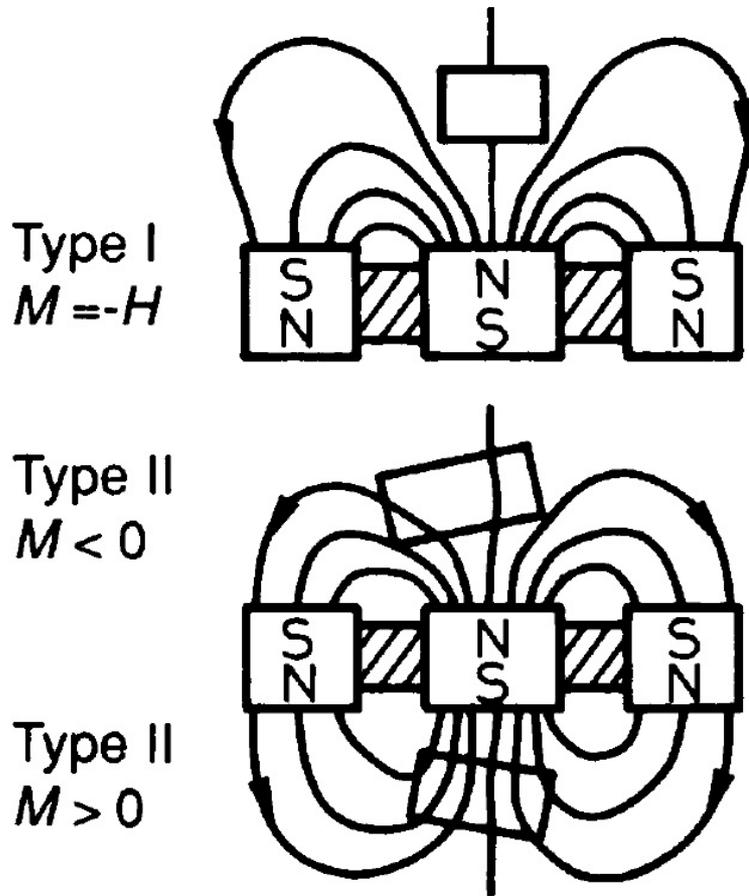
The Meissner effect / strong diamagnetism and the so-called flux pinning allows a superconductor to levitate in an inhomogeneous magnetic field



Disks (12 mm in diameter) of the oxide superconductor $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ levitate above a permanent magnet with one central north pole and four south pole sections. The vertical and horizontal inhomogeneity of the magnetic field in connection with the pinning of magnetic flux lines inside the superconductor causes strong friction that damps oscillation and rotation of the disk and holds it rigidly levitated within a continuous range of possible stable positions and orientations.

Text on the right and images from
Levitation in physics, E. H. Brandt,
Science 243 (1989) 349 – 355
<https://doi.org/10.1126/science.243.4889.349>

The Meissner effect / strong diamagnetism (and so-called flux pinning) allows a superconductor to levitate in an inhomogeneous magnetic field



Text on the right and images from
Levitation in physics, E. H. Brandt,
Science 243 (1989) 349 – 355

<https://doi.org/10.1126/science.243.4889.349>

Top: Levitation of a type I superconductor in the perfect Meissner state above permanent magnets of cylindrical or other symmetry. A type I superconductor has only one stable equilibrium position and may oscillate or orbit about it without damping. **Bottom:** Levitation of a type II superconductor above or below the same permanent magnet. A range of stable equilibrium positions and orientations exists as a result of hysteresis effects caused by flux-line pinning. The levitated sample expels part of the magnetic flux (internal field $H_{\text{int}} < \text{external field } H$). The suspended sample attracts magnetic field lines because some flux is trapped in it ($H_{\text{int}} > H$).

Levitation / suspension of a superconductor in an inhomogenous magnetic field

1 / 7



Pouring liquid nitrogen
($T = 77 \text{ K} = -196 \text{ }^\circ\text{C}$)
into a polystyrene box

Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DlcZAJ2kiLG7KrSoe7>

Levitation / suspension of a superconductor in an inhomogenous magnetic field

2 / 7



Putting a disk into the polystyrene box. The disk is made of a so-called high- T_c superconductor with $T_c > 77$ K, for example $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$

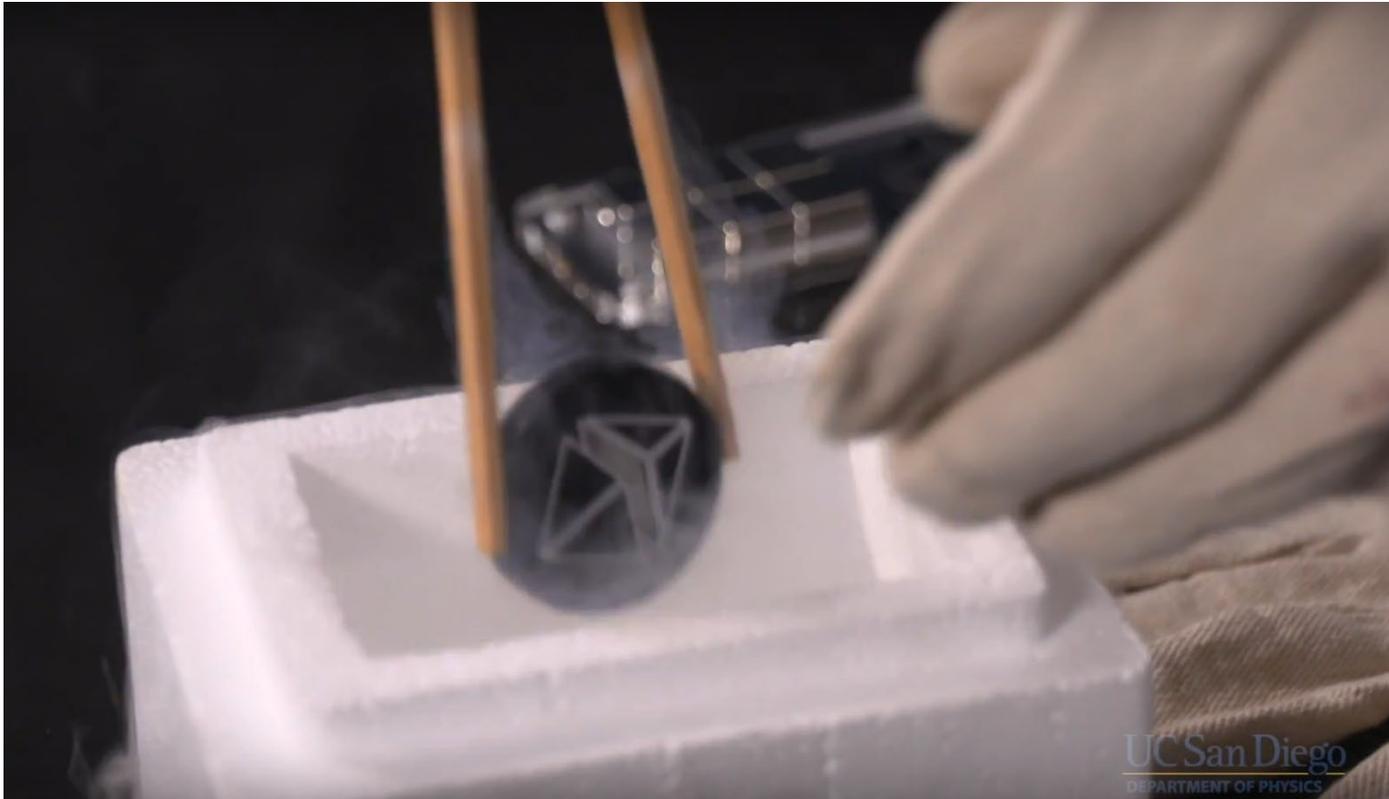
Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DIcZAJ2kiLG7KrSoe7>

Levitation / suspension of a superconductor in an inhomogenous magnetic field

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Removing the
liquid nitrogen
cooled super-
conductor from
the polystyrene
box

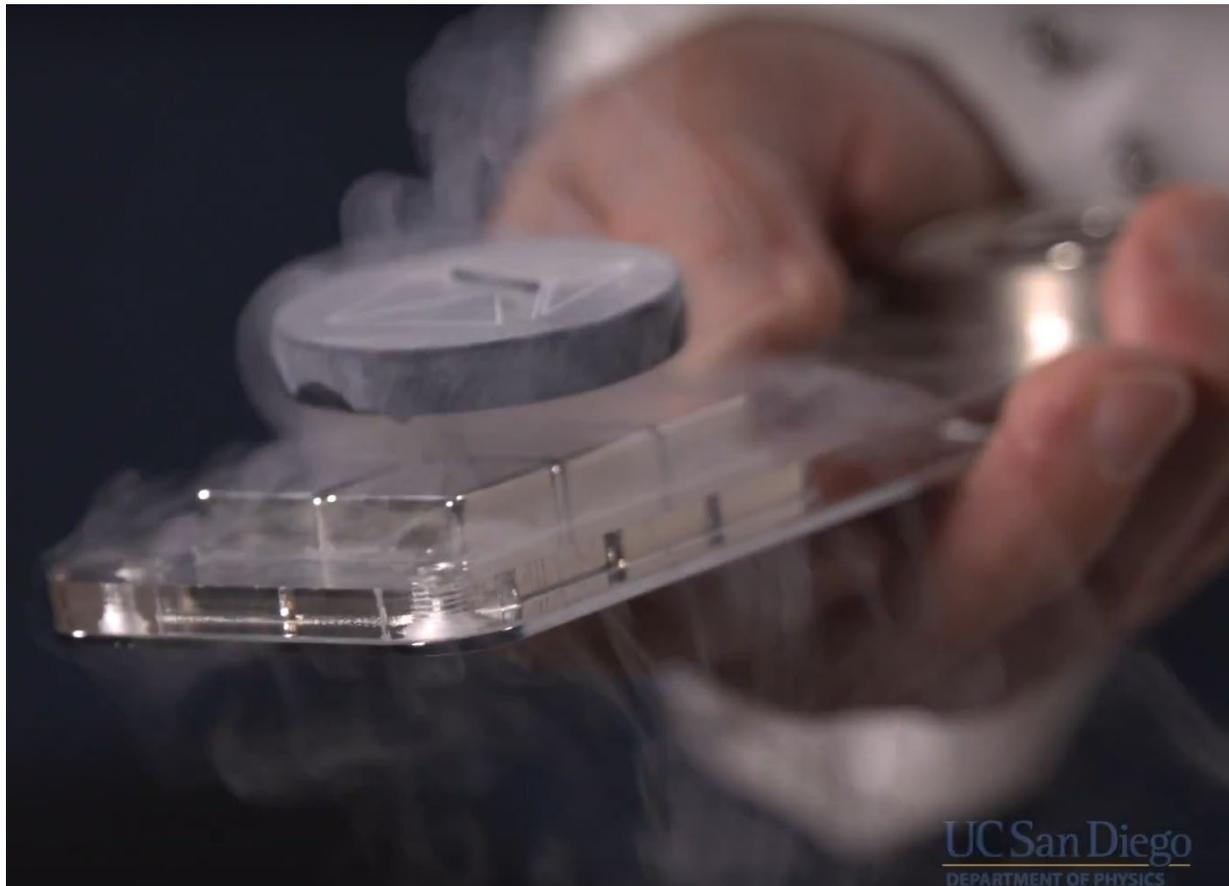
Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DlcZAJ2kiLG7KrSoe7>

Levitation / suspension of a superconductor in an inhomogeneous magnetic field

4 / 7



Superconductor levitates in an inhomogeneous magnetic field which is generated by an array of six permanent magnets

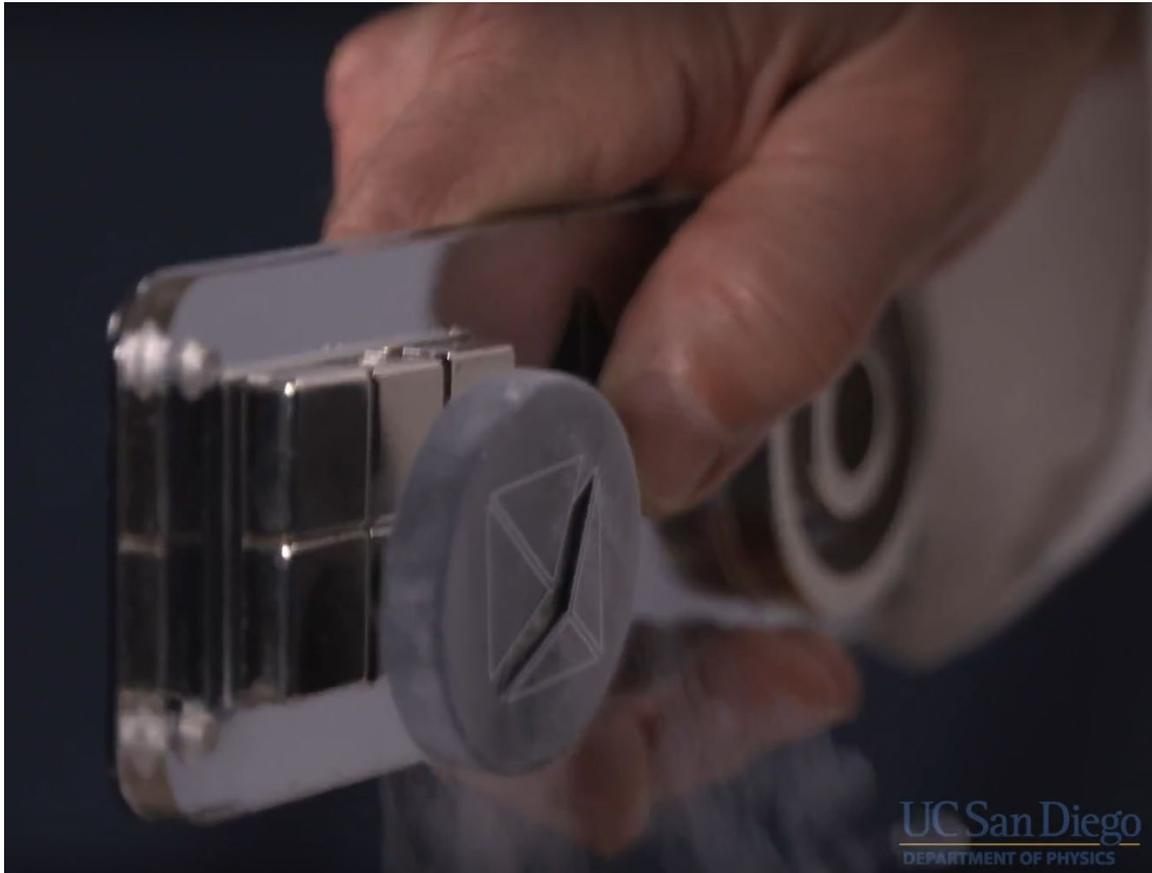
Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DlcZAJ2kiLG7KrSoe7>

Levitation / suspension of a superconductor in an inhomogenous magnetic field

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Turning the array of six permanent magnets by 90 degree results in a situation where the superconductor is suspended from the side

Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DlcZAJ2kiLG7KrSoe7>

Levitation / suspension of a superconductor in an inhomogenous magnetic field

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Turning the array of six permanent magnets by further 90 degree results in a situation where the superconductor is suspended from above

Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

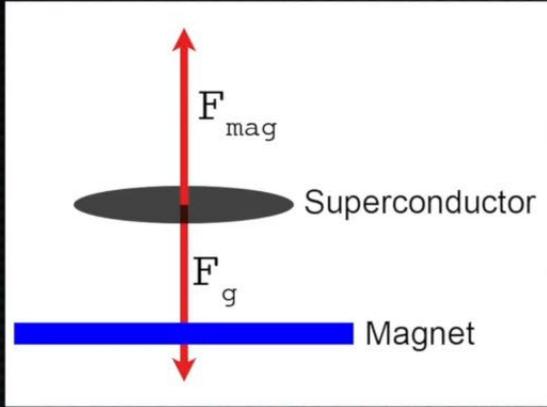
See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DlcZAJ2kiLG7KrSoe7>

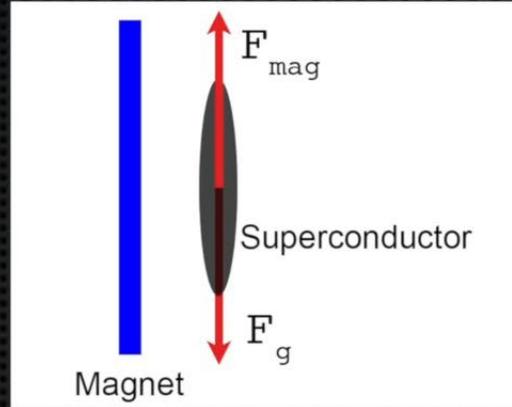
Levitation / suspension of a superconductor in an inhomogenous magnetic field

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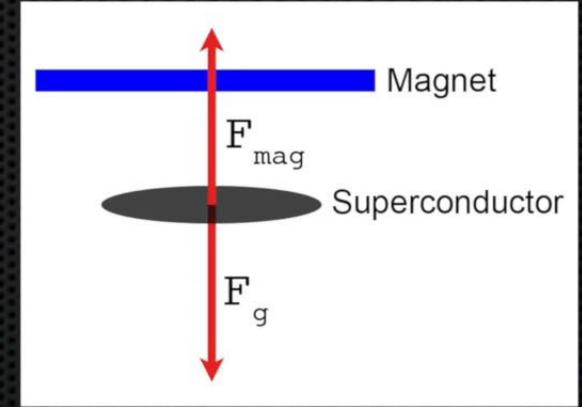
superconductor positions if suspended...



from below



from the side



from above

$$\text{Magnetic Force} = F_{\text{mag}}$$
$$\text{Gravitational Force} = F_g$$

Image source: Screenshot from the video “Superconductors and Magnets: Introduction to the Superconductor”: <https://www.youtube.com/watch?v=n0bf4hSFt7E>

See also playlist “UC San Diego Physics: Superconductors and Magnets”:

<https://www.youtube.com/playlist?list=PLyCuHjHss4f0hN1DIcZAJ2kiLG7KrSoe7>

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Superconducting materials with a relatively high transition temperature T_c

- The Cu-based oxide material $\text{Hg}_{0.8}\text{Tl}_{0.2}\text{Ba}_2\text{Ca}_2\text{Cu}_3\text{O}_{8+\delta}$ has a layered crystal structure and a superconducting transition temperature $T_c = 138 \text{ K}$ ($-135 \text{ }^\circ\text{C}$)
P. Dai et al., Physica C 243 (1995) 201 - 206 , <https://doi.org/10.1016/0921-4534%2894%2902461-8>
See also A. Schilling et al., Nature 363 (1993) 56 - 58 , <https://doi.org/10.1038/363056a0>
Presently (September 2023) this is still that material with the highest established T_c .
- Indications for superconductivity with $T_c \approx 90 \text{ K}$ ($-183 \text{ }^\circ\text{C}$) in the system Na – W – O: Superconducting islands on the surface of Na-doped WO_3
S. Reich and Y. Tsabba, The European Physical Journal B 9 (1999) 1
A. Shengelaya et al., The European Physical Journal B 12 (1999) 13
S. Reich et al., Journal of Superconductivity 13 (2000) 855
 - Strong experimental evidence for high- T_c superconductivity without Cu
 - In spite of many efforts the superconducting phase could not be identified
- Related to the publications about Na-doped WO_3 : Indications for filamentary superconductivity - which implies a small volume fraction - with $T_c = 80 \text{ K}$ in $\text{WO}_{2.9}$ which is a Magneli phase $\text{W}_{20}\text{O}_{58}$ and $T_c = 94 \text{ K}$ in Li-intercalated $\text{WO}_{2.9}$
A. Shengelaya, K. Conder, and K. A. Müller, Journal of Superconductivity and Novel Magnetism 33 (2020) 301
- GdFeAsO_{1-y} is a Cu-free superconductor with $T_c = 53 \text{ K}$ ($-220 \text{ }^\circ\text{C}$).
Its crystal structure is of the ZrCuSiAs type and consists of alternating Fe – As and Gd – O layers
J. Yang et al. , Superconducting Science and Technology 21 (2008) 1 – 3

Superconducting materials with a relatively high transition temperature T_c

Sometimes materials display a high (or higher) T_c when they are put under a very high pressure

- Under a pressure of about 900 kbar H_2S transforms into a metal. At about 1400 kbar it becomes superconducting with $T_c \approx 200$ K (- 73 °C). Probably H_2S decomposes under high pressure and the phase responsible for high- T_c superconductivity is possibly H_3S
A . P. Drozdov et al. , Nature 523 (2015) 73 - 76 , <https://doi.org/10.1038/nature14964>
- For LaH_{10} under a pressure of about 1700 kbar the reported T_c is about 250 K (- 23 °C)
A. P. Drozdov et al. , Nature 569 (2019) 528 - 531
<https://doi.org/10.1038/s41586-019-1201-8>
- For a N-doped Lu-hydride under a pressure of 10 kbar the reported max. T_c is 294 K (+ 21 °C)
N. Dasenbrock-Gammon et al. , Nature 615 (2023) 244 – 250
<https://doi.org/10.1038/s41586-023-05742-0>

Superconducting materials with a relatively high transition temperature T_c

Critical papers by J. E. Hirsch in the Journal of Superconductivity and Novel Magnetism (2023) about reported superconductivity in hydrides under high pressure:

- Electrical Resistance of Hydrides Under High Pressure: Evidence of Superconductivity or Confirmation Bias ?
<https://doi.org/10.1007/s10948-023-06594-5>
- Enormous Variation in Homogeneity and Other Anomalous Features of Room Temperature Superconductor Samples: A Comment on Nature 615, 244 (2023)
<https://doi.org/10.1007/s10948-023-06593-6>

Often unverified reports or rumors about materials with high T_c , e.g. www.superconductors.org presents Cu - based oxides with very high T_c values. However, the presented indications for superconductivity appear poor and their T_c 's do not represent established values

In 2020 the journal Nature published a paper with the title “Room-temperature superconductivity in a carbonaceous sulfur hydride”. In 2022 Nature has retracted that paper. <https://doi.org/10.1038/s41586-020-2801-z>

Superconductivity – A vision, dream or wish

Superconductivity at room temperature !

For example a material with $T_c = 380 \text{ K (+ } 107 \text{ }^\circ\text{C)}$

- No cooling required \Rightarrow Applications possible in many areas
- Potentially – i.e. dependent on the properties of the material and the superconducting state – a revolution in technology including the possibility of the development of fundamentally new and entirely unexpected things
- Superconductivity in everyday life / in everyday devices !?

1 Superconductivity

1.1 Introduction

1.2 Applications

1.3 Superconductivity as a quantum physical phenomenon

1.4 Verification of superconductivity by zero resistance and the so-called Meissner effect & Levitation / suspension of a superconductor in an inhomogeneous magnetic field

1.5 Superconducting materials with a relatively high transition temperature T_c and the vision of superconductivity at room temperature

1.6 Do man-made room temperature superconductors already exist ?

Do man-made room temperature superconductors already exist ?

Special metal-hydrogen materials reported in two German patent applications:

“Offenlegungsschriften“ (published patent applications) DE 101 09 973 A1 and DE 10 2008 047 334 A1 published in 2002 and 2010 (in German):

<https://depatisnet.dpma.de/DepatisNet/depatisnet?action=pdf&docid=DE000010109973A1>

“Supraleiter mit Sprungtemperatur T_c grösser 273 K“ (superconductors with transition temperature T_c above 273 K)

<https://depatisnet.dpma.de/DepatisNet/depatisnet?action=pdf&docid=DE102008047334A1>

- Materials are described in the context of cold fusion
- Further information about these materials only for licensees
- So far no public reports of the presence of the Meissner effect (see **part 1.4**). Therefore it is presently not clear if these materials are really superconductors

2 Searching for new superconductors among oxides

2.1 Introductory notes

2.2 Synthesis of melt-grown oxide materials

2.3 **Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$**

2.3.1 Crystal structure

2.3.2 Physical and structural properties

2.3.3 Why they might have a potential to create high- T_c or room temperature superconductors

2.3.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

- 2 Searching for new superconductors among oxides**
- 2.1 Introductory notes
- 2.2 Synthesis of melt-grown oxide materials
- 2.3 **Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$**
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2.1 Introductory notes

Examples of manifestations of solid matter such as oxides



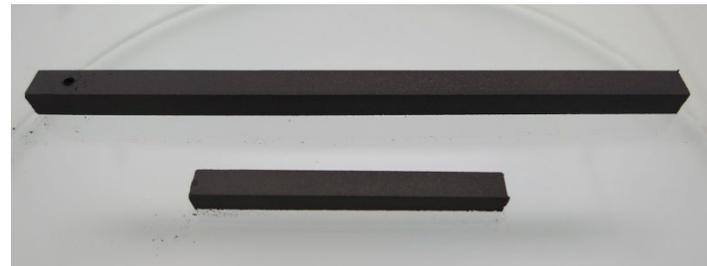
Crystals



Thin films and heterostructures



Powder



Polycrystalline parts made of powder which was pressed or molded, sintered, and, if necessary, machined



2.1 Introductory notes

Among oxides there are many types of crystal structures and ranges of chemical compositions which might have a potential to create new high- T_c superconductors. Materials can be prepared in several kinds of manifestations, namely as powder, polycrystalline sintered shapes, crystalline shapes or crystals, or as thin film grown on a substrate. And there are many techniques or approaches how to prepare materials.

The following parts 2.2 and 2.3. present examples from the research area of the author of this presentation, namely the synthesis of melt-grown oxides by the floating zone melting technique in a mirror furnace and the so-called Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$.

The author of this work is still convinced that the Carpy-Galy phases, which are perovskite-related layered oxides of the type $A_nB_nO_{3n+2} = ABO_x$, have a potential to create high- T_c or room temperature superconductors, even if there are so far no indications for superconductivity among the known or published compositions. However, there are still many potential new or unexplored compositions and materials.

- 2 Searching for new superconductors among oxides**
- 2.1 Introductory notes
- 2.2 Synthesis of melt-grown oxide materials
- 2.3 Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$
 - 2.3.1 Crystal structure
 - 2.3.2 Physical and structural properties
 - 2.3.3 Why they might have a potential to create high- T_c or room temperature superconductors
 - 2.3.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

2.2 Synthesis of melt-grown oxide materials

All following pages of part 2.2 are from Refs. [1] and [2] and sketch the preparation of crystalline oxides via a solidification from the melt by the floating zone melting technique in a mirror furnace. For further information and details see Refs. [1] and [2]

- [1] Presentation of a laboratory for the synthesis and study of special oxides and melt-grown crystalline materials

Frank Lichtenberg

Published by the library of the ETH Zurich / ETH Research Collection in 2017 (438 pages)

<https://dx.doi.org/10.3929/ethz-a-010817148>

- [2] Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$: Overview, properties, special and hypothetical systems, and melt-grown synthesis of A- and O-deficient $n = 5$ types such as $Sr_{19}Nb_{19}WO_{66}$ and $Sr_{17}Ca_2Nb_{19}WO_{64}$ and $n = 6$ type $Ln_6Ti_4Fe_2O_{20}$ and $Ca_6Nb_5FeO_{20}$

Frank Lichtenberg

Published by the library of the ETH Zurich / ETH Research Collection in July 2020 (477 pages)

<https://dx.doi.org/10.3929/ethz-b-000424221>

Sketch of the sample preparation

- 1) ☺ It starts always with an idea about a known, new or apriori hypothetical oxide material, i.e. devise a chemical composition such as $\text{La}_6\text{Ti}_4\text{Fe}_2\text{O}_{20}$ or $\text{Sr}_5\text{Nb}_5\text{O}_{17}$
- 2) Select appropriate starting materials from commercially available powders such as oxides La_2O_3 , TiO_2 , Fe_2O_3 or Nb_2O_5 , carbonates like CaCO_3 , and / or metals such as Nb
- 3) Calculate the amounts (mass, weight) of the selected starting materials according to the devised or desired chemical composition
- 4) Weighing the calculated amounts of the starting materials by a spatula, weighing paper, and an analytical balance
- 5) Mingle the weighed starting materials by a mortar and pestle. If steps 6 - 8 are omitted, then a part of the as-mingled starting materials is pressed into two rods and it is continued with step 9
- 6) Pre-reaction in air: Heat the mingled starting materials in a laboratory chamber furnace to elevated temperatures

Sketch of the sample preparation

- 7) Grind the pre-reacted starting materials into powder and mingle it by a mortar and pestle – in some cases another starting material is added to the pre-reacted starting materials
- 8) Press a part of the powder obtained in step 7 into two rods
- 9) Sinter the as-pressed rods at elevated temperatures under an appropriate atmosphere such as under air in a laboratory chamber furnace or under argon in a tube furnace or molybdenum furnace
- 10) Try to synthesize the devised or desired oxide material in a crystalline form via a solidification from the melt by processing the sintered rods by floating zone melting in a mirror furnace under an appropriate atmosphere such as air or argon. In some cases reduced mixed-valence titanates or niobates can be prepared by processing sintered rods with a fully oxidized composition by floating zone melting under argon plus hydrogen

Examples of commercially available starting materials



Fe_2O_3 powder



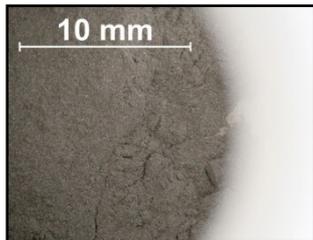
WO_3 powder



SrCO_3 powder



Nd_2O_3 powder



Nb powder

Storage of starting materials in an alumina crucible in a desiccator

Mn_2O_3 powder in this example



<https://dx.doi.org/10.3929/ethz-a-010817148>

Preparation and handling of powder mixtures



Spatula and weighing paper



Analytical balance



Mingle the starting materials by a pestle in a mortar



Alumina crucible filled with powder



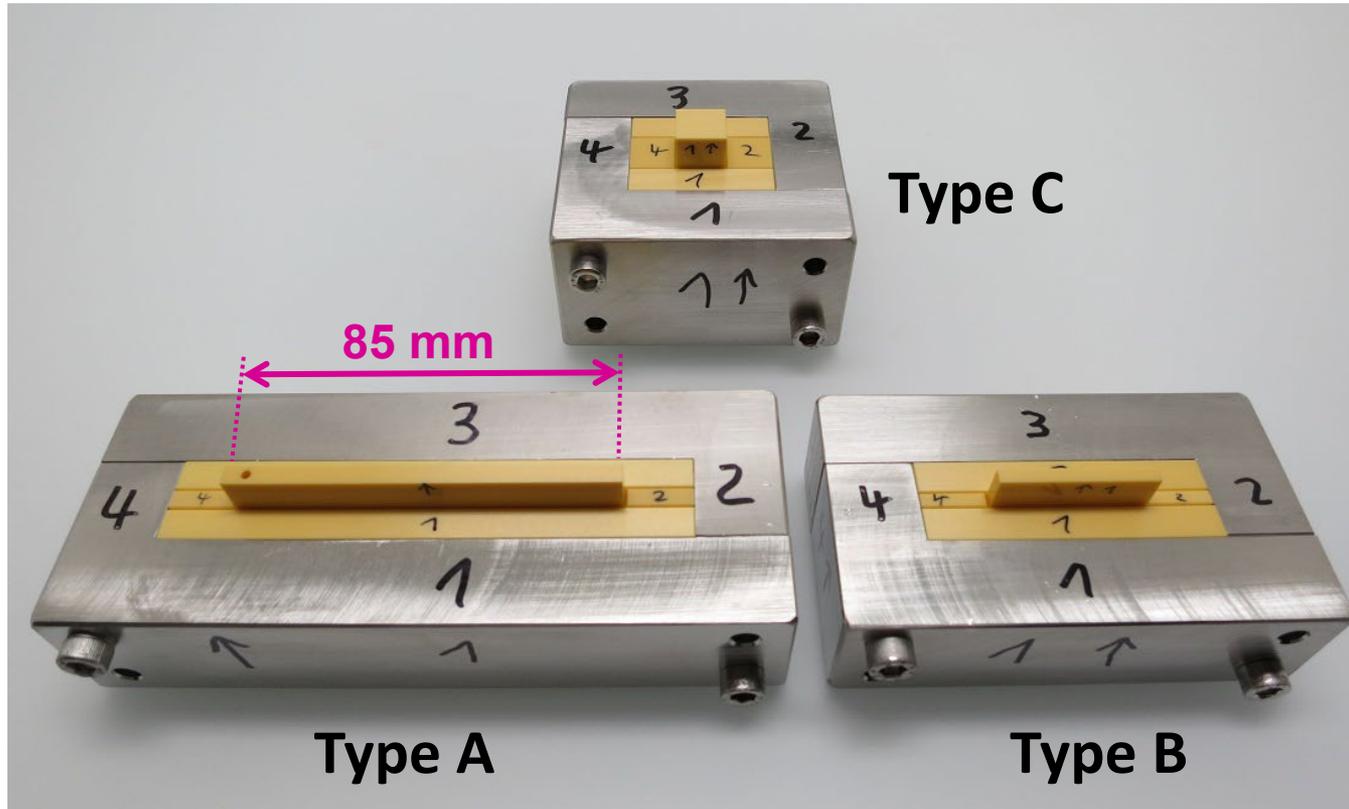
High temperature ceramics:
Various types of crucibles and discs / lids made of alumina



High temperature ceramics:
Various types of boats and boxes made of alumina

Pressing dies for the preparation of rods for the mirror furnace

Custom-made pressing dies made of technical ceramics



Type C with square punch for other samples

Type B with rectangular punch for seed rods with length 35 mm and width 3,5 mm

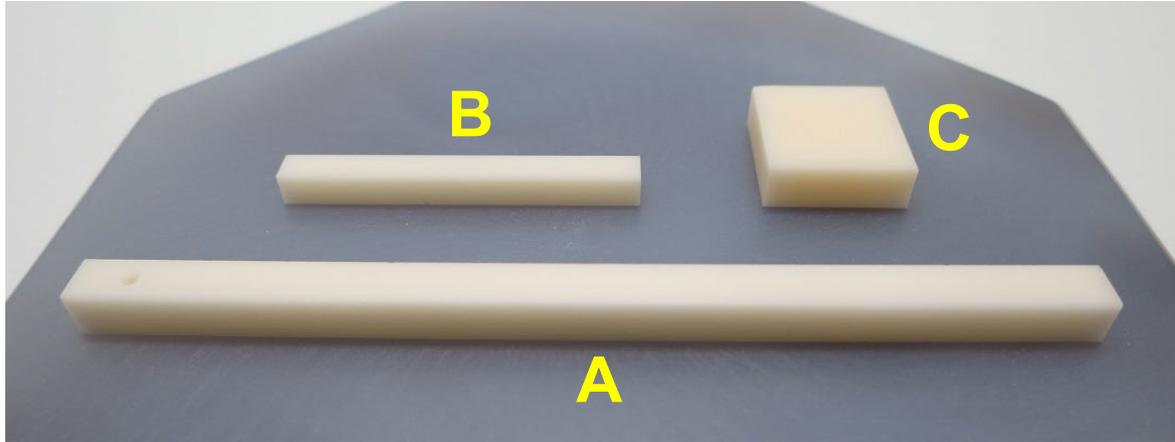
Type A with rectangular punch for feed rods with length 85 mm and width 4,5 mm

Yellow parts made of magnesia stabilized zirconia (FRIATEC FRIALIT FZM) by FRIATEC AG (Germany), purchased and delivered from stone-ware gmbh (Switzerland) <https://dx.doi.org/10.3929/ethz-a-010817148>

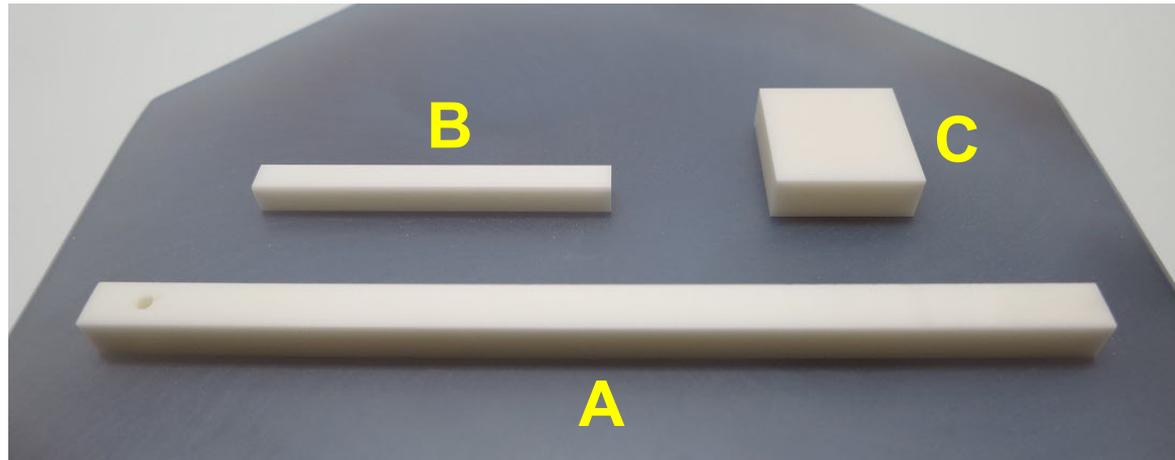
Metal frames made in the metal workshop of the Department of Materials of the ETH Zurich by C. Roth and M. Elsener

Several types of lower punches on which the powder is pressed

Lower punches for the pressing die type A (feed rod), type B (seed rod) and type C



Lower punches
made of alumina
(FRIATEC FRIALIT F 99,7)
- usable up to 1950 °C

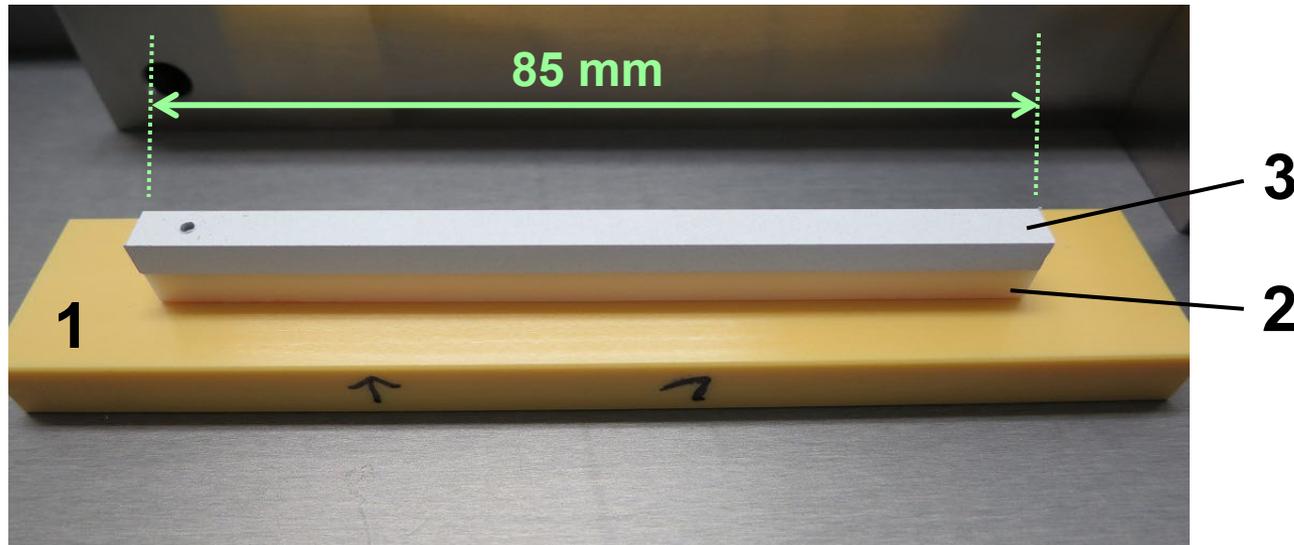


Lower punches made of
yttria stabilized zirconia
(FRIATEC DEGUSSIT FZY)
- usable up to 1500 °C

Made by FRIATEC AG (Germany), purchased and
delivered from stone-ware gmbh (Switzerland)

<https://dx.doi.org/10.3929/ethz-a-010817148>

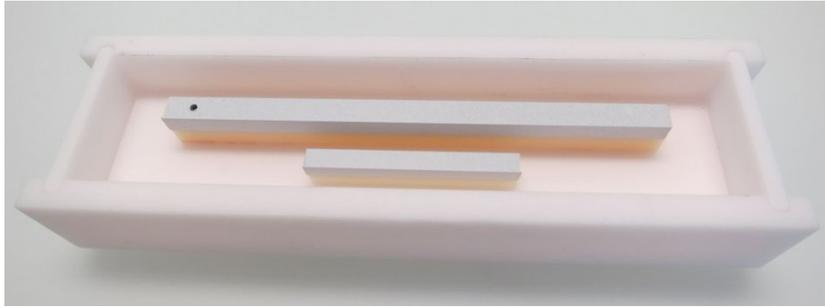
Example of an as-pressed feed rod for the mirror furnace



- 3 Rectangular rod with a continuous hole - made of pressed powder
Chemical composition of the pressed powder in this example: $0,6 \text{ Nb} + 0,2 \text{ Nb}_2\text{O}_5$
- 2 Lower punch - made of alumina (FRIATEC FRIALIT F 99,7)
- 1 Base plate - made of magnesia stabilized zirconia (FRIATEC FRIALIT FZM)

The powder was pressed with a pressing force of 1 kN. The as-pressed rod is mechanically not stable. If it is touched in a not very careful way, then it becomes damaged or destroyed. However, the rod is needed in a mechanically stable form. Therefore the lower punch and the pressed rod will be placed into an alumina box and heated to an appropriate high temperature under a suitable atmosphere which results in sintering and chemical solid state reactions

Feed rod and seed rod for the mirror furnace before and after sintering



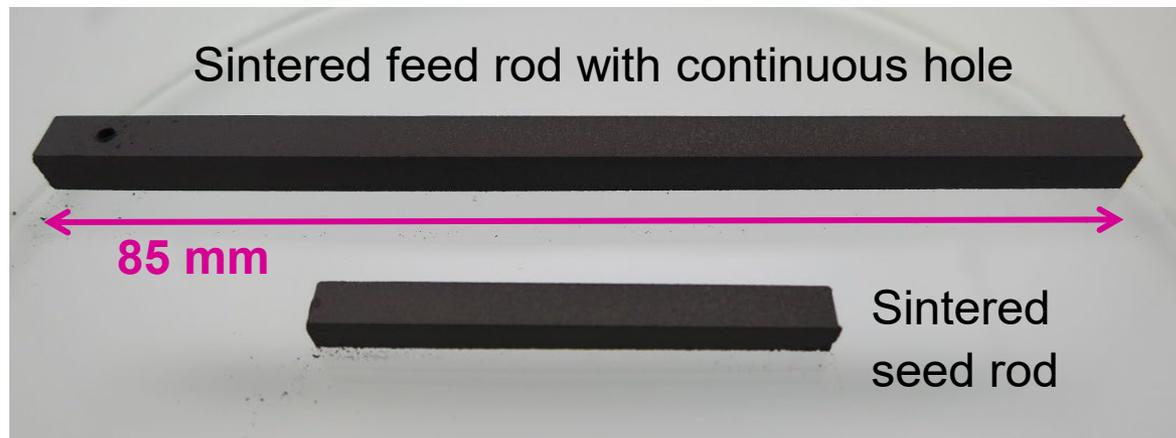
Pressed rods on their lower alumina punch in an alumina box before sintering

Chemical composition of the powder in this example: $0,6 \text{ Nb} + 0,2 \text{ Nb}_2\text{O}_5$



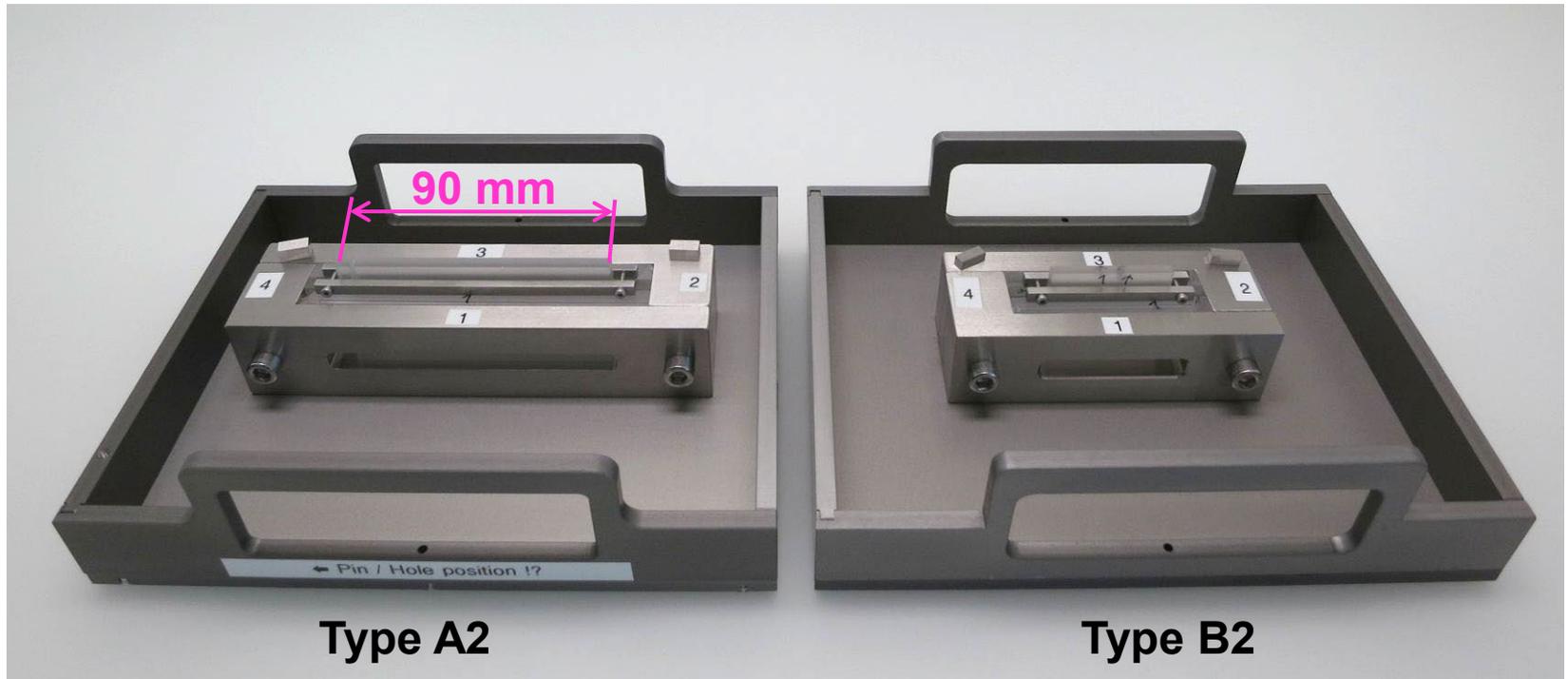
Pressed rods on their lower alumina punch in an alumina box after sintering them for 1 h at $1150 \text{ }^\circ\text{C}$ under argon

The color change of the rods from white-grey to black is due to chemical solid state reactions like $0,6 \text{ Nb} + 0,2 \text{ Nb}_2\text{O}_5 \rightarrow \text{NbO}$



Another pressing dies for the preparation of rods for the mirror furnace

Custom-made pressing dies made of glass



Type A2

Type B2

Type A2 with rectangular punch for feed rods with length 90 mm and width 5 mm

Type B2 with rectangular punch for seed rods with length 40 mm and width 4 mm

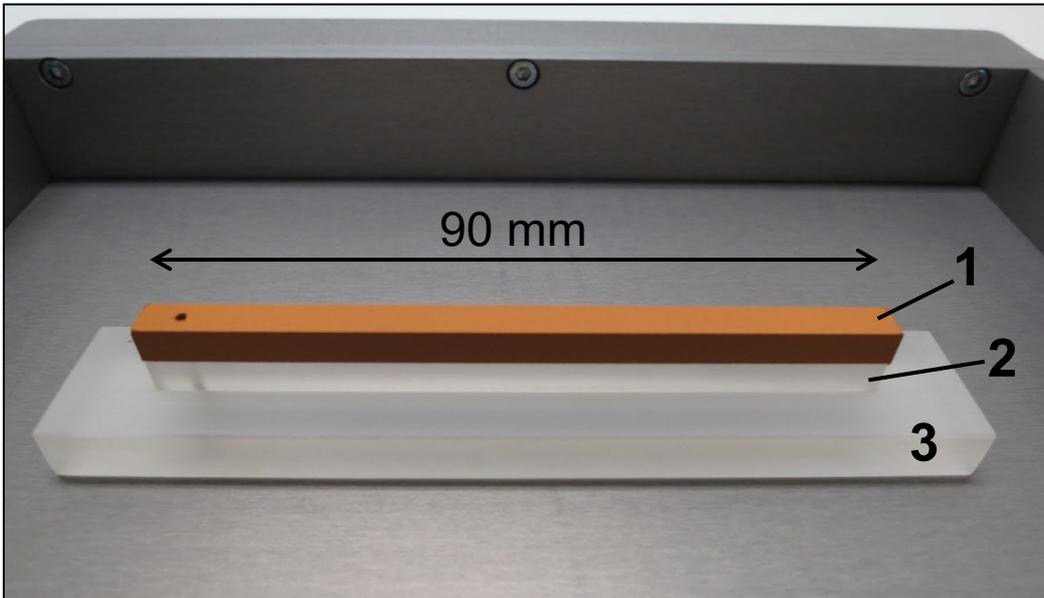
Glass parts purchased and delivered from EMATAG AG (Switzerland)

Metal frames, trays and other metal parts made in the metal workshop of the Department of Materials of the ETH Zurich by C. Roth and M. Elsener

Example of an as-pressed feed rod for the mirror furnace



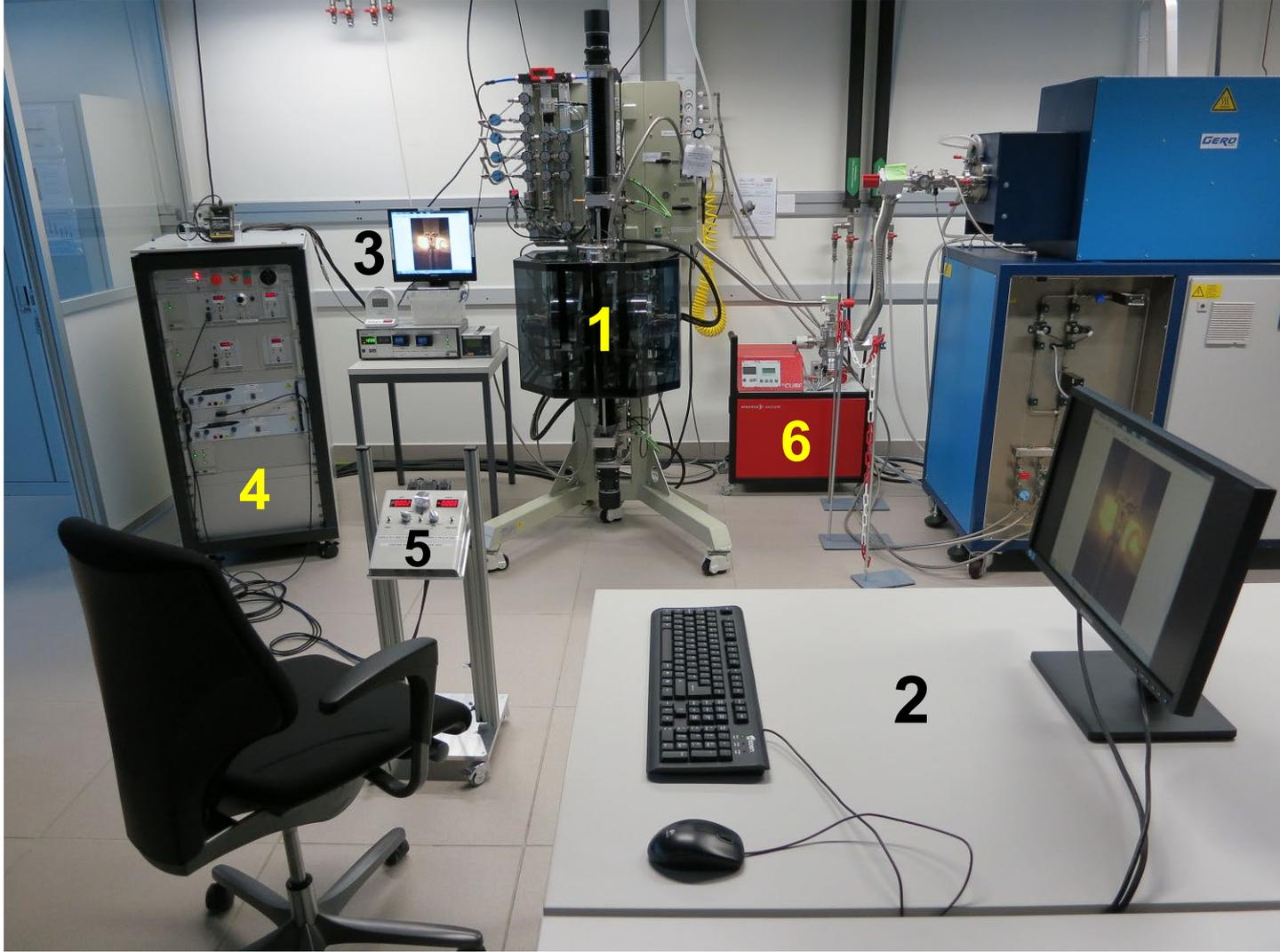
An as-pressed rod inside the pressing die when the metal frame is removed. The applied pressing force was 1 kN



View when the side panels are removed:

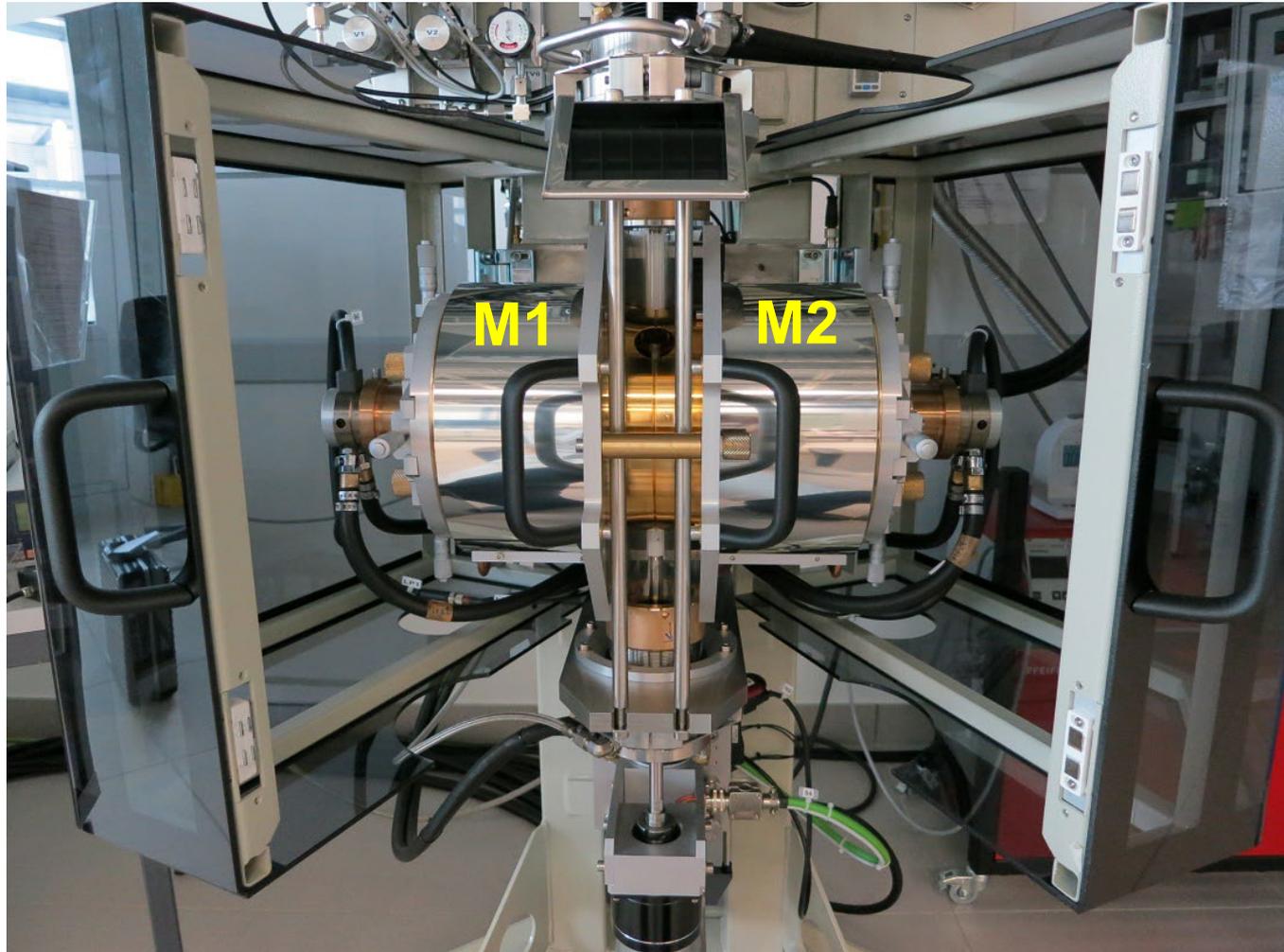
As-pressed rod (1) on a lower punch (2) which is made of sapphire. The lower punch (2) is located on the base plate (3) which is made of quartz glass

Cyberstar mirror furnace

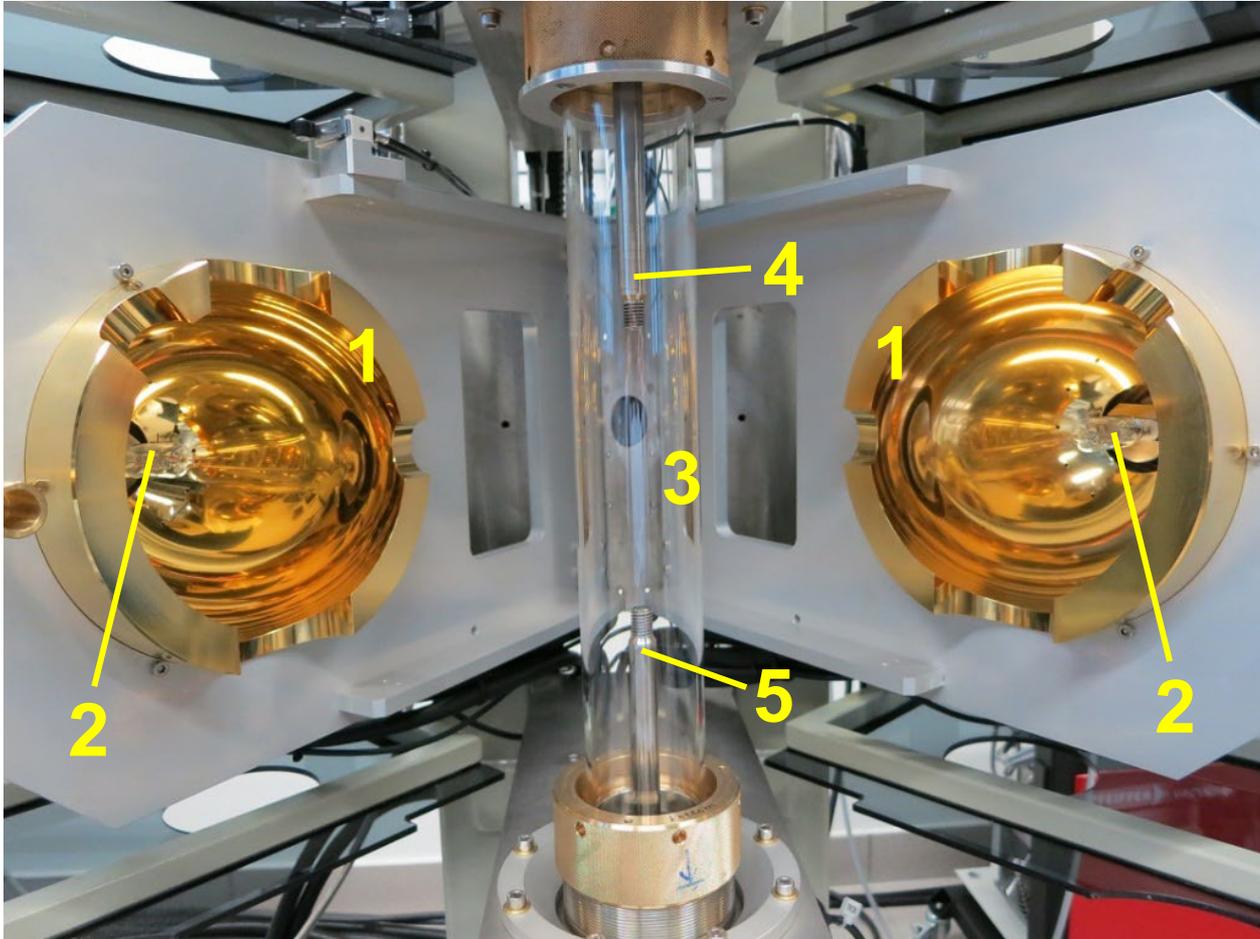


- 1 Mirror furnace
- 2 Monitor and keyboard of the video recording and processing system which is equipped with the software HIRIS from R&D Vision
- 3 Second monitor
- 4 Control cabinet
- 5 Movable control unit for lamp power and fast motion of seed and feed rod
- 6 Turbo pumping station

Cyberstar mirror furnace – Casing open and mirrors M1 and M2 locked



Cyberstar mirror furnace – Mirrors unlocked



1 Elliptical and gold-coated mirror

2 Lamp
 $P_{\max} = 1000 \text{ W}$

3 Quartz glass tube

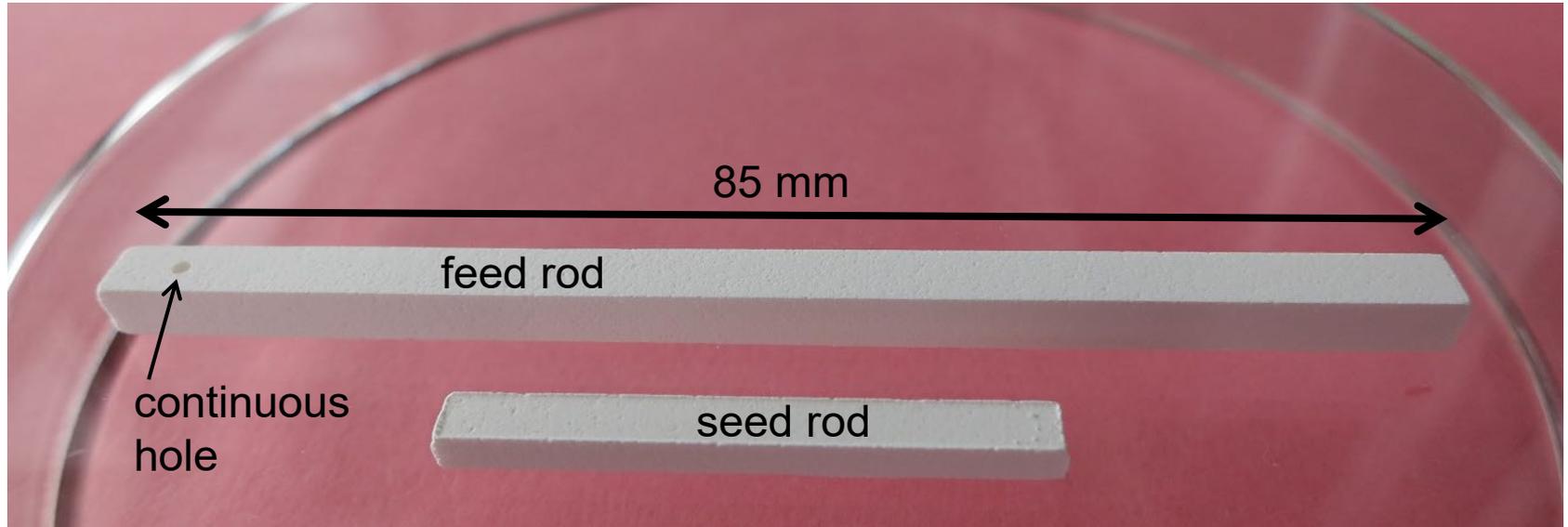
4 Upper shaft

5 Lower shaft

Mirrors and lamps are cooled by cooling water and a flow of compressed air

- Mirrors focus radiation from lamps into a small volume. If a material is located at that volume, then it can be molten if the lamp power is high enough
- Heating-up and melting of a material takes mainly place by its infrared absorption
- Mirrors are gold-coated because that enhances their infrared reflectivity

Synthesis of crystalline materials by a mirror furnace requires the desired chemical composition in form of two rods



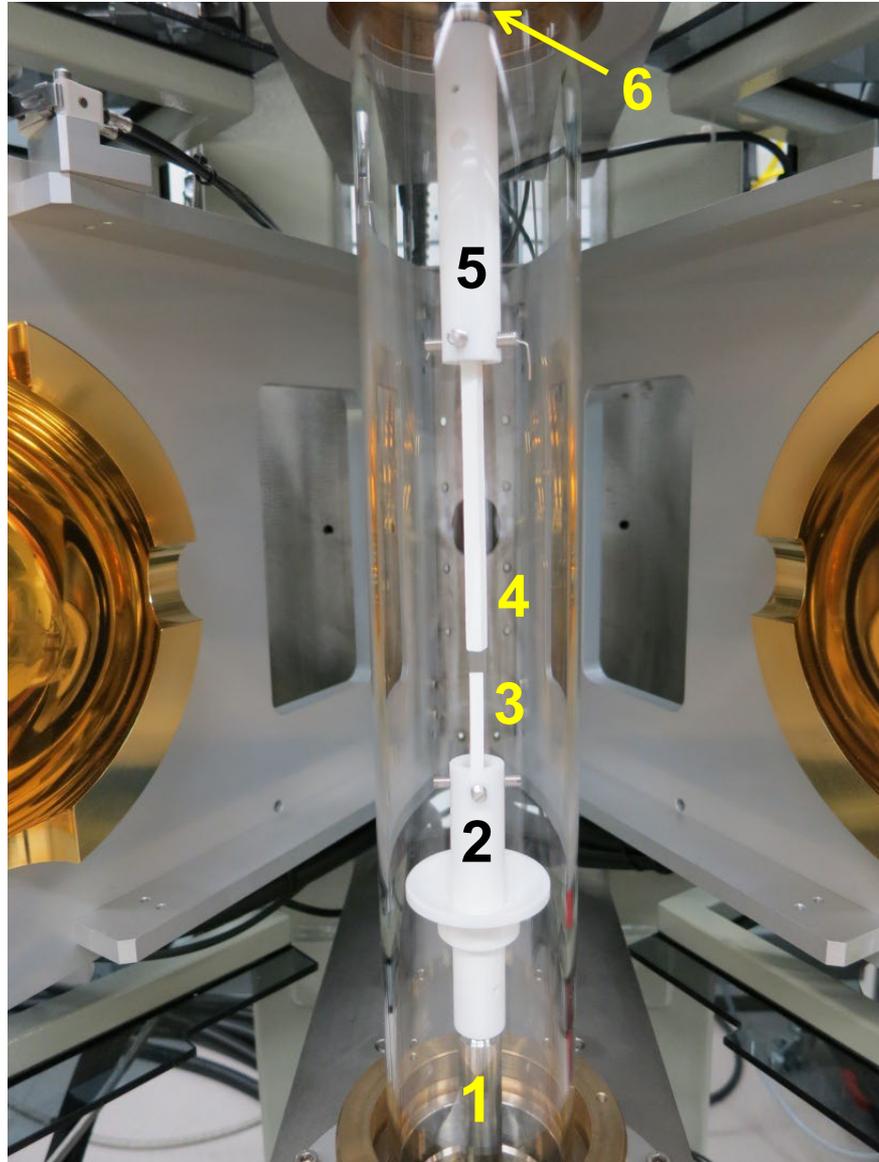
Example of two polycrystalline sintered rods with same chemical composition such as $\text{La}_2\text{Ti}_2\text{O}_7$

Fixation of the rods at the lower and upper shaft by special sample holders ...

Cyberstar mirror furnace equipped with rods and quartz glass tube

Feed rod (4)
fixed by
a sample
holder (5)
which is
screwed on
the upper
shaft (6)

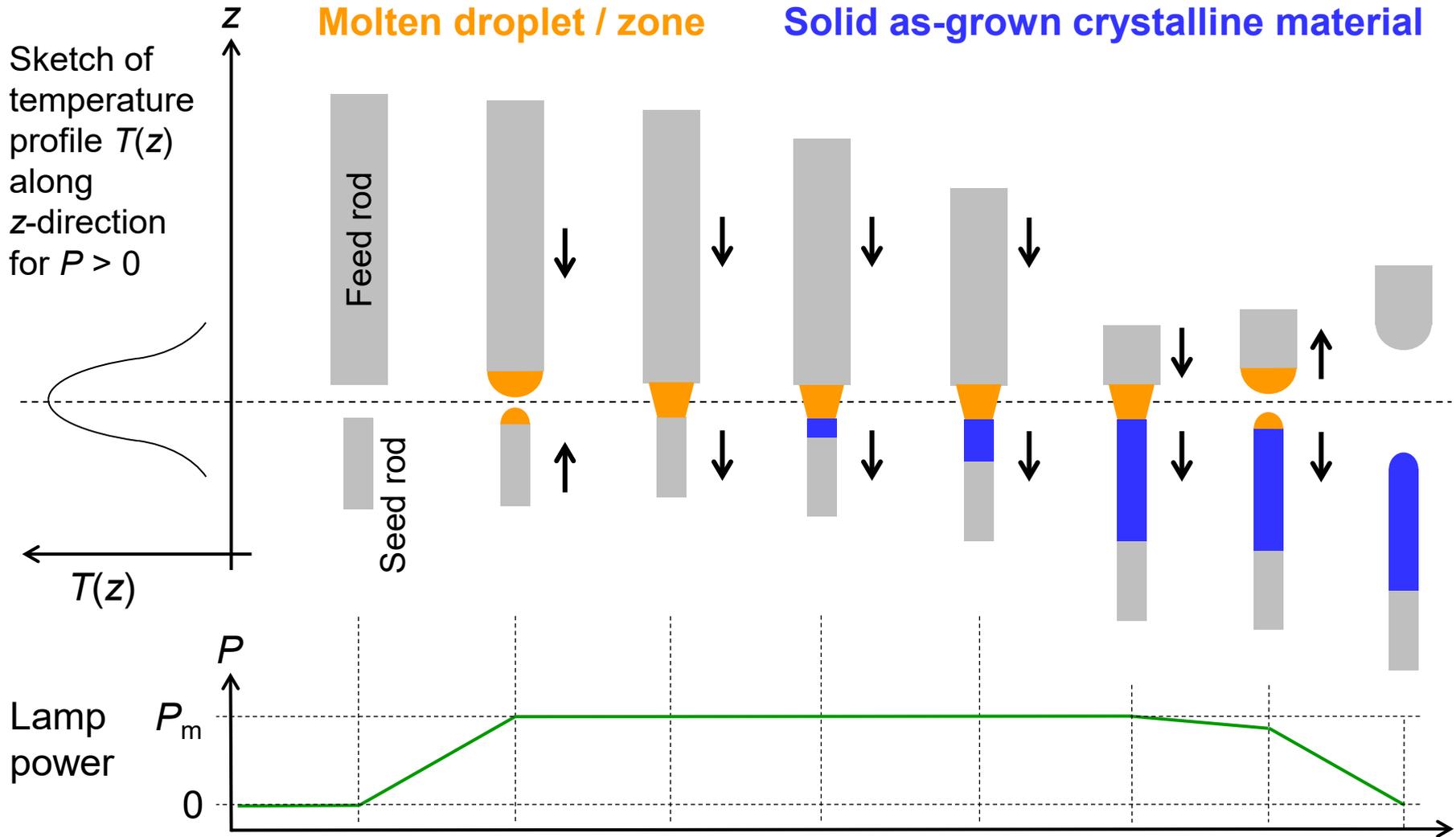
Seed rod (3)
fixed by
a sample
holder (2)
which is
screwed on
the lower
shaft (1)



Digital video camera (7)
at the rear side

Synthesis of melt-grown oxides by a mirror furnace – Sketch of a run

<https://dx.doi.org/10.3929/ethz-a-010817148>



Single phase crystalline material emerges readily if the solidification is (nearly) congruent, i.e. if the melt and the solidified material have (nearly) the same chemical composition. If this is true depends on the chemical composition and is often not known or predictable, especially for unexplored chemical compositions

Synthesis of melt-grown oxides by the Cyberstar mirror furnace

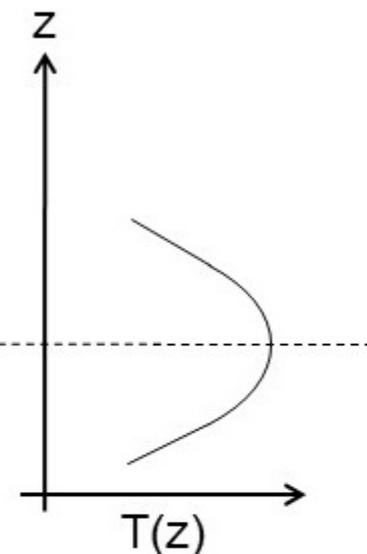
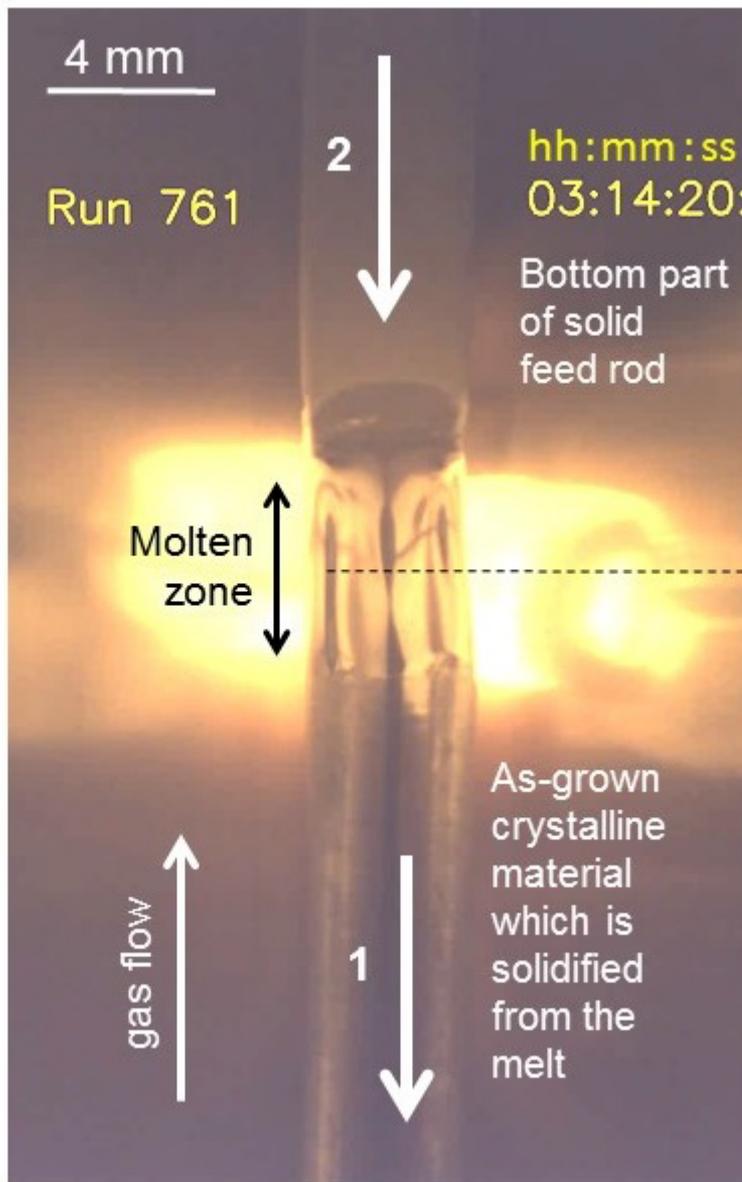
Example of a snap shot of a floating zone melting process

The polycrystalline feed rod is converted via the melt into a crystalline material which is created by a solidification from the melt

2 Slow downwards motion of the feed rod, e.g. 10 mm / h

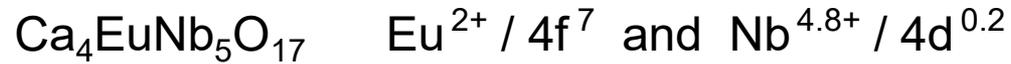
1 Slow downward motion of the seed rod, e.g. 8 mm / h

The crystalline material grows onto the upper part of the seed rod which is not visible in this image. The seed rod is located below the bottom boundary of this picture



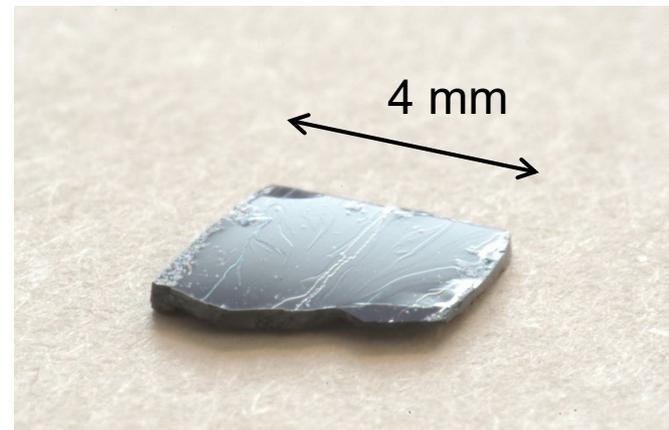
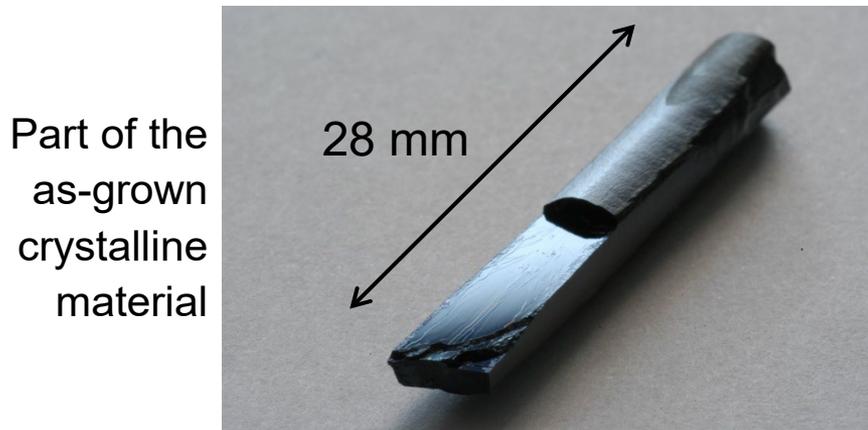
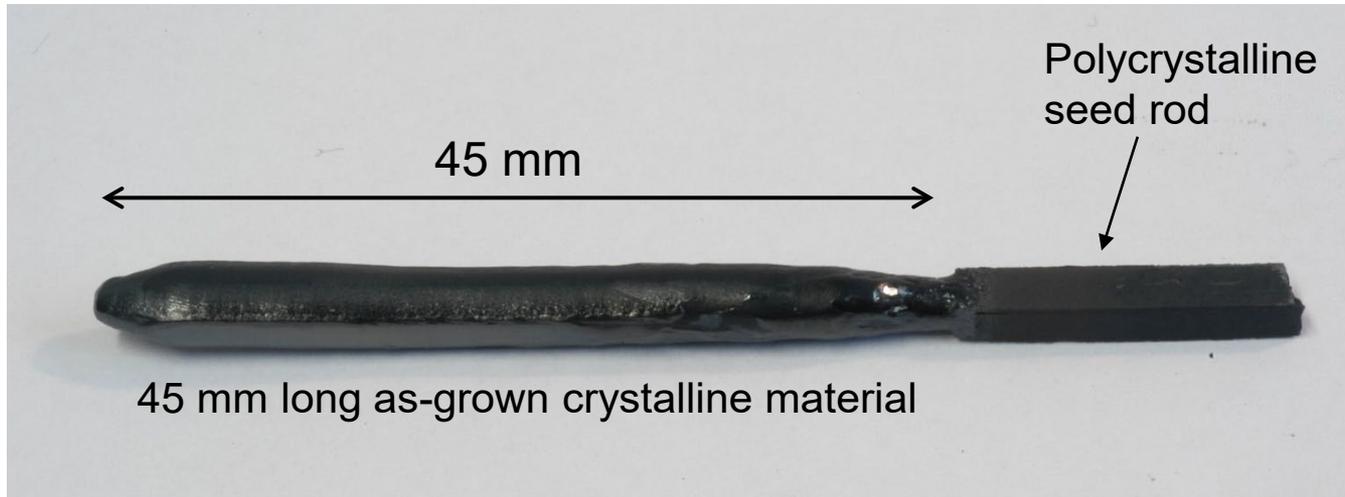
Sketch of the temperature profile $T(z)$ along the z - direction

Example of a melt-grown oxide prepared by a mirror furnace



Grown with 15 mm/h in argon • Black-blue electrical conductor • Sample No. 510

Structure type $n = 5$ of layered perovskite-related Carpy-Galy phases $A_nB_nO_{3n+2}$



Prepared at the University of Augsburg by a GERO mirror furnace

Progress in Solid State Chemistry 36 (2008) 253

2 Searching for new superconductors among oxides

2.1 Introductory notes

2.2 Synthesis of melt-grown oxide materials

2.3 Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$

2.3.1 Crystal structure

2.3.2 Physical and structural properties

2.3.3 Why they might have a potential to create high- T_c or room temperature superconductors

2.3.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

2.3 Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$

All pages in the following

part 2.3.1

part 2.3.2

part 2.3.3

part 2.3.4

are from Ref. [2]. For further information and details see Ref. [2]

- [2] Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$: Overview, properties, special and hypothetical systems, and melt-grown synthesis of A- and O-deficient $n = 5$ types such as $Sr_{19}Nb_{19}WO_{66}$ and $Sr_{17}Ca_2Nb_{19}WO_{64}$ and $n = 6$ type $Ln_6Ti_4Fe_2O_{20}$ and $Ca_6Nb_5FeO_{20}$

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<https://dx.doi.org/10.3929/ethz-b-000424221>

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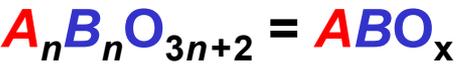
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Sketch of the perovskite-related structure of

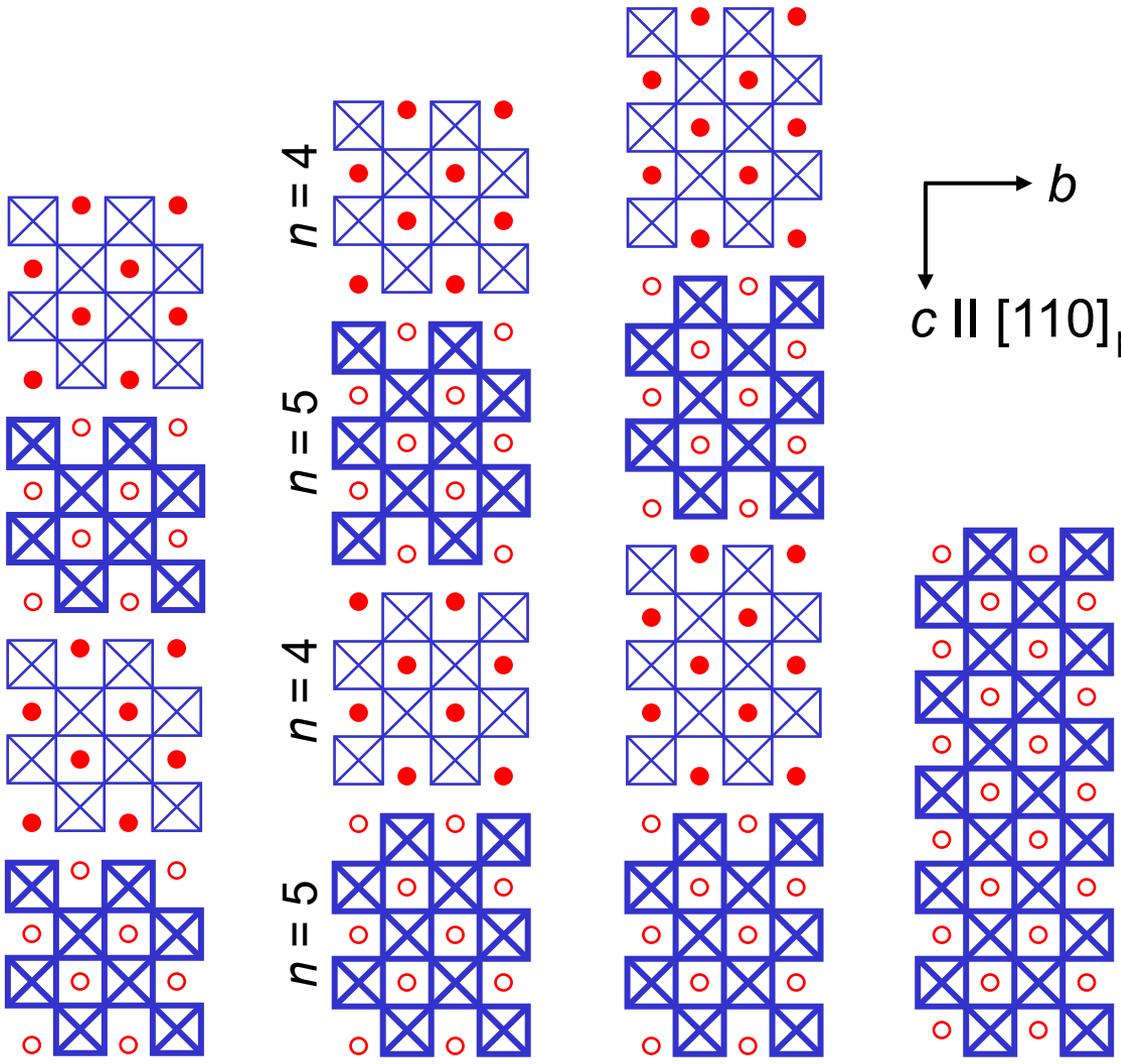


$B = \text{Ti, Nb, Ta}$

$n =$ layer thickness
 $=$ number of BO_6 octahedra along c -axis per layer

Existence of non-integral series members such as $n = 4.5$ with an ordered stacking sequence of layers with different thickness

 = BO_6 octahedra (O located at corners, B hidden in center)



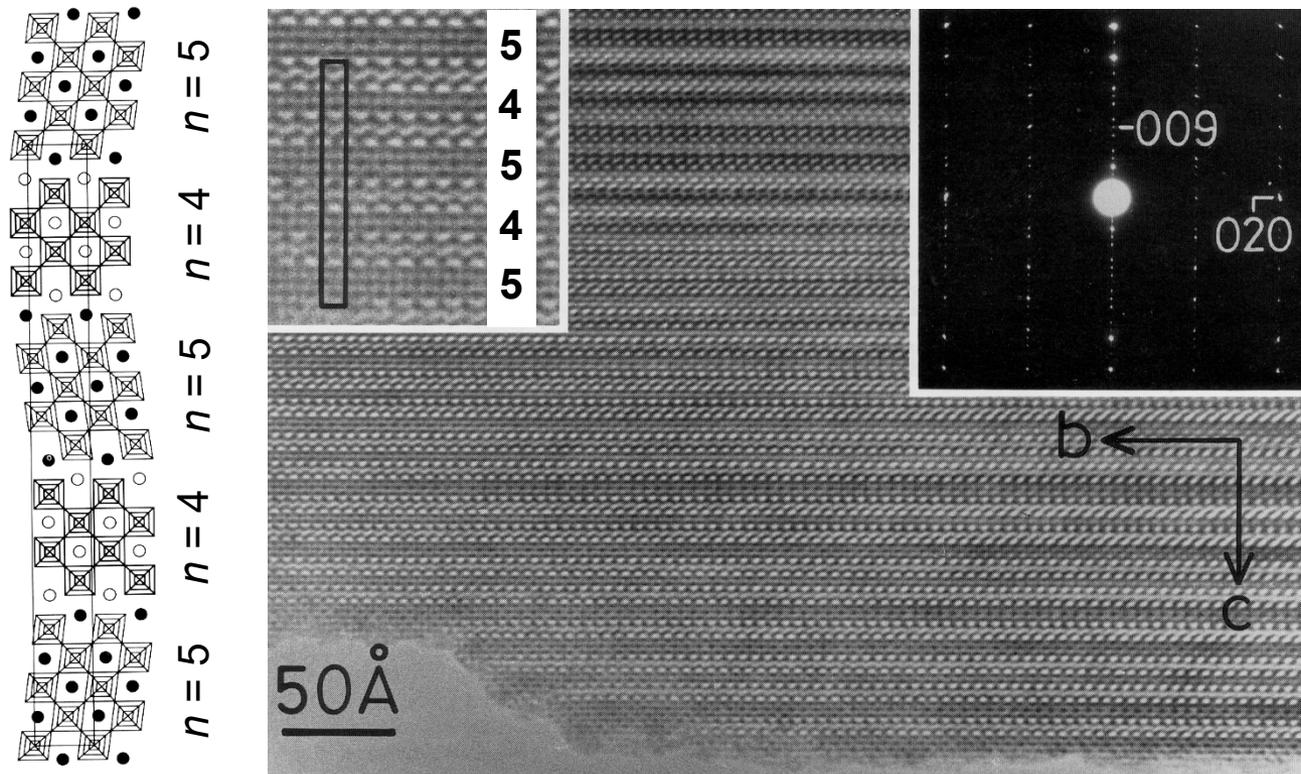
b
 $c \parallel [110]_{\text{perovskite}}$

$n = 4$ $ABO_{3.50}$ $n = 4.5$ $ABO_{3.44}$ $n = 5$ $ABO_{3.40}$ $n = \infty$ ABO_3 perovskite

Compositional examples \rightarrow $\text{SrNbO}_{3.50}$ $\text{SrNbO}_{3.44}$ $\text{SrNbO}_{3.40}$ SrNbO_3
 Physical properties \rightarrow ferroelectric quasi-1D metals metal

<https://dx.doi.org/10.3929/ethz-b-000424221>

High-resolution transmission electron microscopy image from the $n = 4.5$ type quasi-1D metal $\text{SrNbO}_{3.45}$ ($c \approx 59 \text{ \AA}$)



TEM image made by Tim Williams

T. Williams et al., *Journal of Solid State Chemistry* **103** (1993) 375 • F. Lichtenberg et al., *Zeitschrift für Physik B Condensed Matter* **84** (1991) 369 and *Progress in Solid State Chemistry* **29** (2001) 1 • D. H. Lu et al., *Physica C* **282 - 287** (1997) 995 • C. A. Kuntscher et al., *Physical Review B* **70** (2004) 245123 and *B* **61** (2000) 1876

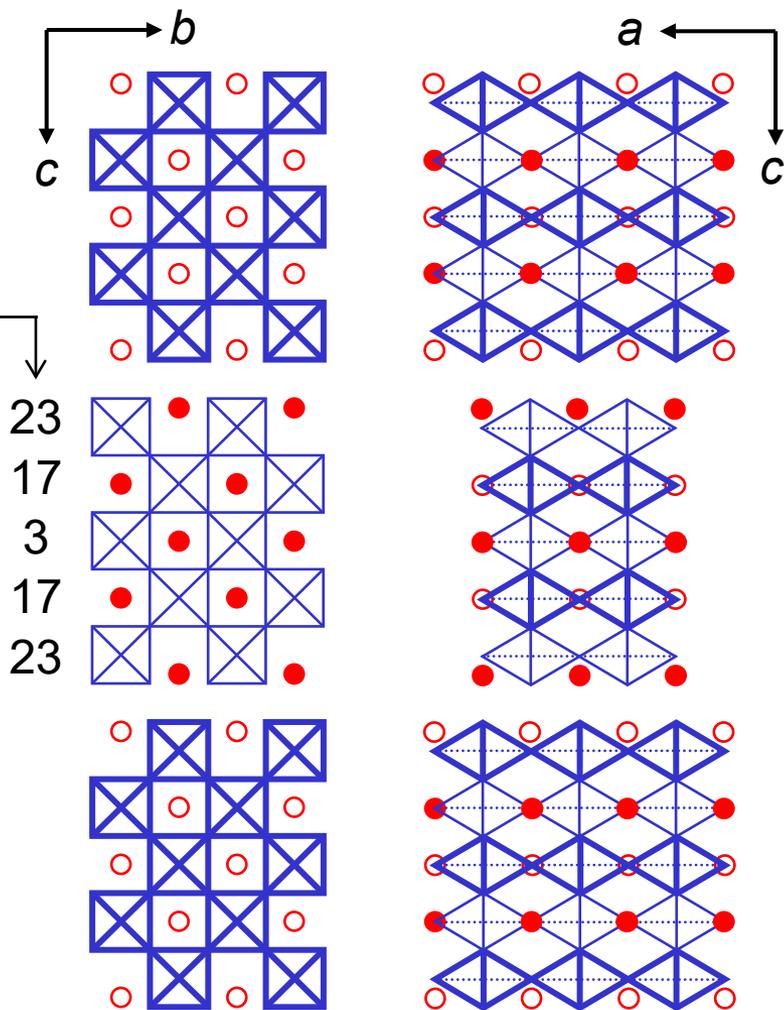
BO_6 octahedra (O located at corners, B hidden in center) = 

Sketch of the pronounced structural anisotropy of $A_nB_nO_{3n+2} = ABO_x$ by using $n = 5$ as example

$B - O$ linkage:

- zig-zag along b -axis
- chains along a -axis
- interruptions along c -axis
→ layered crystal structure

Distortion of BO_6 octahedra in percent
Typical values for $n = 5$



$n = 5$ type $A_5B_5O_{17} = ABO_{3.4}$

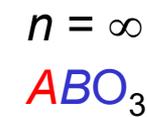
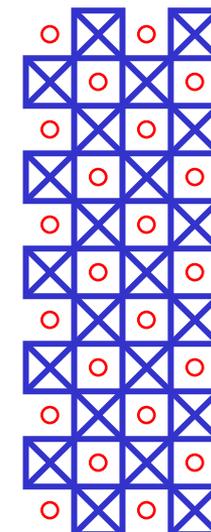
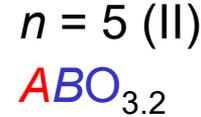
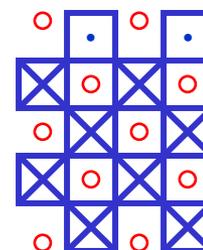
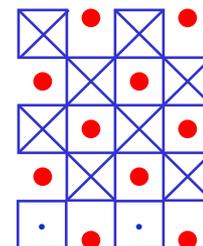
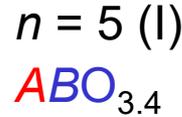
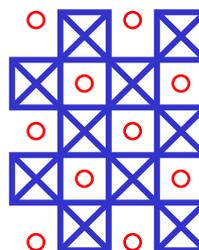
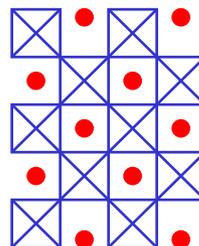
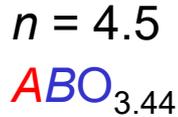
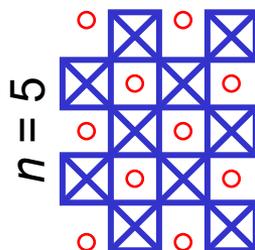
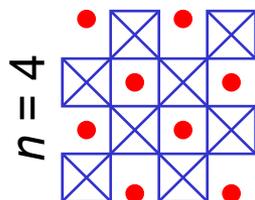
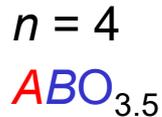
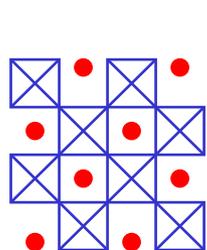
Sketch of the perovskite-related structure of

 = BO_6 octahedra (O located at corners, B hidden in center)

 = BO_4 (O located at corners, B in the center)



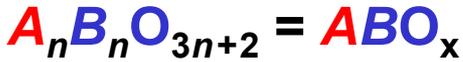
$c \parallel [110]_{\text{perovskite}}$



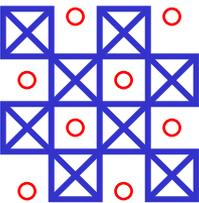
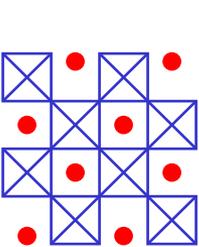
Sketch of the perovskite-related structure of

 = BO_6 octahedra (O located at corners, B hidden in center)

 = BO_4 (O located at corners, B in the center)



$c \parallel [110]_{\text{perovskite}}$

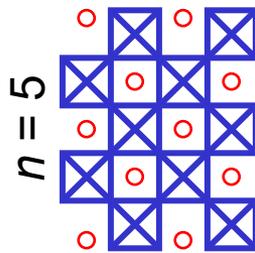
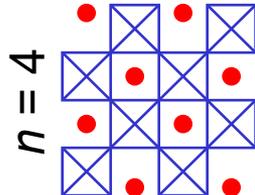


$n = 4$



non-centrosym.

ferroelectric

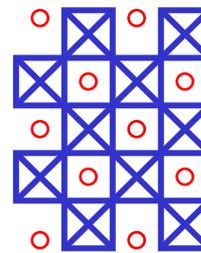
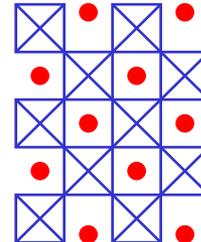


$n = 4.5$

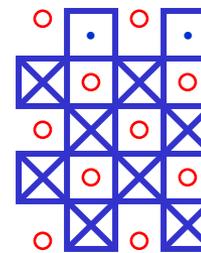
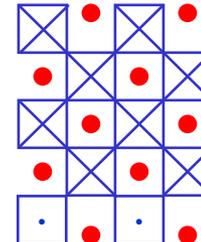


centrosymmetric

quasi-1D metals



$n = 5$ (I)

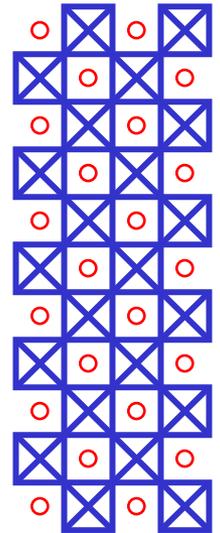


$n = 5$ (II)



non-centrosym.

quasi-1D metal ?



$n = \infty$



centrosym.

metal

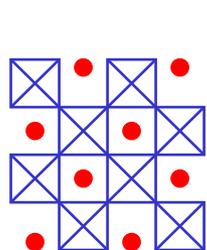
Examples from the system SrNbO_x with Nb^{5+} ($4d^0$) and / or Nb^{4+} ($4d^1$)

Sketch of the perovskite-related structure of

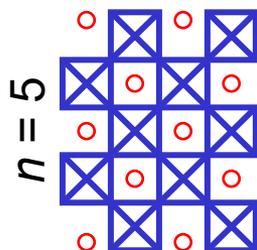
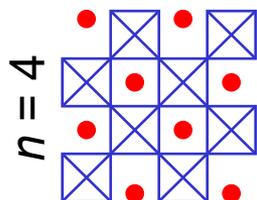
\square = BO_6 octahedra (O located at corners, B hidden in center)



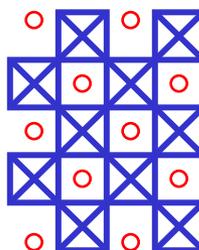
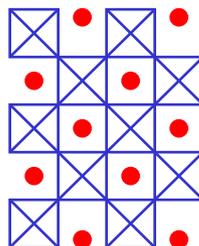
$c \parallel [110]_{\text{perovskite}}$



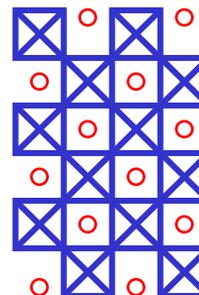
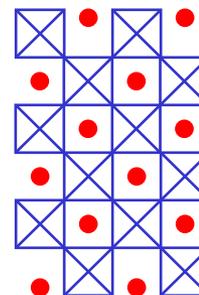
$n = 4$
 $ABO_{3.5}$



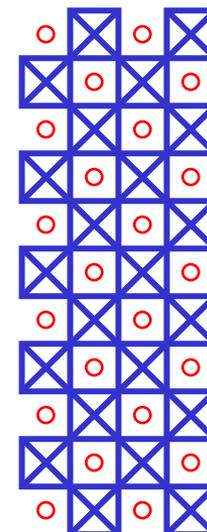
$n = 4.5$
 $ABO_{3.44}$



$n = 5$
 $ABO_{3.4}$



$n = 6$
 $ABO_{3.33}$



$n = \infty$
 ABO_3

<https://dx.doi.org/10.3929/ethz-b-000424221>

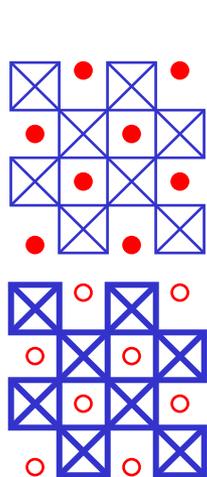
Sketch of the perovskite-related structure of



 = BO_6 octahedra (O located at corners, B hidden in center)

Examples from the system $Sr(Nb,Ti)O_x$ with Nb^{5+} ($4d^0$) and Ti^{4+} ($3d^0$)

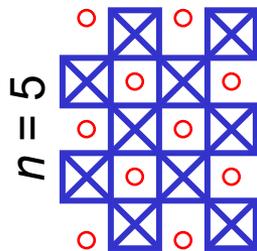
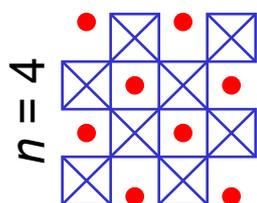
$c \parallel [110]_{\text{perovskite}}$



$n = 4$



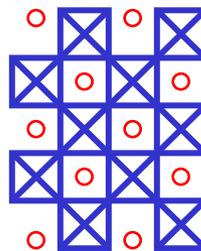
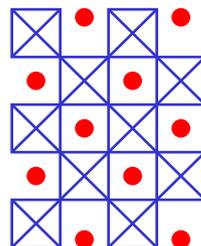
non-centrosym.
ferroelectric



$n = 4.5$



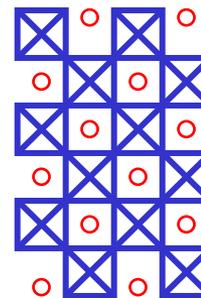
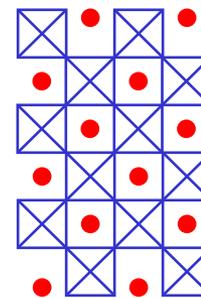
centrosymmetric
insulator



$n = 5$



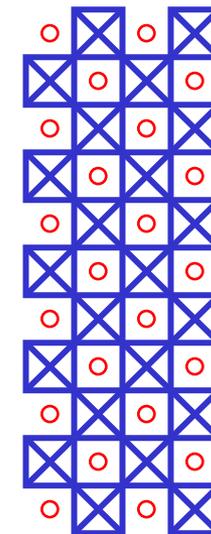
centrosymmetric
antiferroelectric



$n = 6$



non-centrosym.
ferroelectric



$n = \infty$



centrosym.
insulator

<https://dx.doi.org/10.3929/ethz-b-000424221>

Approximate lattice parameters of oxides of the type $A_nB_nO_{3n+2} = ABO_x$

Lattice parameters		Structure type n
a (Å)	~ 3.9 or $\sim 2 \times 3.9 = 7.8$	all n
b (Å)	~ 5.5	all n
c (Å)	~ 44	$n = 7$
	~ 19 or $\sim 2 \times 19 = 38$	$n = 6$
	~ 31	$n = 5$
	~ 58	$n = 4.5$
	~ 83	$n = 4.33$
	~ 13 or $\sim 2 \times 13 = 26$	$n = 4$
	~ 20	$n = 3$
	~ 7.5 or $\sim 2 \times 7.5 = 15$	$n = 2$
β (°)	90 (orthorhombic) or ~ 96 (monoclinic)	all n

Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253 and references therein

<https://dx.doi.org/10.3929/ethz-b-000424221>

2 Searching for new superconductors among oxides

2.1 Synthesis of melt-grown oxide materials

2.2 Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$

2.2.1 Crystal structure

2.2.2 Physical and structural properties

2.2.3 Why they might have a potential to create high- T_c or room temperature superconductors

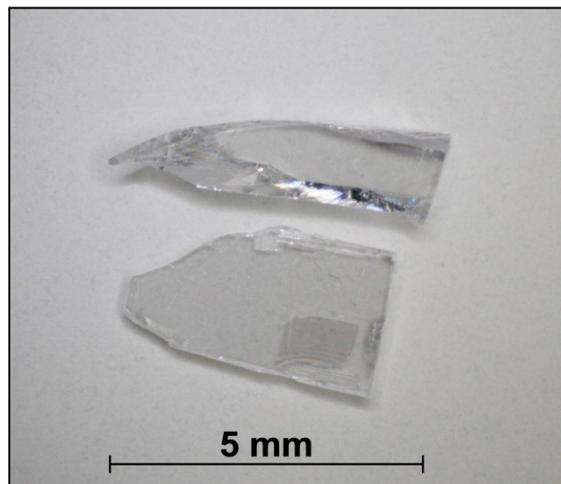
2.2.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

$A_n B_n O_{3n+2} = ABO_x$ type insulators and ferroelectrics ($B = \text{Ti}^{4+}, \text{Nb}^{5+}, \text{Ta}^{5+}$)

- The highest- T_c ferroelectrics are $n = 4$ type oxides, e.g. $\text{LaTiO}_{3.50}$ with $T_c = 1770$ K and $\text{CaNbO}_{3.50}$ which is ferroelectric up to its melting point of 1850 K !
S. Nanamatsu et al., *Ferroelectrics* 8 (1974) 511 • S. Nanamatsu and M. Kimura, *J. Phys. Soc. Jpn.* 36 (1974) 1495
Definition of highest- T_c ferroelectrics: Compounds with $T_c > T_c(\text{LiNbO}_3) = 1480$ K
- Ferroelectrics $\rightarrow n$ is an even number like $n = 2, 4, 6$ (non-centrosymmetric)
Antiferroelectrics $\rightarrow n$ is an odd number like $n = 3, 5, 7$ (centrosymmetric)
- Compounds with non-integral n
e.g. $\text{CaNb}_{0.89}\text{Ti}_{0.11}\text{O}_{3.44}$ ($n = 4.5$) M. Nanot et al. , *Journal of Solid State Chemistry* 28 (1979) 137
- Single phase bulk materials known for $n = 2, 3, 4, 4.33, 4.5, 5, 6, 7$
- Complex structural details like incommensurate modulations
e.g. in $\text{SrNbO}_{3.50}$ ($n = 4$) P. Daniels et al. , *Acta Crystallographica Section B* 58 (2002) 970
- Another ions $B' = \text{Al}^{3+}, \text{Fe}^{3+} \dots$ can occupy the B site:
 $B = (\text{Ti}, \text{Nb}, \text{Ta})_{1-y} B'_y$ whereby so far $y \leq 0.33$

Examples of melt-grown $A_nB_nO_{3n+2} = ABO_x$ type insulators with $B = Nb^{5+}$

Crystalline pieces from the as-grown materials which were grown under synth. air



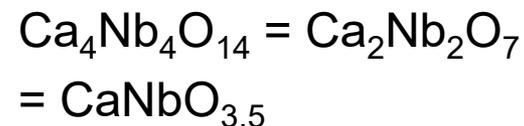
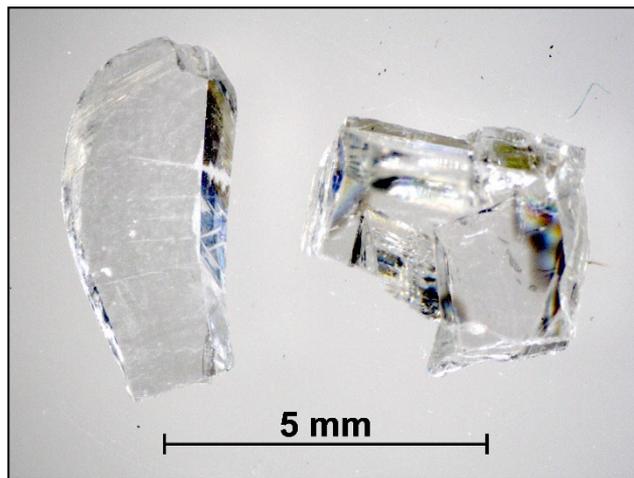
Sample No. 169

White transparent ferroelectric insulator with $T_c = 1615$ K

J. Phys. Soc. Jpn. 38 (1975) 817

Structure type $n = 4$

Prog. Solid State Chem. 29 (2001) 1 • As-grown materials prepared at the University of Augsburg with a GERO mirror furnace • Photos taken at the ETH Zurich



Sample No. 84

White transparent insulator which is ferroelectric up to the melting point of 1850 K

J. Phys. Soc. Jpn. 36 (1974) 1495

Structure type $n = 4$

<https://dx.doi.org/10.3929/ethz-b-000424221>

Ferroelectric $n = 4$ type



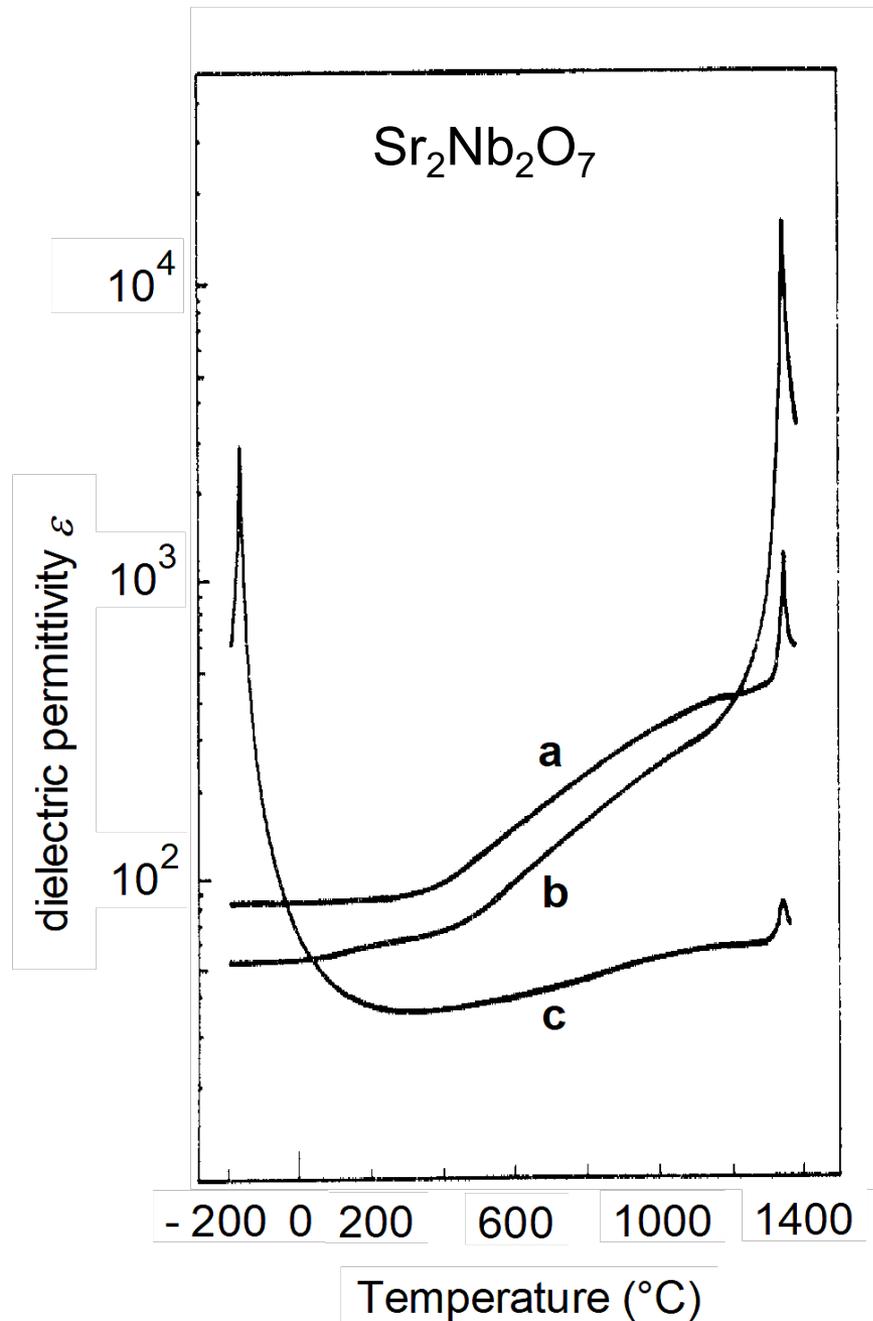
$$T_c = 1340 \text{ }^\circ\text{C}$$

Crystallographic and Dielectric Properties of Ferroelectric $\text{A}_2\text{B}_2\text{O}_7$ (A=Sr, B=Ta, Nb) Crystals and Their Solid Solutions

Satoshi Nanamatsu, Masakazu Kimura, and Tsutomu Kawamura

Journal of the Physical Society of Japan 38 (1975) 817 - 824

<https://doi.org/10.1143/JPSJ.38.817>



<https://dx.doi.org/10.3929/ethz-b-000424221>

$A_nB_nO_{3n+2} = ABO_x$ type electrical conductors

No publications before 1991 apart from the following structural study on conducting CaNbO_x ($3.4 \leq x < 3.5$) in which no physical properties are not reported:

M. Hervieu et al. , Journal of Solid State Chemistry 22 (1977) 273

Systematic study of $A_n B_n O_{3n+2} = ABO_x$ electronic conductors started with a study of melt-grown $La_n Ti_n O_{3n+2} = LaTiO_x$

Synthesis and study of $LaTiO_x$ between the end members $LaTiO_3$ and $LaTiO_{3.5}$ which were already known

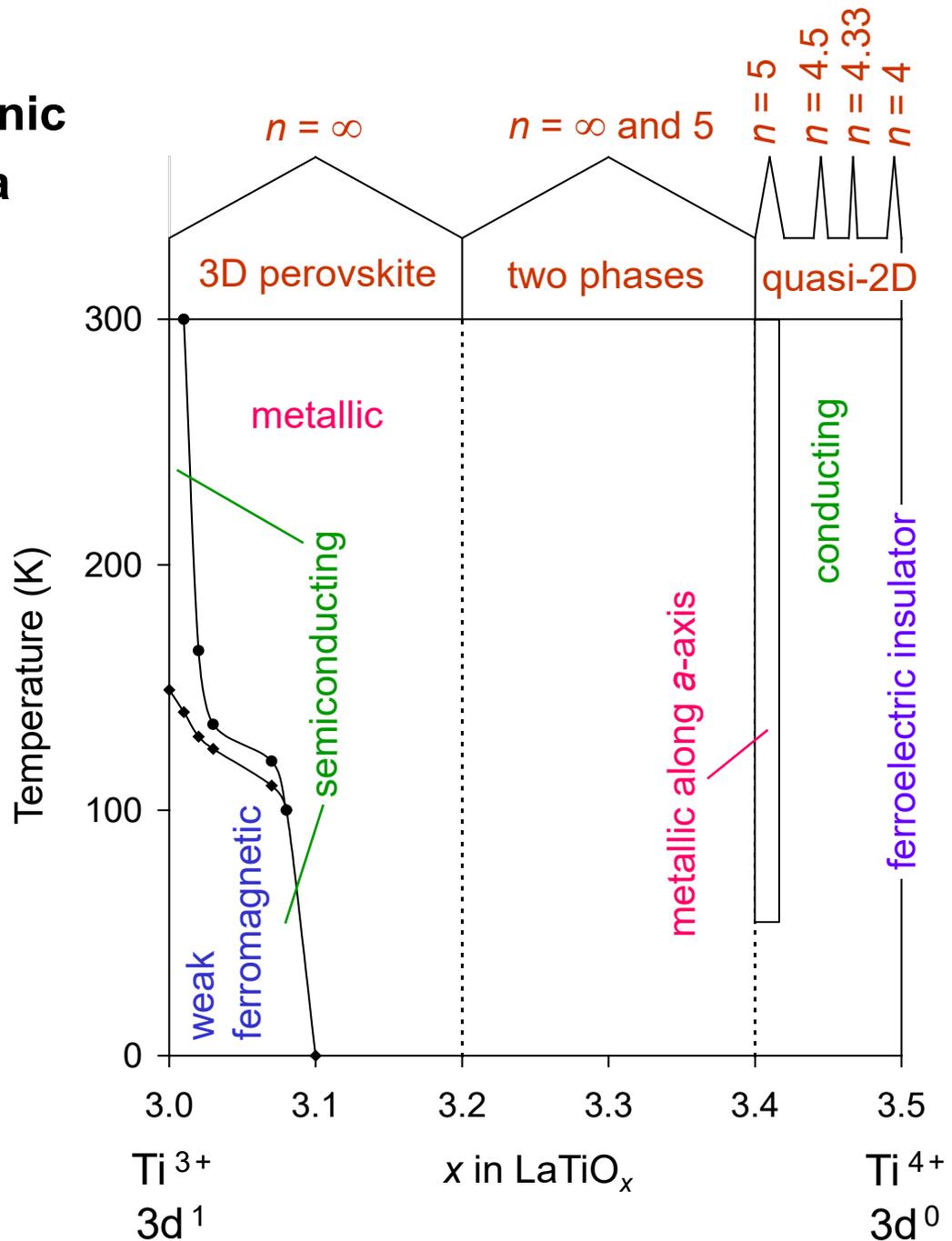
F. Lichtenberg, Dissertation, University of Zurich (1991)

F. Lichtenberg et al., Zeitschrift für Physik B Condensed Matter **82** (1991) 211

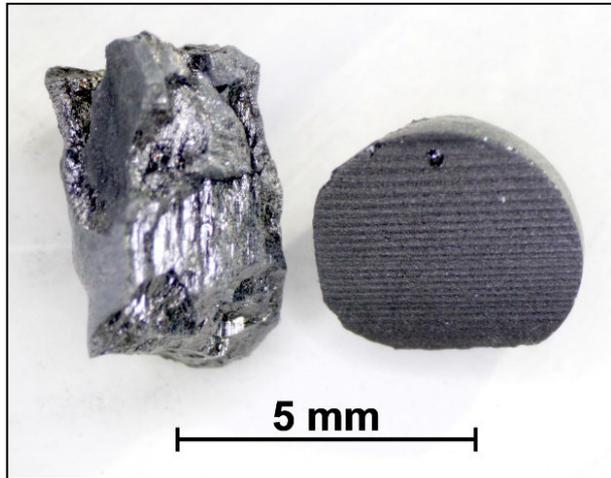
T. Williams et al., Journal of Solid State Chemistry **93** (1991) 534 and **103** (1993) 375

F. Lichtenberg et al., Progress in Solid State Chemistry **29** (2001) 1

C. A. Kuntscher et al., Physical Review B **67** (2003) 035105



Pictures from melt-grown LaTiO_x



$n = \infty$ type LaTiO_3 Sample No. 442

Pieces from the as-grown material which was prepared by processing rods with the composition LaTiO_3 under Ar in a GERO mirror furnace at the University of Augsburg

Photo taken at the ETH Zurich

Physical Review B 68 (2003) 245108

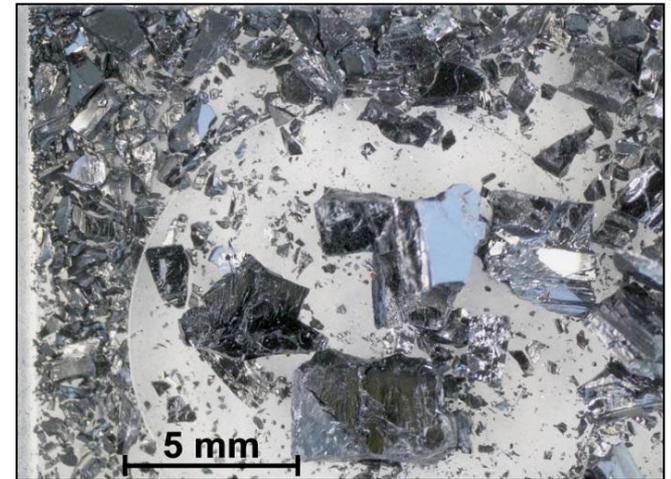


$n = 5$ type $\text{LaTiO}_{3.4}$ Sample No. Z 187

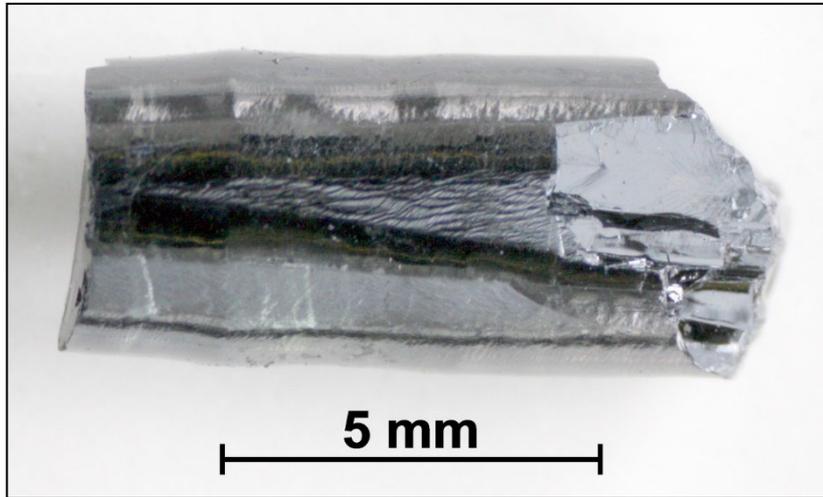
Pieces from the as-grown material which was prepared by processing rods with the composition $\text{LaTiO}_{3.4}$ under Ar in an IBM mirror furnace at the IBM Zurich Research Laboratory

Photos taken at the ETH Zurich

Zeitschrift für Physik B Condensed Matter 82 (1991) 211



Pictures from melt-grown LaTiO_x



$n = 5$ type $\text{LaTiO}_{3.41}$ Sample No. 353

A piece from the as-grown material which was prepared by processing rods with the fully oxidized composition $\text{LaTiO}_{3.5}$ under 98 % Ar plus 2 % H_2 in a GERO mirror furnace at the University of Augsburg

Photo taken at the ETH Zurich

Progress in Solid State Chemistry 29 (2001) 1

Table 35 in Progress in Solid State Chemistry 36 (2008) 253 and references therein



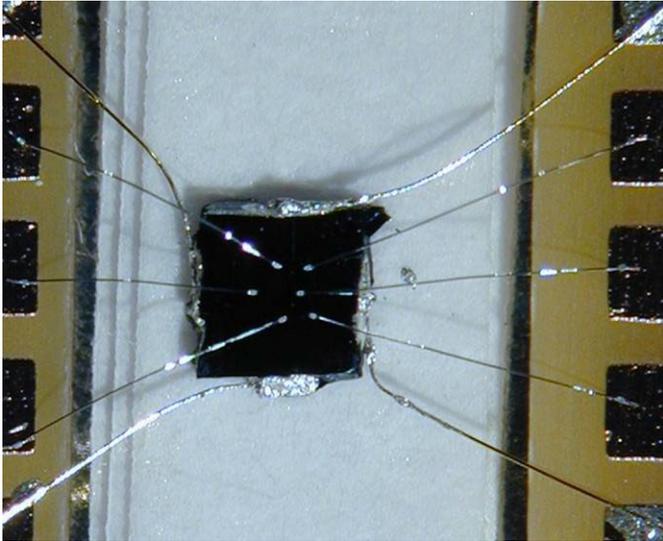
$n = 4$ type $\text{LaTiO}_{3.5}$ Sample No. 168

Pieces from the as-grown material which was prepared by processing rods with the composition $\text{LaTiO}_{3.5}$ under air in a GERO mirror furnace at the University of Augsburg

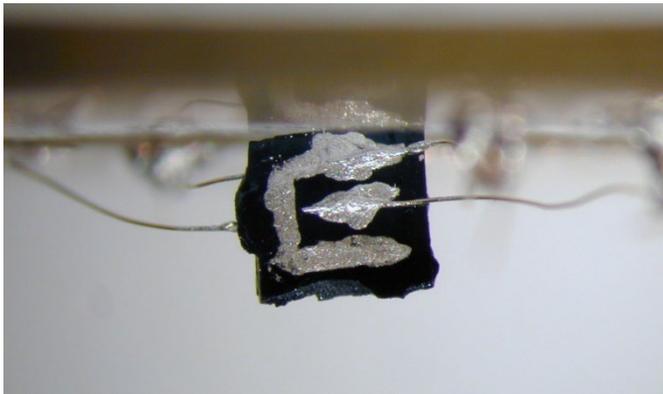
Photo taken at the ETH Zurich

Progress in Solid State Chemistry 29 (2001) 1

Electrical contacts for resistivity measurements on plate-like crystals



A crystal prepared for four-point resistivity measurements along two different directions within the ab -plane, usually along the a - and b -axis. The size of this crystal is $(1.7 \text{ mm}) \times (1.7 \text{ mm}) \times (0.3 \text{ mm})$. At the four sides the current leads, $50 \mu\text{m}$ diameter Au wires, are attached with silver paint. On the top there are six voltage contacts, $25 \mu\text{m}$ diameter Al wires, which were mechanically fixed by ultrasonic bonding. Although one current direction requires only two voltage contacts, the presence of more contacts can be very useful, e.g. if one of them fails.



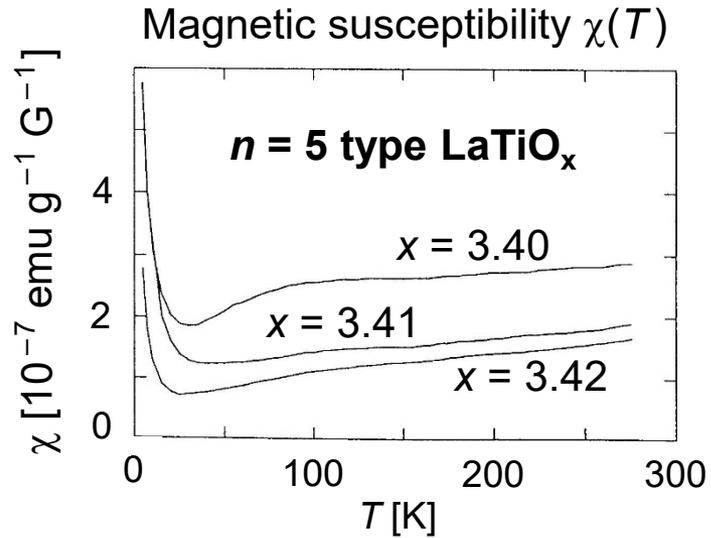
The same crystal as shown above but now with contacts for a four-point resistivity measurement perpendicular to the layers. Shown is one of the both sides with two contacts which were prepared by silver paint and $50 \mu\text{m}$ diameter Au wires. The U-like shape is used as current contact and the other in the middle as voltage contact. There are two corresponding contacts on the other side of the crystal.

F. Lichtenberg, A. Herrnberger, and K. Wiedenmann, Progress in Solid State Chemistry 36 (2008) 253

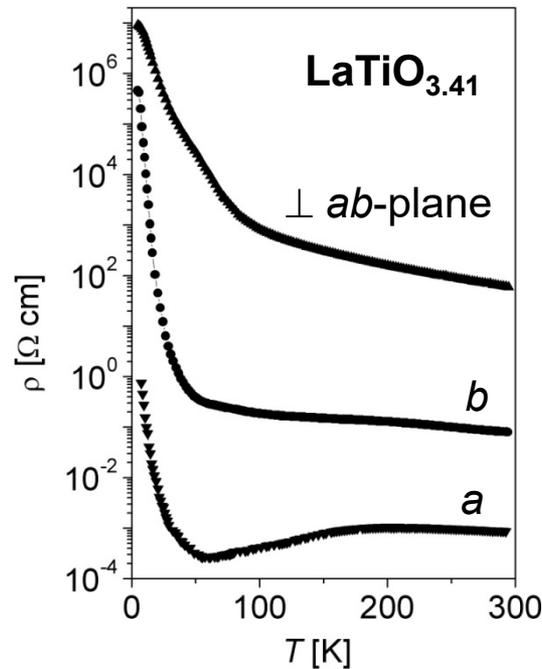
<https://dx.doi.org/10.3929/ethz-b-000424221>

The monoclinic $n = 5$ titanate $\text{La}_5\text{Ti}_5\text{O}_{17} = \text{LaTiO}_{3.4}$ ($\text{Ti}^{3.8+}$, $3d^{0.2}$)

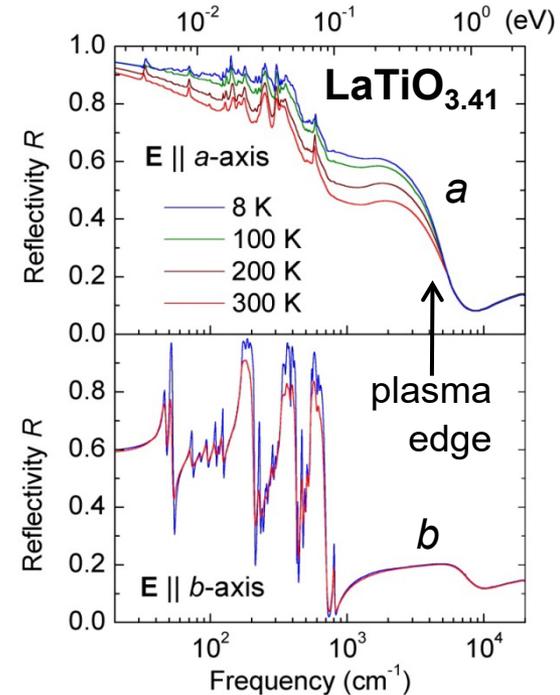
<https://dx.doi.org/10.3929/ethz-b-000424221>



Resistivity $\rho(T)$ along a - and b -axis and $\perp ab$ -plane



Optical reflectivity vs. frequency along a - and b -axis

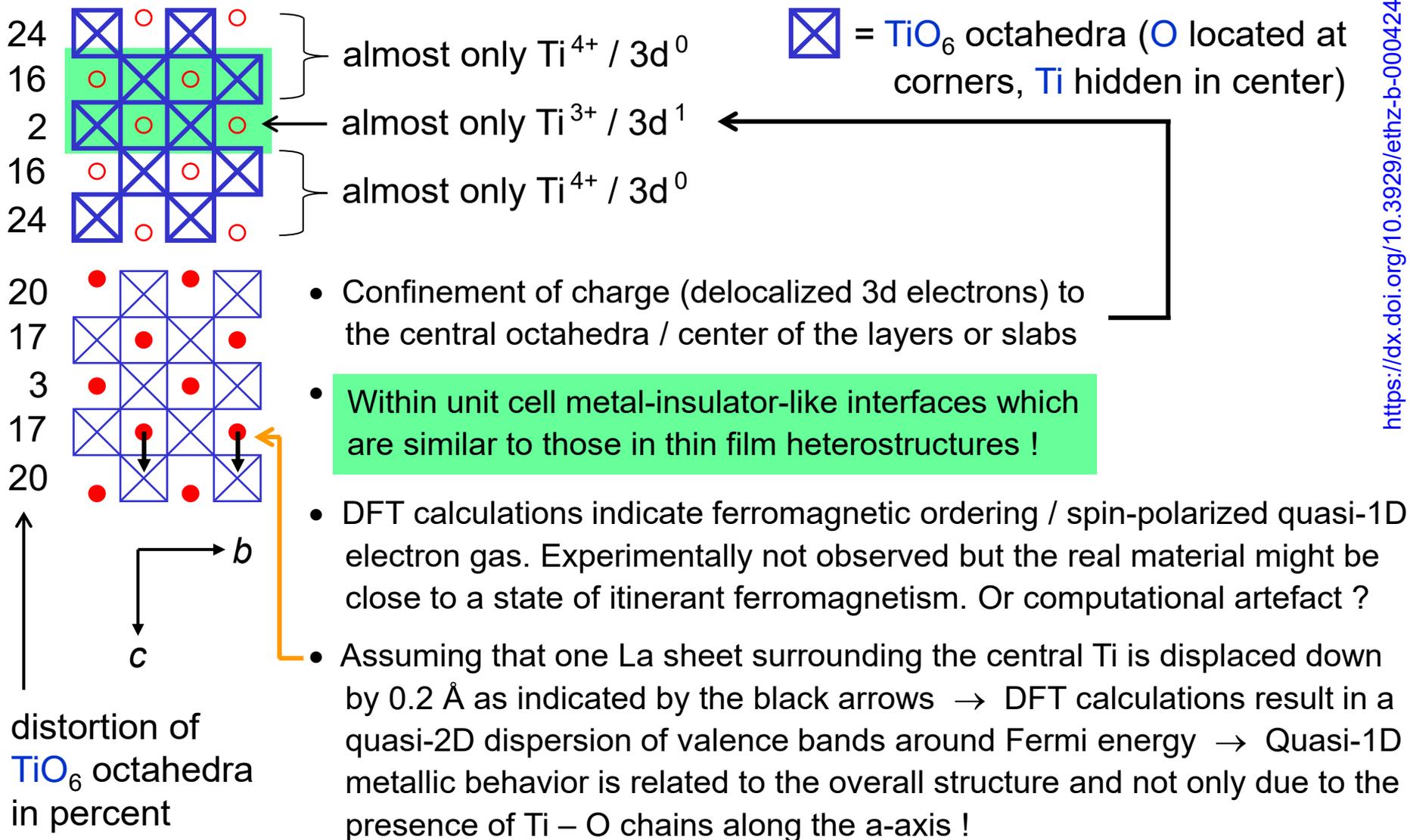


Highly anisotropic conductor and quasi-1D metal • At $T \approx 100$ K metal-to-semiconductor transition / indications for a phase transition • Below $T \approx 100$ K very small energy gap of ≈ 6 meV along a -axis • Indications for strong electron-phonon coupling • Crystal structure determined by single crystal x-ray diffraction • Studies under high pressure indicate a stable structure up to 18 GPa, a sluggish structural phase transition from 18 to 24 GPa, and near 15 GPa an onset of a dimensional crossover from a quasi-1D to a quasi-2D metal

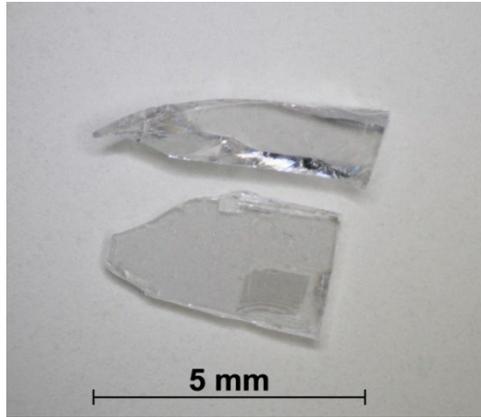
F. Lichtenberg et al: Progress in Solid State Chemistry 36 (2008) 253 and 29 (2001) 1 and Zeitschrift für Physik B Condensed Matter 84 (1991) 369 • C. A. Kuntscher et al: Physical Review B 74 (2006) 054105 and 67 (2003) 035105 • I. Loa et al., Physical Review B 69 (2004) 224105 • P. Daniels et al., Acta Crystallographica Section C 59 (2003) i15

The $n = 5$ quasi-1D metal $\text{La}_5\text{Ti}_5\text{O}_{17}$ ($\text{Ti}^{3.8+}, 3d^{0.2}$)

<https://dx.doi.org/10.3929/ethz-b-000424221>

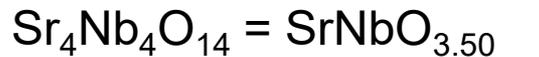


Melt-grown $n = 4$ type $\text{SrNbO}_{3.5}$ and $\text{Sr}_{0.8}\text{La}_{0.2}\text{NbO}_{3.5}$



Examples of $n = 4$ type crystalline pieces from the as-grown materials

Grown under synth. air (left) or argon (right) at the University of Augsburg. Photos taken at the ETH Zurich



$\text{Nb}^{5+} / 4d^0$ Sample No. 169

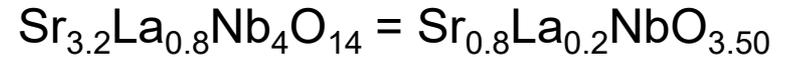
White transparent

high- T_c ferroelectric

insulator with $T_c = 1615$ K



Replacing
 Sr^{2+} partly
by La^{3+}



$\text{Nb}^{4.8+} / 4d^{0.2}$ Sample No. 72

Black-blue electrical conductor

- Optical spectroscopy, angle-resolved photoelectron spectroscopy and resistivity measurements → Weakly pronounced quasi-1D metal
- Optical spectroscopy indicates presence of ferroelectric soft mode → Is this a polar or ferroelectric metal ?

C. A. Kuntscher et al., Physical Review B 70 (2004) 245123

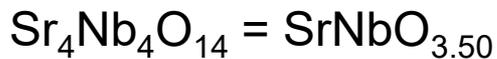
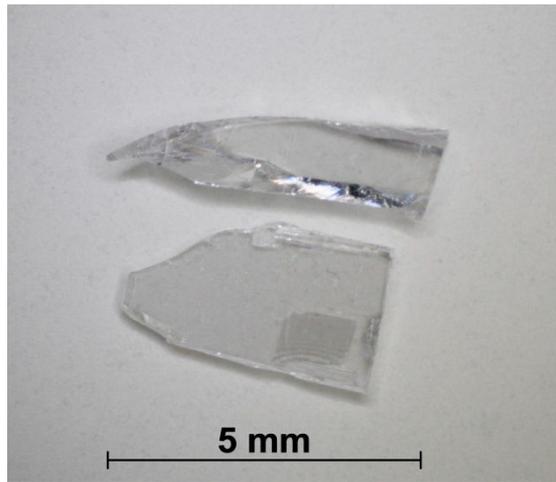
V. Bobnar et al., Physical Review B 65 (2002) 155115

F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253

Satoshi Nanamatsu et al., Journal of the Physical Society of Japan 38 (1975) 817

Melt-grown $n = 4$ type $\text{SrNbO}_{3.5}$ and $n = 5$ type $\text{SrNbO}_{3.4}$

Examples of crystalline pieces from the as-grown materials



$\text{Nb}^{5+} / 4d^0$ Sample No. 169

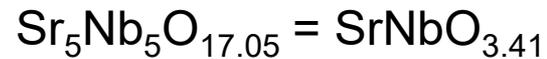
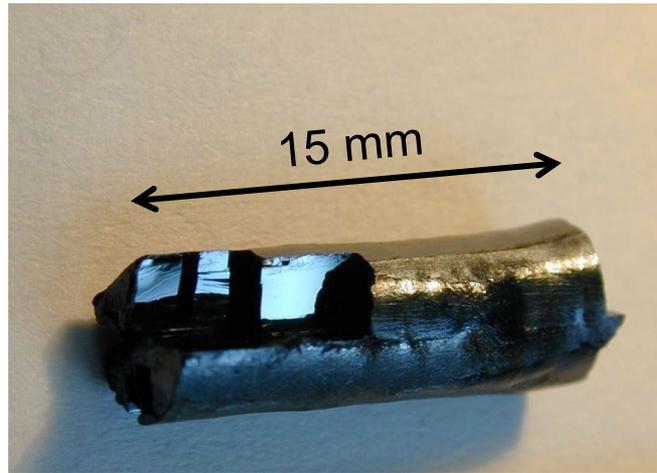
Grown under synthetic air

White transparent

high- T_c ferroelectric

insulator with $T_c = 1615$ K

Structure type $n = 4$

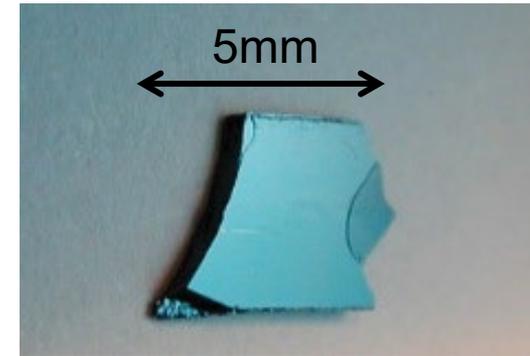


$\text{Nb}^{4.82+} / 4d^{0.18}$ Sample No. 71

Grown under argon

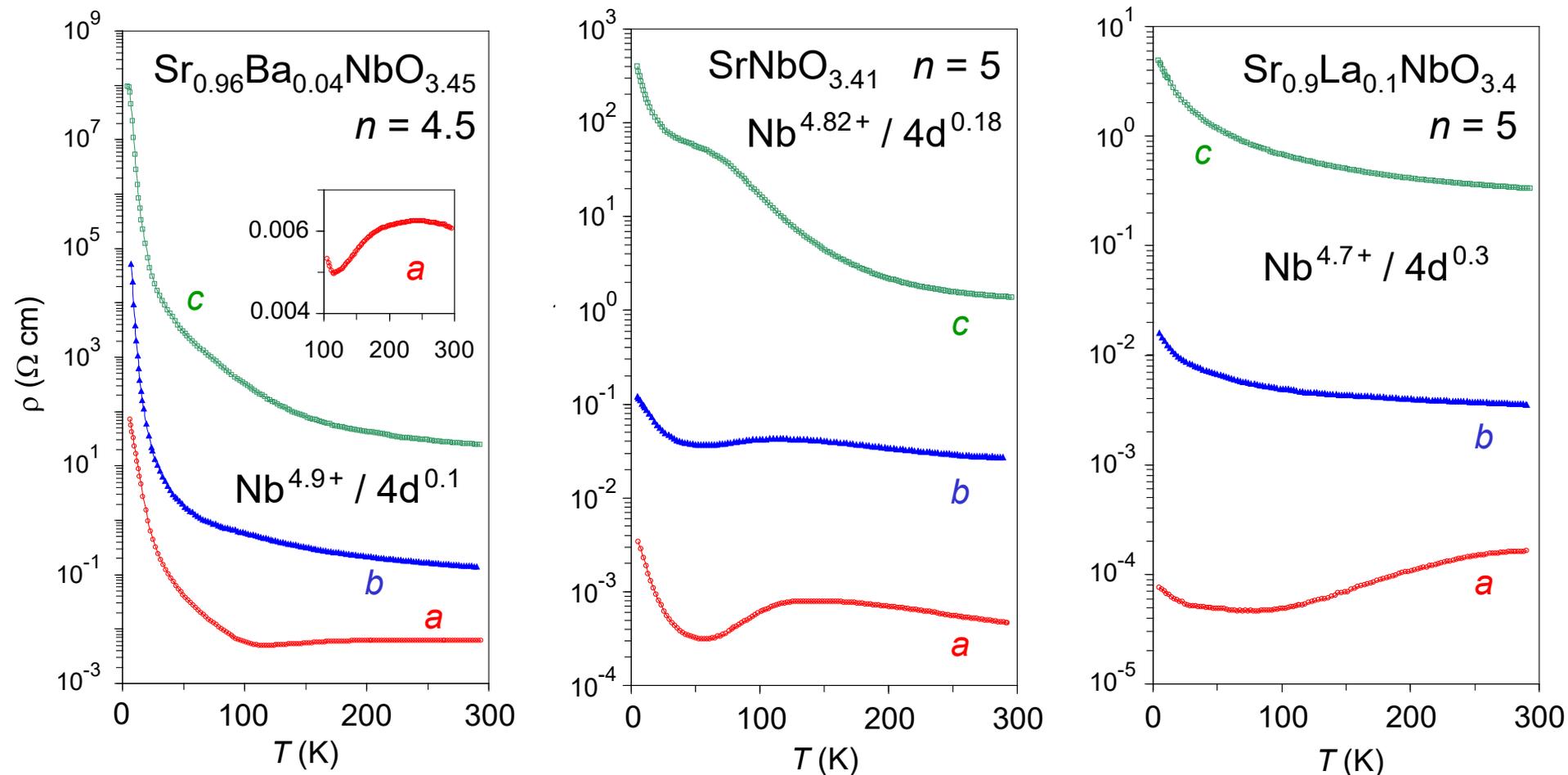
Black-blue quasi-1D metal

Structure type $n = 5$



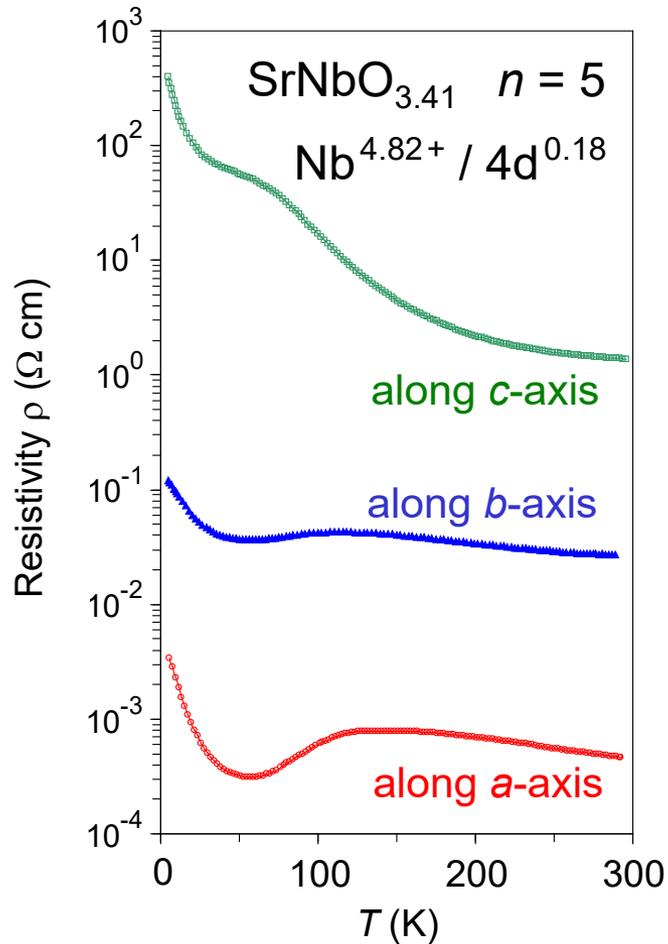
Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253
Physical Review B 65 (2002) 155115 and B 70 (2004) 245123
Physical Review Letters 89 (2002) 236403
Journal of the Physical Society of Japan 38 (1975) 817
Samples prepared at the University of Augsburg
Photo of $\text{Sr}_4\text{Nb}_4\text{O}_{14} = \text{SrNbO}_{3.5}$ taken at the ETH Zurich

Resistivity $\rho(T)$ of some $A_n\text{Nb}_n\text{O}_{3n+2} = \text{ANbO}_x$ along the **a**-, **b**- and **c**-axis



- Highly anisotropic conductors
- Quasi-1D metals along **a**-axis. The quasi-1D metallic behavior is confirmed or revealed by angle-resolved photoemission (ARPES) and optical spectroscopy. For references see the previous pages and the pages after the next two pages
- Metal-to-semiconductor transition at low T <https://dx.doi.org/10.3929/ethz-b-000424221>

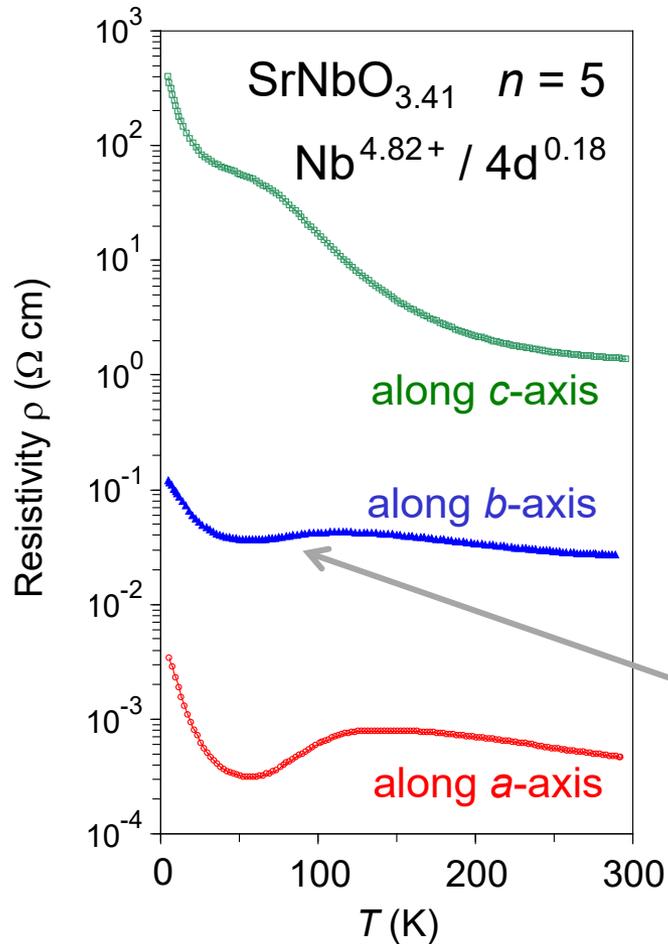
Resistivity $\rho(T)$ of the $n = 5$ type $\text{SrNbO}_{3.41}$ and the Sr- and O-deficient $n = 5$ type $\text{Sr}_{0.95}\text{NbO}_{3.37}$



F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1

<https://dx.doi.org/10.3929/ethz-b-000424221>

Resistivity $\rho(T)$ of the $n = 5$ type $\text{SrNbO}_{3.41}$ and the Sr- and O-deficient $n = 5$ type $\text{Sr}_{0.95}\text{NbO}_{3.37}$

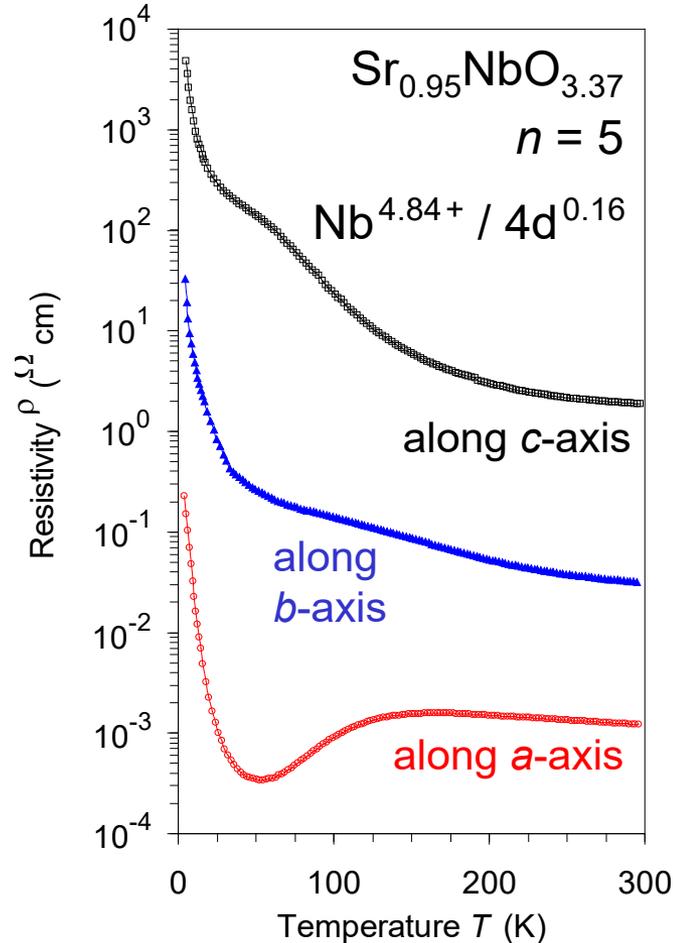
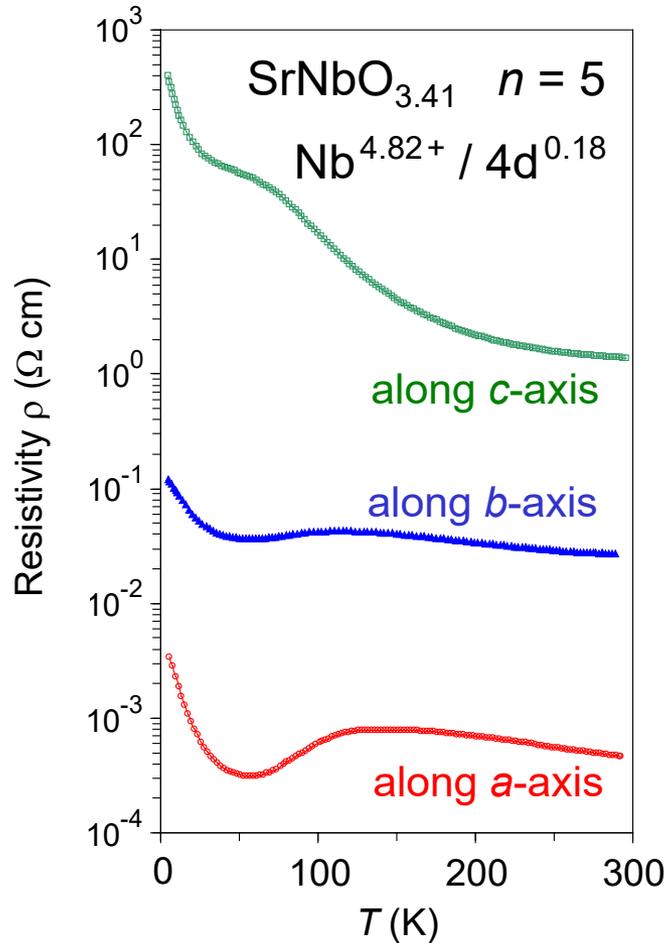


This section with a metallic temperature dependence along the *b*-axis could be due to an intermixture of a contribution from the *a*-axis

F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1

<https://dx.doi.org/10.3929/ethz-b-000424221>

Resistivity $\rho(T)$ of the $n = 5$ type $\text{SrNbO}_{3.41}$ and the Sr- and O-deficient $n = 5$ type $\text{Sr}_{0.95}\text{NbO}_{3.37}$



Optical spectroscopy confirmed or revealed that both materials are quasi-1D metals

$\text{SrNbO}_{3.41}$:
C. A. Kuntscher et al.,
Physical Review Letters 89 (2002) 236403 and
Physical Review B 70 (2004) 245123

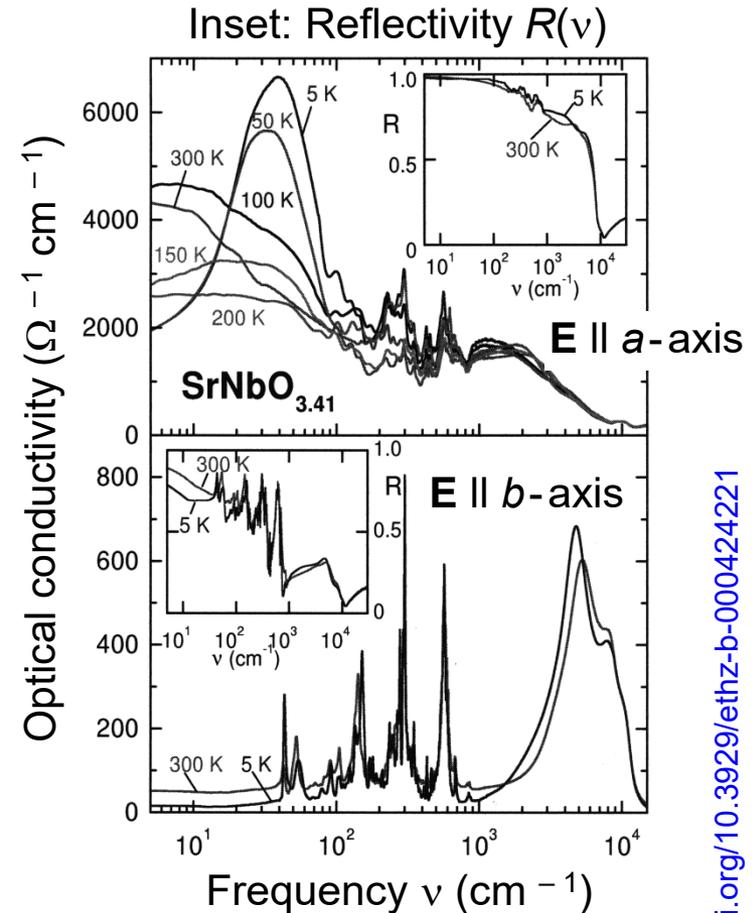
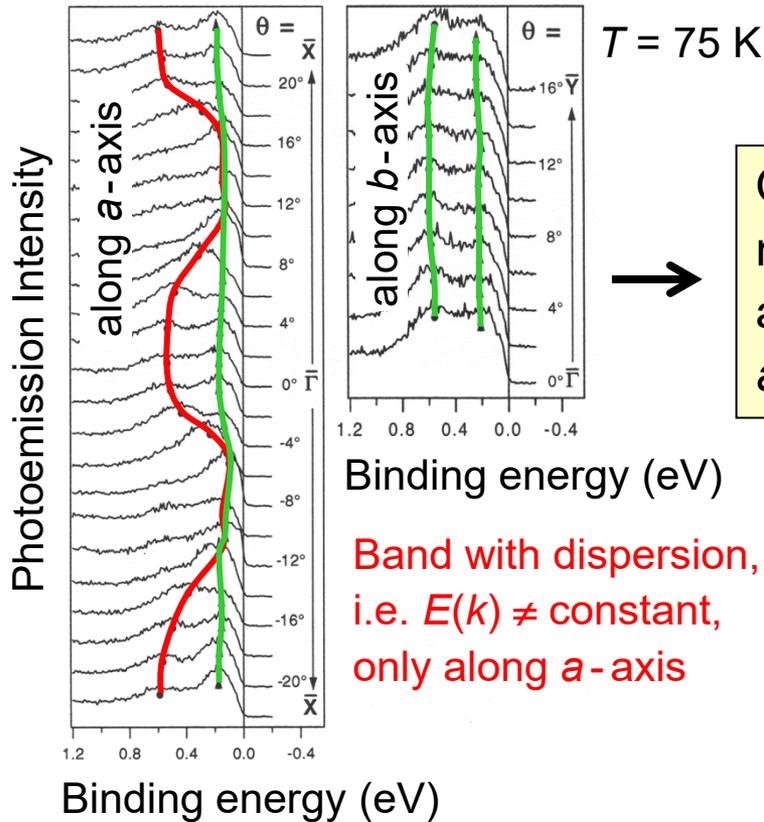
$\text{Sr}_{0.95}\text{NbO}_{3.37}$:
Teguh Citra Asmara
et al., to be published
in Communications
Physics (2020).

F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1

<https://dx.doi.org/10.3929/ethz-b-000424221>

Comprehensive studies on $A_n\text{Nb}_n\text{O}_{3n+2} = \text{ANbO}_x$ by angle-resolved photoemission (ARPES) and optical spectroscopy: Example $n = 5$ type $\text{SrNbO}_{3.41}$

ARPES probes occupied electronic states and their dispersion $E(k)$, $k = k(\theta)$

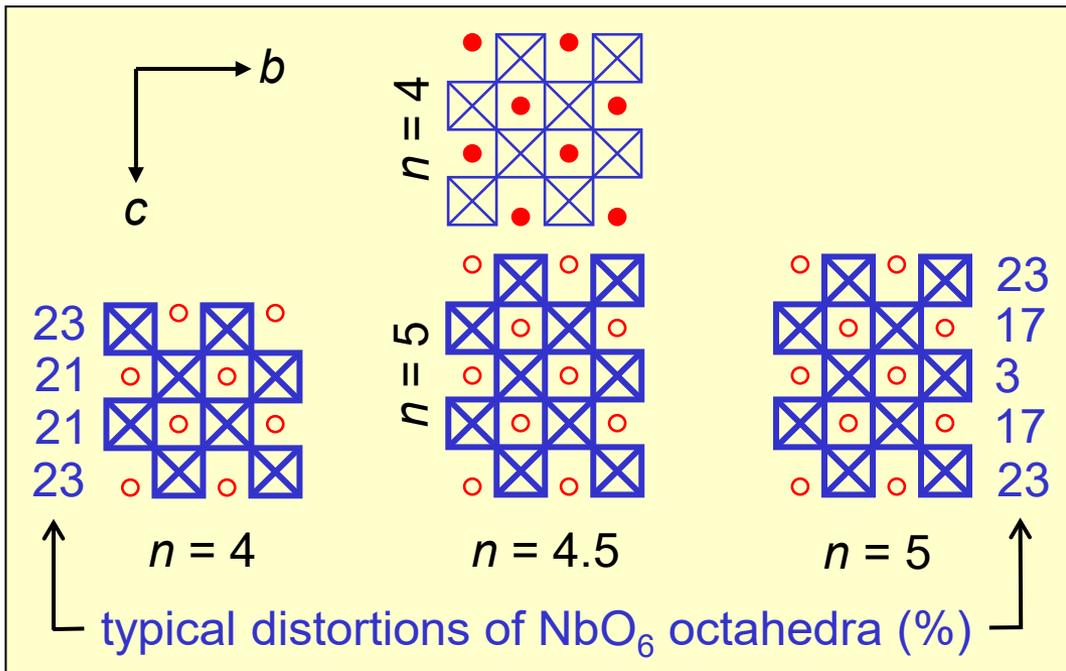


- Metal-to-semiconductor transition at $T < 100 \text{ K}$
- High-resolution ARPES at 25 K , resistivity $\rho(T)$ & optical conductivity \rightarrow Semiconducting state with extremely small energy gap $\Delta \approx 5 \text{ meV}$, the smallest Δ of all known quasi-1D metals
- Experimental findings appear inconsistent with Peierls or 1D Mott-Hubbard picture

Comprehensive studies on $A_n\text{Nb}_n\text{O}_{3n+2} = A\text{NbO}_x$ by ARPES, optical spectroscopy, resistivity measurements, and electronic band structure calculations

$n = 4$	$\text{Sr}_{0.8}\text{La}_{0.2}\text{NbO}_{3.50}$	$4d^{0.20}$	} Quasi-1D metals Small energy gap at low T along a -axis
$n = 4.5$	$\text{SrNbO}_{3.45}$	$4d^{0.10}$	
$n = 5$	$\text{SrNbO}_{3.41}$	$4d^{0.18}$	
$n = 5$	$\text{Sr}_{0.9}\text{La}_{0.1}\text{NbO}_{3.4}$	$4d^{0.3}$	

Weakly pronounced quasi-1D metal
No energy gap at low T along a -axis



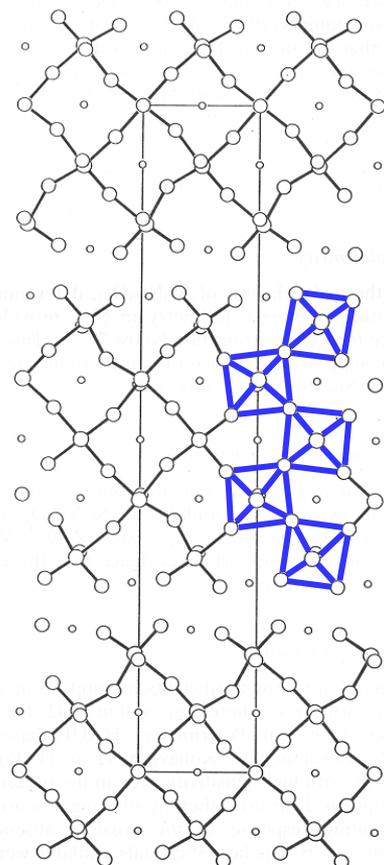
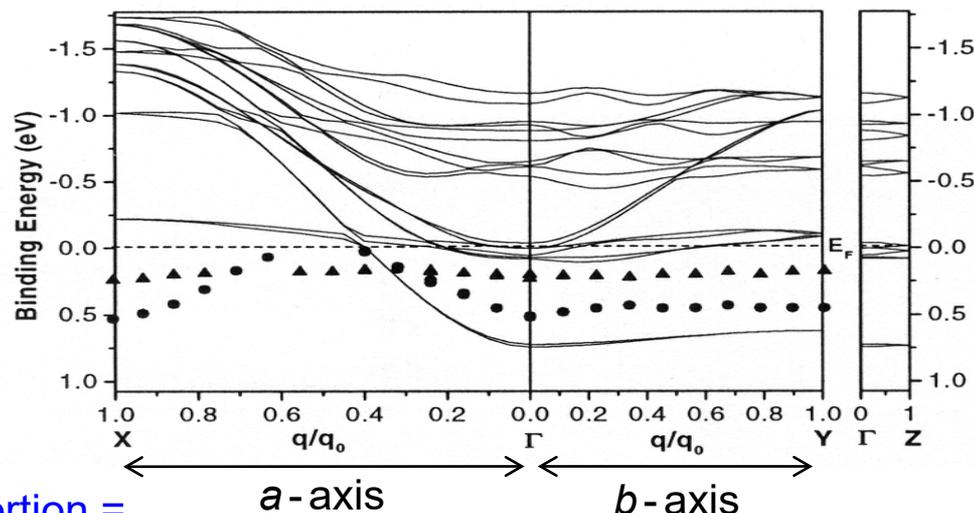
Special role of layers which are 5 NbO_6 octahedra thick:

Electrons from the Nb ions located in the central and nearly undistorted octahedra contribute most to the metallic character

C. A. Kuntscher et al.: Physical Review B 61 (2000) 1876 and 70 (2004) 245123 as well as Physical Review Letters 89 (2002) 236403 • F. Lichtenberg et al.: Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253

LDA calculations of the electronic band structure of the $n = 5$ quasi-1D metal $\text{SrNbO}_{3.41}$

Good agreement with results from angle-resolved photoelectron spectroscopy (ARPES) with respect to lowest band



$$\text{NbO}_6 \text{ octahedron distortion} = \frac{(\text{largest Nb - O distance}) - (\text{smallest Nb - O distance})}{\text{average Nb - O distance}}$$

23 %
17 %
3 %
17 %
23 %

Nb atoms of least distorted octahedra contribute most to the electronic density of states (DOS) at the Fermi energy E_F

Quasi-1D features along a -axis related to octahedra distortions

LDA predicts further bands around E_F which disperse along a - and b -axis, but they are not observed by ARPES: Subtle structural details? Electronic correlations? ARPES resolution?

C. A. Kuntscher et al.
Phys. Rev. B
61 (2000) 1876

H. Winter et al.
J. Phys. Cond. Matter
12 (2000) 1735

S. C. Abrahams et al.
Acta Cryst. B
54 (1998) 399

F. Lichtenberg et al.
Prog. Solid State Chem.
29 (2001) 1

A special feature of the $A_nB_nO_{3n+2} = ABO_x$ type quasi-1D metals

Structural, compositional and electronical proximity to (anti)ferroelectric insulators !

This distinguishes them from all other known quasi-1D metals such as $K_{0.3}MoO_3$, $Li_{0.9}Mo_6O_{17}$, $NbSe_3$, $(SN)_y$ and organic conductors like TTF-TCNQ

Examples:

$n = 4$: Ferroelectric $SrNbO_{3.5}$ ($4d^0$) \rightarrow Poor quasi-1D metal $Sr_{0.8}La_{0.2}NbO_{3.5}$ ($4d^{0.2}$)

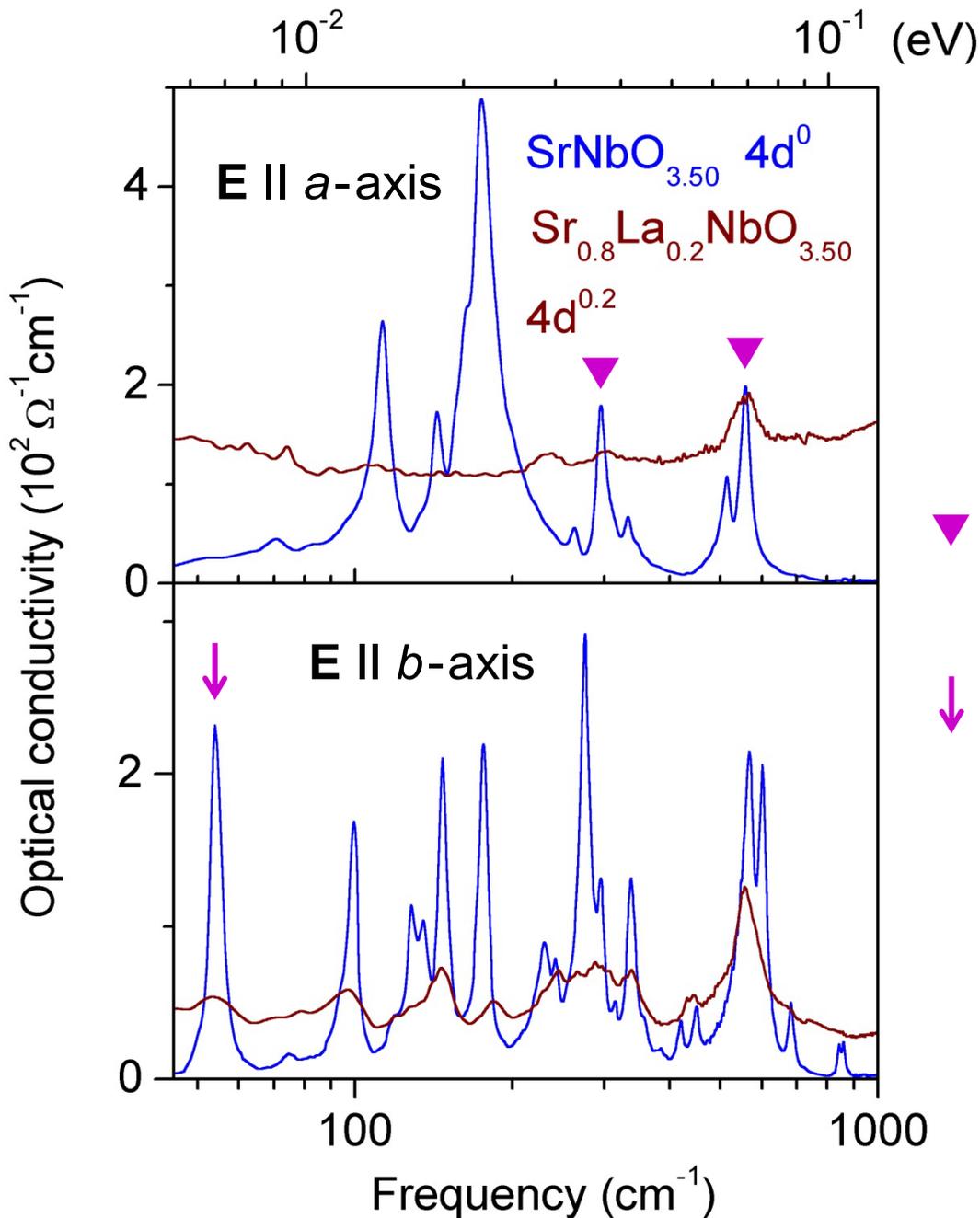
$n = 5$: Antiferroelectric $SrNb_{0.8}Ti_{0.2}O_{3.4}$ ($4d^0$) \rightarrow Quasi-1D metal $SrNbO_{3.4}$ ($4d^{0.2}$)

Intrinsic coexistence of metallic conductivity and large dielectric polarizability in $A_nB_nO_{3n+2}$ type systems !?

Usually these both features exclude each other

Intrinsic coexistence of these both features might be useful for the creation of superconductors

The following experimental observations support the presence of such an intrinsic coexistence ...



Optical conductivity at $T = 300$ K along a - and b -axis of $n = 4$ ferroelectric insulator $\text{SrNbO}_{3.50}$ and weakly pronounced $n = 4$ quasi-1D metal $\text{Sr}_{0.8}\text{La}_{0.2}\text{NbO}_{3.50}$

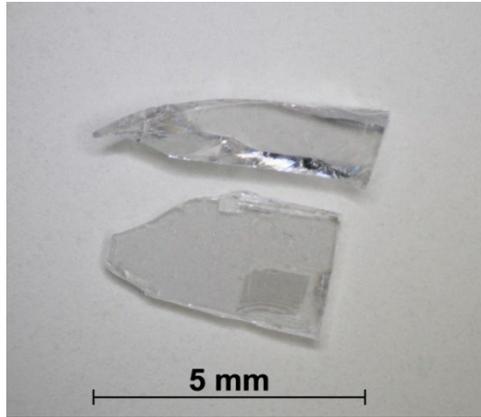
▼ = Phonon peaks which survive in the conducting oxide

↓ = Ferroelectric soft mode (phonon peak associated with ferroelectric phase transition)

Ferroelectric soft mode peak occurs also in the weakly pronounced quasi-1D metal !

C. A. Kuntscher et al.
Physical Review B 70 (2004) 245123

Is the $n = 4$ type $\text{Sr}_{0.8}\text{La}_{0.2}\text{NbO}_{3.50}$ a polar or ferroelectric metal ?



Examples of $n = 4$ type crystalline pieces from the as-grown materials

Grown under synth. air (left) or argon (right) at the University of Augsburg. Photos taken at the ETH Zurich



$\text{Sr}_4\text{Nb}_4\text{O}_{14} = \text{SrNbO}_{3.50}$
 $\text{Nb}^{5+} / 4d^0$ Sample No. 169
 White transparent
 high- T_c ferroelectric
 insulator with $T_c = 1615$ K

→
 Replacing
 Sr^{2+} partly
 by La^{3+}

$\text{Sr}_{3.2}\text{La}_{0.8}\text{Nb}_4\text{O}_{14} = \text{Sr}_{0.8}\text{La}_{0.2}\text{NbO}_{3.50}$
 $\text{Nb}^{4.8+} / 4d^{0.2}$ Sample No. 72
 Black-blue electrical conductor

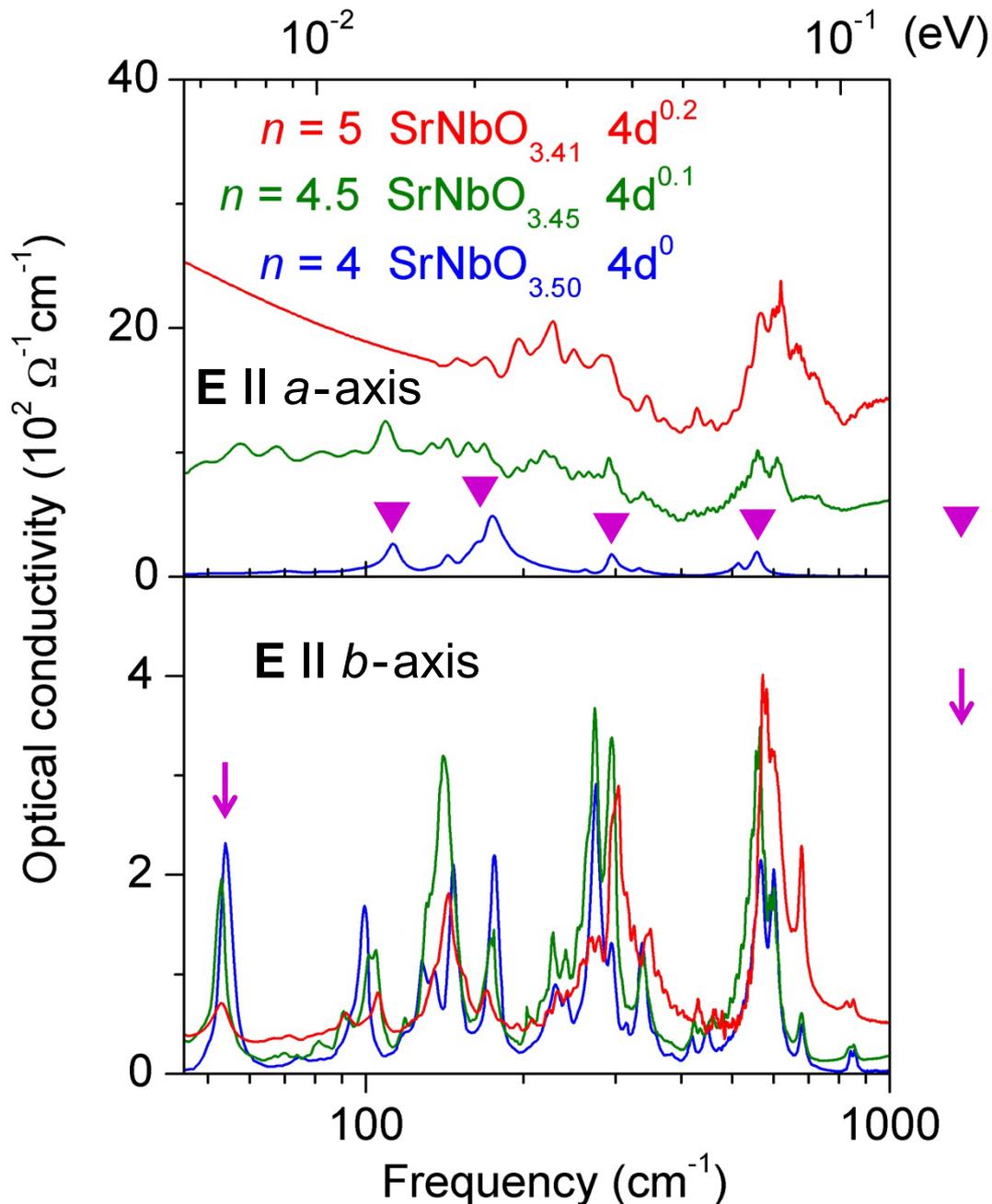
- Optical spectroscopy, angle-resolved photoelectron spectroscopy and resistivity measurements → Weakly pronounced quasi-1D metal
- Optical spectroscopy indicates presence of ferroelectric soft mode → Is this a polar or ferroelectric metal ?

C. A. Kuntscher et al., Physical Review B 70 (2004) 245123

V. Bobnar et al., Physical Review B 65 (2002) 155115

F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253

Satoshi Nanamatsu et al., Journal of the Physical Society of Japan 38 (1975) 817



Optical conductivity at $T = 300$ K along a - and b -axis of $n = 4$ ferroelectric insulator SrNbO_{3.50}, $n = 4.5$ quasi-1D metal SrNbO_{3.45} and $n = 5$ quasi-1D metal SrNbO_{3.41}

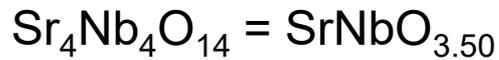
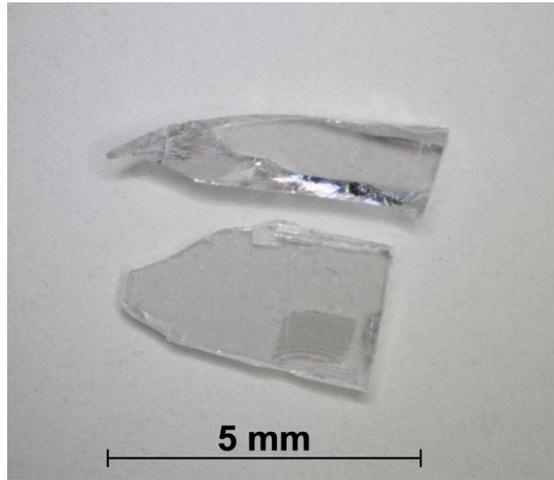
- ▼ = Phonon peaks which survive in the conducting oxides
- ↓ = Ferroelectric soft mode (phonon peak associated with ferroelectric phase transition)

Ferroelectric soft mode peak occurs also in the quasi-1D metals !

C. A. Kuntscher et al.
Physical Review B 70 (2004) 245123

Ferroelectric insulator $\text{SrNbO}_{3.5}$ ($n = 4$) and quasi-1D metal $\text{SrNbO}_{3.4}$ ($n = 5$)

Examples of crystalline pieces from the as-grown materials



$\text{Nb}^{5+} / 4d^0$ Sample No. 169

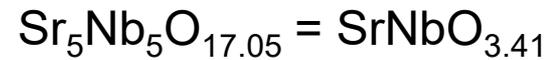
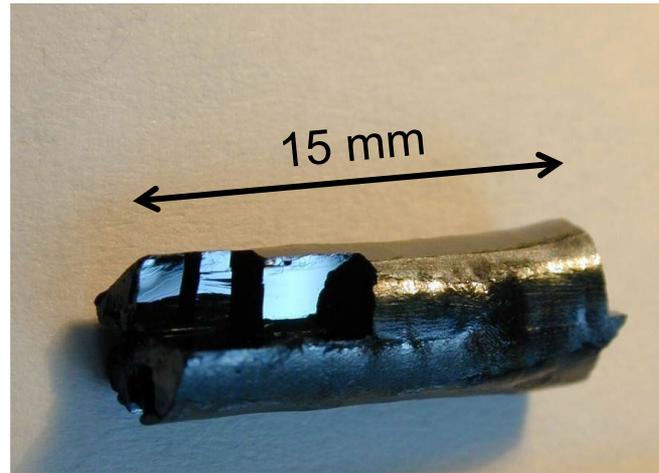
Grown under synthetic air

White transparent

high- T_c ferroelectric

insulator with $T_c = 1615$ K

Structure type $n = 4$

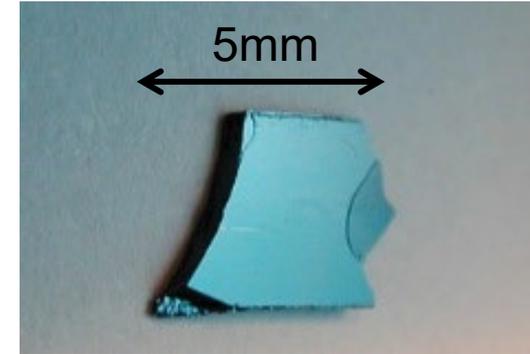


$\text{Nb}^{4.82+} / 4d^{0.18}$ Sample No. 71

Grown under argon

Black-blue quasi-1D metal

Structure type $n = 5$



Progress in Solid State Chemistry 29 (2001) 1 and 36 (2008) 253

Physical Review B 65 (2002) 155115 and B 70 (2004) 245123

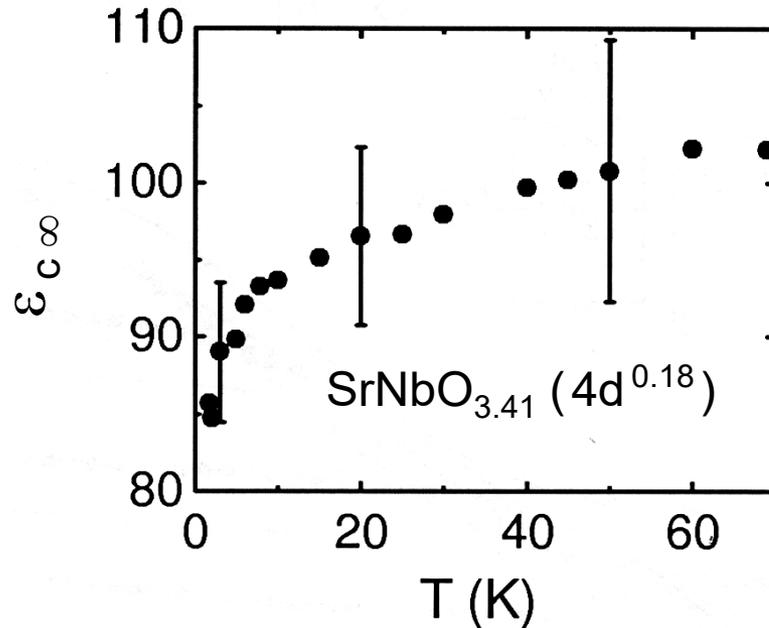
Physical Review Letters 89 (2002) 236403

Journal of the Physical Society of Japan 38 (1975) 817

Samples prepared at the University of Augsburg

Photo of $\text{Sr}_4\text{Nb}_4\text{O}_{14} = \text{SrNbO}_{3.5}$ taken at the ETH Zurich

Intrinsic high-frequency dielectric permittivity of the $n = 5$ quasi-1D metal $\text{SrNbO}_{3.41}$ along the c -axis



Large permittivity: $\epsilon_{c\infty} \approx 100$

$T > 70$ K: Measurement prevented by too high conductivity

V. Bobnar et al.

Physical Review B 65 (2002) 155115

$T \approx 70$ K: Metallic along a -axis according to ARPES and resistivity $\rho(T)$

C. A. Kuntscher et al., Physical Review B 70 (2004) 245123

F. Lichtenberg et al., Progress in Solid State Chemistry 29 (2001) 1

Coexistence of large intrinsic high-frequency dielectric permittivity $\epsilon_{c\infty}$ along c -axis and metallic behavior along a -axis

Note: Largest possible intrinsic dielectric permittivity in non-ferroelectrics of the order of $\epsilon_{\infty} \approx 100$!?

P. Lunkenheimer et al., Physical Review B 66 (2002) 052105

- 2 Searching for new superconductors among oxides**
- 2.1 Introductory notes
- 2.2 Synthesis of melt-grown oxide materials
- 2.3 Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$**
- 2.3.1 Crystal structure
- 2.3.2 Physical and structural properties
- 2.3.3 Why they might have a potential to create high- T_c or room temperature superconductors**
- 2.3.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

Potential for high- T_c superconductivity in $A_nB_nO_{3n+2} = ABO_x$ quasi-1D metals from the perspective of so-called excitonic superconductivity

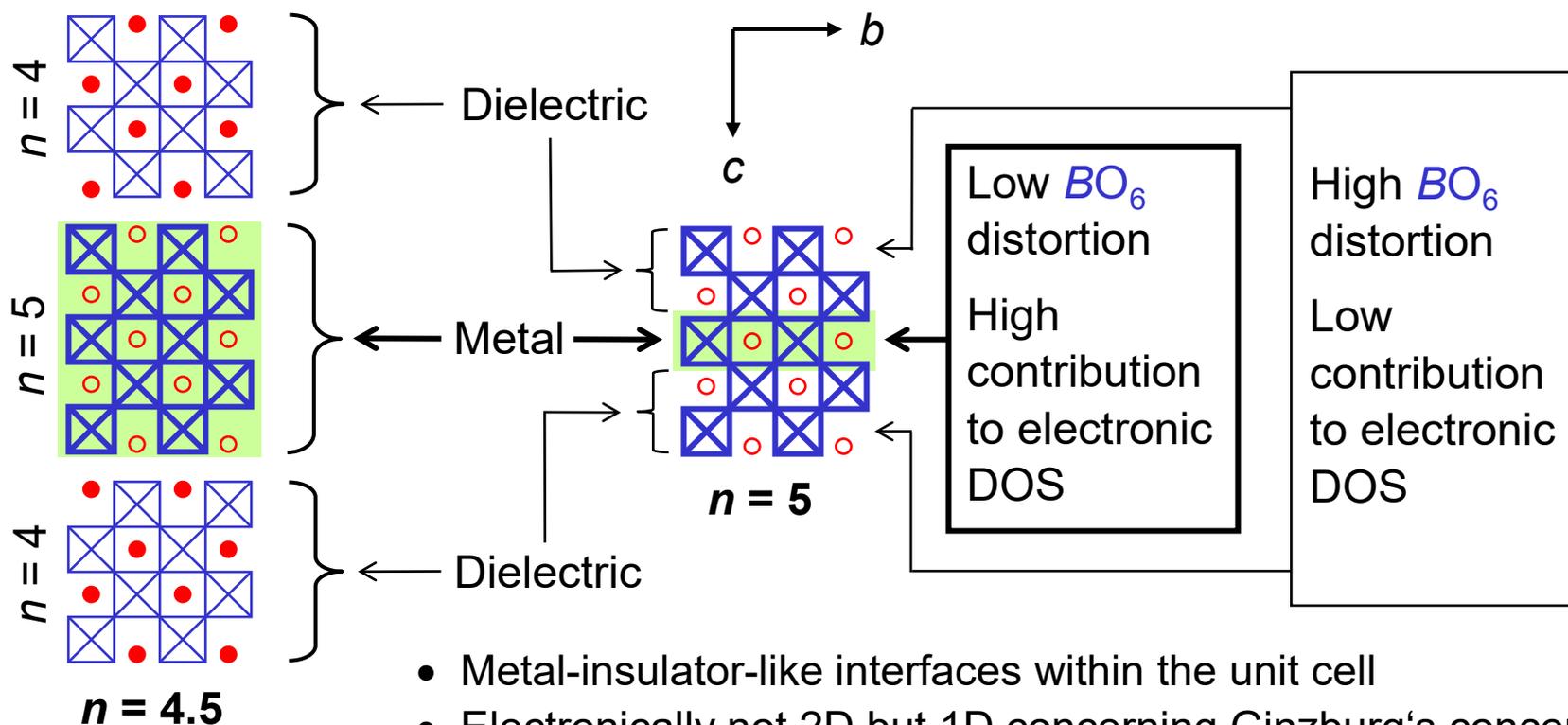
A hypothetical possibility to realize superconductivity at room temperature is given by the so-called excitonic mechanism of superconductivity (electron-electron mediated):

- Original proposal by W. A. Little for hypothetical **quasi-1D** organic conductors:
Conducting chains surrounded by electronically polarizable side branches
 - In: Novel Superconductivity, Plenum Press (1987) 341
 - Journal de Physique Colloque C3 Supplement No 6 (1983) 819
 - Int. Journal of Quantum Chemistry (Quantum Chemistry Symposium) 15 (1981) 545
 - Scientific American 212 (1965) 21
 - Physical Review 134 (1964) A1416
- Original proposal by V. L. Ginzburg for **quasi-2D** systems:
Thin metallic sheet surrounded by two dielectric layers
 - Soviet Physics Uspekhi 72 (1970) 335

The results of the studies on $La_5Ti_5O_{17} = LaTiO_{3.4}$ and $(Sr,Lu)NbO_x$ which are presented in **part 2.3.2** suggest the following scenario ...

Potential for high- T_c superconductivity in $A_nB_nO_{3n+2} = ABO_x$ quasi-1D metals from the perspective of so-called excitonic superconductivity

For example, the types $n = 4.5$ and $n = 5$ seem to be interesting from Little's and from Ginzburg's point of view: • Quasi-2D crystal structure • Electronically quasi-1D by $B - O$ chains and delocalized electrons along a -axis • Electronically polarizable units by electronic band structure, fluctuating valence states of rare earth ions at A site ... ?



- Metal-insulator-like interfaces within the unit cell
- Electronically not 2D but 1D concerning Ginzburg's concept
- Also quasi-2D metals among $A_nB_nO_{3n+2}$ type oxides ?

Searching for high- T_c and room temperature superconductors

- Excitonic superconductivity only in a very small region of the compositional parameter space (W. A. Little, V. L. Ginzburg)
- “Therefore, synthesizing a room temperature superconductor, one must pay attention to its structure: the ”distance” between failure and success can be as small as 0.01 Å in the lattice constant”.

Cited from Andrei Mourachkine’s book

“Room-Temperature Superconductivity“, 2004

(ISBN 1 – 904602 – 27 – 4), pages 292 and 293

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 - 2.3.4 The O-deficient $n = 5$ type Schückerl-Müller-Buschbaum phase $Sr_5Nb_5O_{16} = SrNbO_{3.2}$ which was published in 1985 and related melt-grown Sr- and O-deficient materials which were published in 2020

The Schüchel-Müller-Buschbaum phase $\text{Sr}_5\text{Nb}_5\text{O}_{16}$

In 1985 K. Schüchel and Hk. Müller-Buschbaum have published the following paper about the synthesis of $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$ and its structure determination by single crystal x-ray diffraction:

Ein weiteres gemischtvalentes Oxoniobat: $\text{Sr}_5\text{Nb}_3^{4+}\text{Nb}_2^{5+}\text{O}_{16}$

K. Schüchel and Hk. Müller-Buschbaum

Zeitschrift für anorganische und allgemeine Chemie 528 (1985) 91 - 97

<https://doi.org/10.1002/zaac.19855280909>

Paper in German but title and abstract also in English

Title: About a Mixed Valence Oxoniobate: $\text{Sr}_5\text{Nb}_3^{4+}\text{Nb}_2^{5+}\text{O}_{16}$

Abstract: The hitherto unknown compound $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ was prepared and examined by X-ray single crystal work. It crystallizes with orthorhombic symmetry (space group $D_{2h}^7 - \text{Pmn}2_1$, $a = 3.992(1)$, $b = 5.677(2)$, $c = 32.476(10)$, $Z = 2$). $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ consists of stacked perovskite-like blocks cut by a plane perpendicular to the cube face diagonal of the perovskite structure. The coordination relations of the intersections between those blocks and the distribution of Nb^{5+} and Nb^{4+} are discussed. Compared to the original text b and c are swapped so that they correspond to the assignment used in this work

The Schüchel-Müller-Buschbaum phase $\text{Sr}_5\text{Nb}_5\text{O}_{16}$

In 1985 K. Schüchel and Hk. Müller-Buschbaum have published the following paper about the synthesis of $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$ and its structure determination by single crystal x-ray diffraction:

Ein weiteres gemischtvalentes Oxoniobat: $\text{Sr}_5\text{Nb}_3^{4+}\text{Nb}_2^{5+}\text{O}_{16}$

K. Schüchel and Hk. Müller-Buschbaum

Zeitschrift für anorganische und allgemeine Chemie 528 (1985) 91 - 97

<https://doi.org/10.1002/zaac.19855280909>

Paper in German but title and abstract also in English

Notes

- Physical properties are not reported / were not studied
- Oxides of the type $A_nB_nO_{3n+2}$ and a relationship to the structure type $n = 5$ are not mentioned
- In the paper <https://dx.doi.org/10.3929/ethz-b-000424221> the name Schüchel-Müller-Buschbaum phase is suggested and introduced for $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$ and its reported crystal structure

The Schückel-Müller-Buschbaum phase $\text{Sr}_5\text{Nb}_5\text{O}_{16}$

As already communicated in

Progress in Solid State Chemistry 36 (2008) 253

- the crystal structure of the non-centrosymmetric $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ can be considered as an oxygen-deficient variant of the $n = 5$ type and centrosymmetric quasi-1D metal $\text{SrNbO}_{3.4} = \text{Sr}_5\text{Nb}_5\text{O}_{17} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{68}$ with fully ordered oxygen vacancies
- attempts to prepare the Schückel-Müller-Buschbaum phase $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$ via the melt were unsuccessful

In contrast to the quasi-1D metal $\text{Sr}_5\text{Nb}_5\text{O}_{17}$ a layer or slab of $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ comprises along the c -axis an asymmetric distribution of the

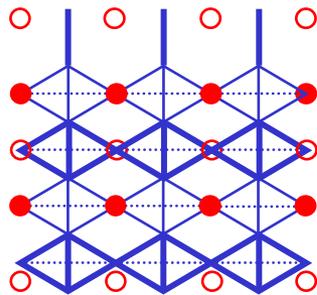
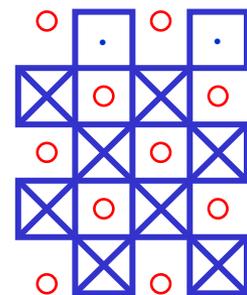
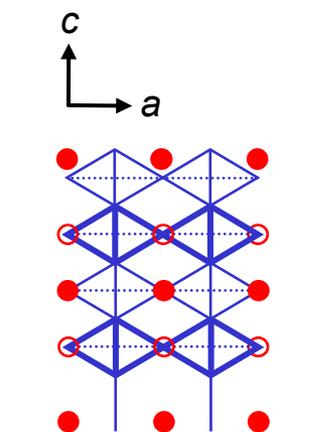
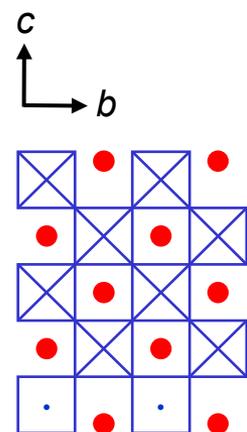
- Nb^{4+} ($4d^1$) and Nb^{5+} ($4d^0$) ions
- Nb – O polyhedra distortions

Maybe these particular details of this structure type and its reported non-centrosymmetry can bring forth special physical properties.

The crystal structure of $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ and the $n = 5$ type $\text{Sr}_5\text{Nb}_5\text{O}_{17}$

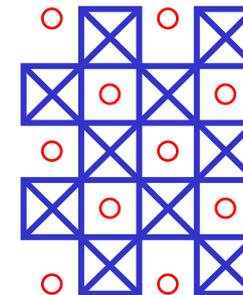
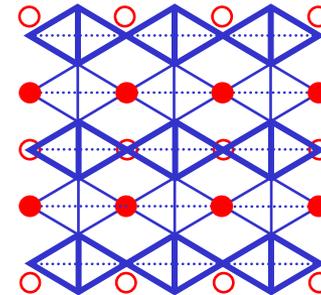
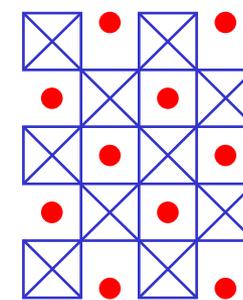
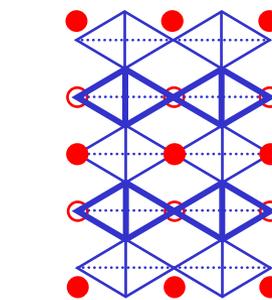
 = NbO_6 octahedra (O located at the corners, Nb hidden in the center)

 = NbO_4 (O located at the corners, Nb in the center) ● ○ = Sr



Nb – O polyhedra distortion in percent

←		→	
25	Nb ⁵⁺	Nb ⁵⁺	23
21	Nb ⁵⁺	Nb ⁵⁺	17
20	Nb ⁴⁺	Nb ⁴⁺	3
9	Nb ⁴⁺	Nb ⁵⁺	17
36	Nb ⁴⁺	Nb ⁵⁺	23
36	Nb ⁴⁺	Nb ⁵⁺	23
9	Nb ⁴⁺	Nb ⁵⁺	17
20	Nb ⁴⁺	Nb ⁴⁺	3
21	Nb ⁵⁺	Nb ⁵⁺	17
25	Nb ⁵⁺	Nb ⁵⁺	23



Non-centrosymmetric !

Physical properties = ?

$\text{Nb}^{5+} / 4d^0$

$\text{Nb}^{4+} / 4d^1$



Centrosymmetric

Quasi-1D metal

Sr₅Nb₅O₁₆ and the $n = 5$ type Sr₅Nb₅O₁₇

Composition		$\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16}$ $= \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$	$\text{SrNbO}_{3.4} = \text{Sr}_5\text{Nb}_5\text{O}_{17}$ $= \text{Sr}_{20}\text{Nb}_{20}\text{O}_{68}$
Synthesis approach		2 SrO + Nb ₂ O ₅ with Nb on surface was heated in a H ₂ / H plasma → Small crystals. Synthesis via melt did not work (incongruent melting)	Floating zone melting of the composition Sr ₅ Nb ₅ O ₁₇ under Ar
Structure type		Schückel-Müller-Buschbaum phase Oxygen-deficient $n = 5$ type with fully ordered oxygen vacancies	$n = 5$ type Carpy-Galy phase $\text{ABO}_x = \text{A}_n\text{B}_n\text{O}_{3n+2}$
Space group		Pmn2 ₁ / Non-centrosymmetric	Pnnm / Centrosymmetric
Published / actual or assumed orthorhombic lattice parameters	a (Å)	3.99 / 2×3.99	4.00 / 2×4
	b (Å)	5.68	5.67
	c (Å)	32.48	32.46
Number of 4d electrons from Nb ⁴⁺ / 4d ¹ per unit cell		12	4
Physical properties		?	Quasi-1D metal
References		Z. Anorg. Allg. Chem. 528 (1985) 91 Prog. Solid State Chem. 36 (2008) 253	See part 2.3.2

The Schückel-Müller-Buschbaum phase $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$

Comments and open questions

- In contrast to the quasi-1D metal $\text{Sr}_5\text{Nb}_5\text{O}_{17}$ a layer or slab of $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ comprises along the *c*-axis an asymmetric distribution of the Nb^{4+} ($4d^1$) and Nb^{5+} ($4d^0$) ions and Nb – O polyhedra distortions. Maybe these particular details of the $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ type structure can bring forth special physical properties
- What are its physical properties ?
 - Is it a quasi-1D metal like the related $n = 5$ type $\text{SrNbO}_{3.4} = \text{Sr}_5\text{Nb}_5\text{O}_{17}$?
If yes, is $\text{Sr}_5\text{Nb}_5\text{O}_{16}$ because of its non-centrosymmetric structure a polar or ferroelectric metal ?
- Are there related materials which can be prepared via the melt ?
 - If yes, then larger amounts of crystalline material / larger crystals could be obtained. That would facilitate the study of the physical properties
 - Can the crystal structure reported by K. Schückel and Hk. Müller-Buschbaum be confirmed ?

The Schückel-Müller-Buschbaum phase $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$

Comments and open questions

- Its reported crystal structure can be considered as an oxygen-deficient $n = 5$ type structure with fully ordered oxygen vacancies. Therefore the Schückel-Müller-Buschbaum phase and potential related compounds with the same type of crystal structure, i.e. Schückel-Müller-Buschbaum type phases, represent a special subset of the Carpy-Galy phases $A_nB_nO_{3n+2} = ABO_x$
- The oxygen-deficient $n = 5$ type structure of $\text{SrNbO}_{3.2}$ is perovskite-related and layered and its composition is close to that of the non-layered $n = \infty$ type perovskite SrNbO_3

For comparison: In the system LaTiO_x the $n = \infty$ type perovskite structure has a large homogeneity range, namely $3.00 \leq x \leq 3.20$, i.e. it extends up to the composition $\text{LaTiO}_{3.2}$ (see [page 80](#))

The Schücker-Müller-Buschbaum phase $\text{SrNbO}_{3.2} = \text{Sr}_5\text{Nb}_5\text{O}_{16} = \text{Sr}_{20}\text{Nb}_{20}\text{O}_{64}$

Comments and open questions

- The overall homogeneity range of $n = 5$ type SrNbO_x seems to be $3.20 \leq x \leq 3.42$ whereby $x = 3.40$ corresponds to the stoichiometric composition
- When having prepared a series of niobates SrNbO_x with an oxygen content ranging from $x = 3.40$ to $x = 3.20$: Is there a specific oxygen content x_c or a two-phase oxygen content range which separates the two single phases
 - centrosymmetric / non-centrosymmetric
 - symmetric / asymmetric distribution of the Nb^{4+} and Nb^{5+} ions
 - symmetric / asymmetric distribution of the Nb – O polyhedra distortions ?
- For $x \approx 3.33$ basically an $n = 6$ type phase could arise but for SrNbO_x there are no indications for that. An example for an $n = 6$ type material is the ferroelectric insulator $\text{SrNb}_{0.67}\text{Ti}_{0.33}\text{O}_{3.33}$ ($\text{Nb}^{5+} / 4d^0$ and $\text{Ti}^{4+} / 3d^0$)

Melt-grown Sr- and O-deficient $n = 5$ type materials (Sr,Ca,Ba)₁₉Nb₁₉WO_x ($64 \leq x \leq 66$) which were published in July 2020

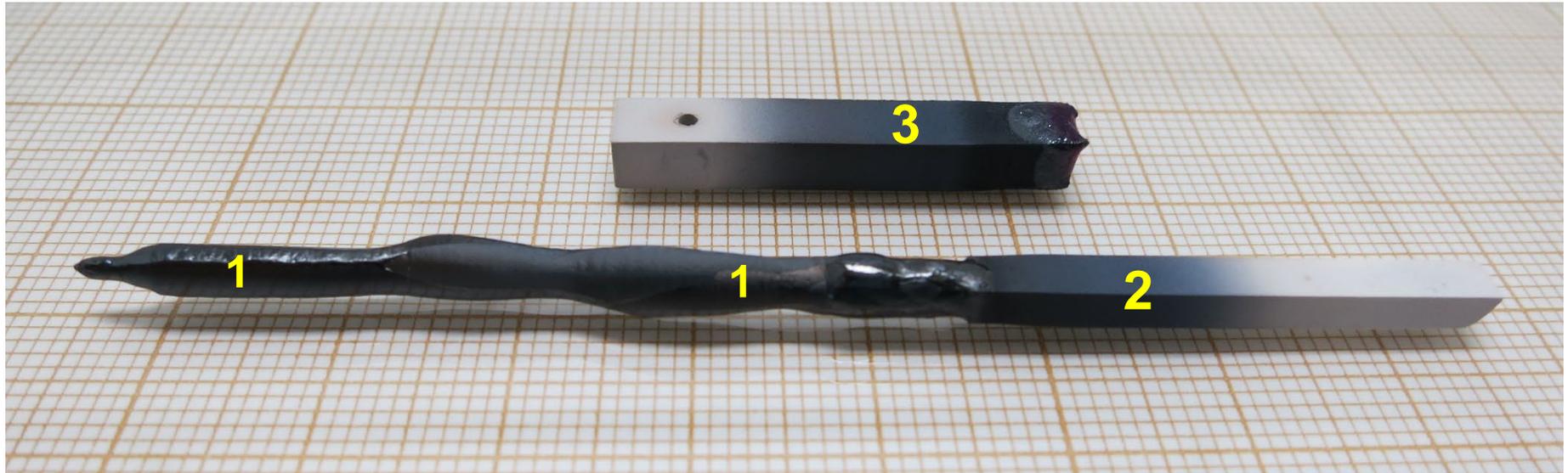
The above-mentioned materials such as Sr₁₇Ca₂Nb₁₉WO₆₄ are reported in the paper <https://dx.doi.org/10.3929/ethz-b-000424221> . Those with an oxygen content of 64 represent Sr-deficient Schückel-Müller-Buschbaum type phases.

The temperature dependence of the magnetic moment M of the above-mentioned compounds was measured by a SQUID magnetometer. The resulting $M(T)$ curves suggest that these materials are potentially quasi-1D metals like the related $n = 5$ type quasi-1D metal Sr₂₀Nb₂₀O₆₉ = Sr₅Nb₅O₁₇ .

The reported materials do not display indications for the presence of superconductivity. Nevertheless, other Schückel-Müller-Buschbaum type phases with another compositions might have a potential to create superconductors.

The following pages present some pictures and results from one of the reported compounds, namely of Sr₁₇Ca₂Nb₁₉WO₆₄

As-grown crystalline $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$ and polycrystalline rods
Run / Sample No. 826



5 cm long as-grown crystalline material (1) plus polycrystalline seed rod (2) and remaining part of the polycrystalline feed rod (3)

Prepared at the ETH Zurich in 2019

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

Sample No. 826



5 cm long as-grown crystalline material

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

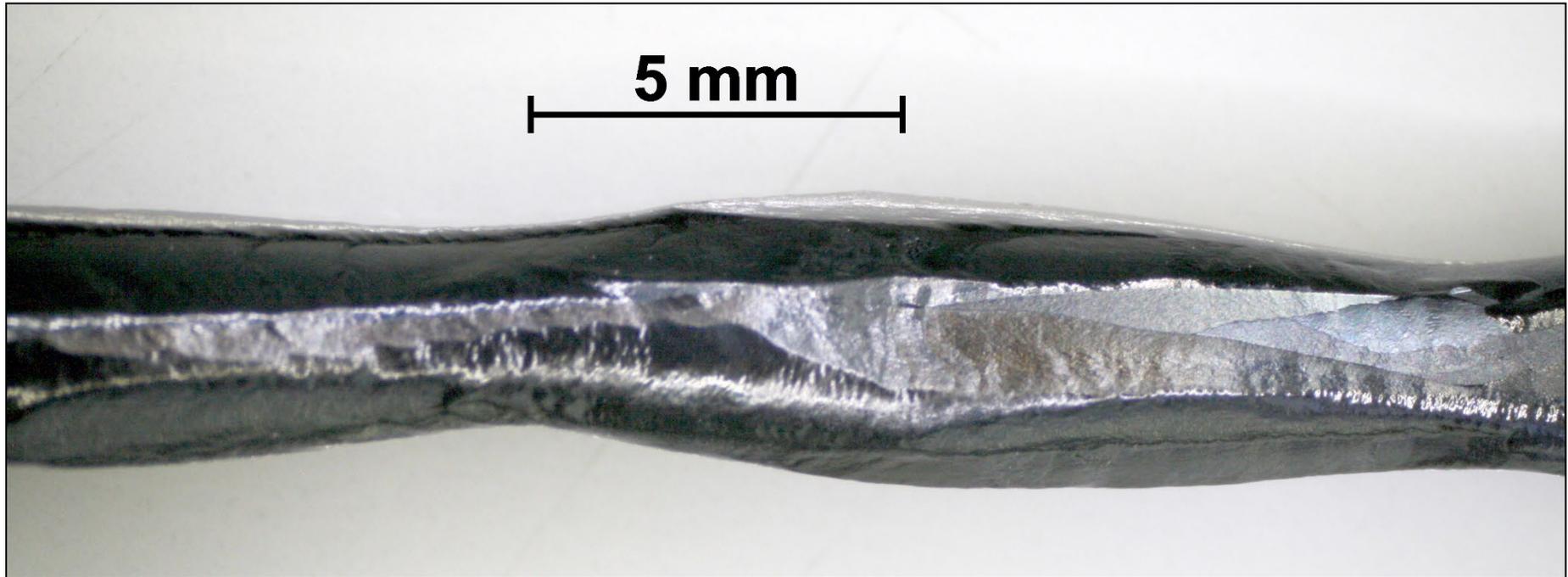
Sample No. 826



Another view from the 5 cm long as-grown crystalline material

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

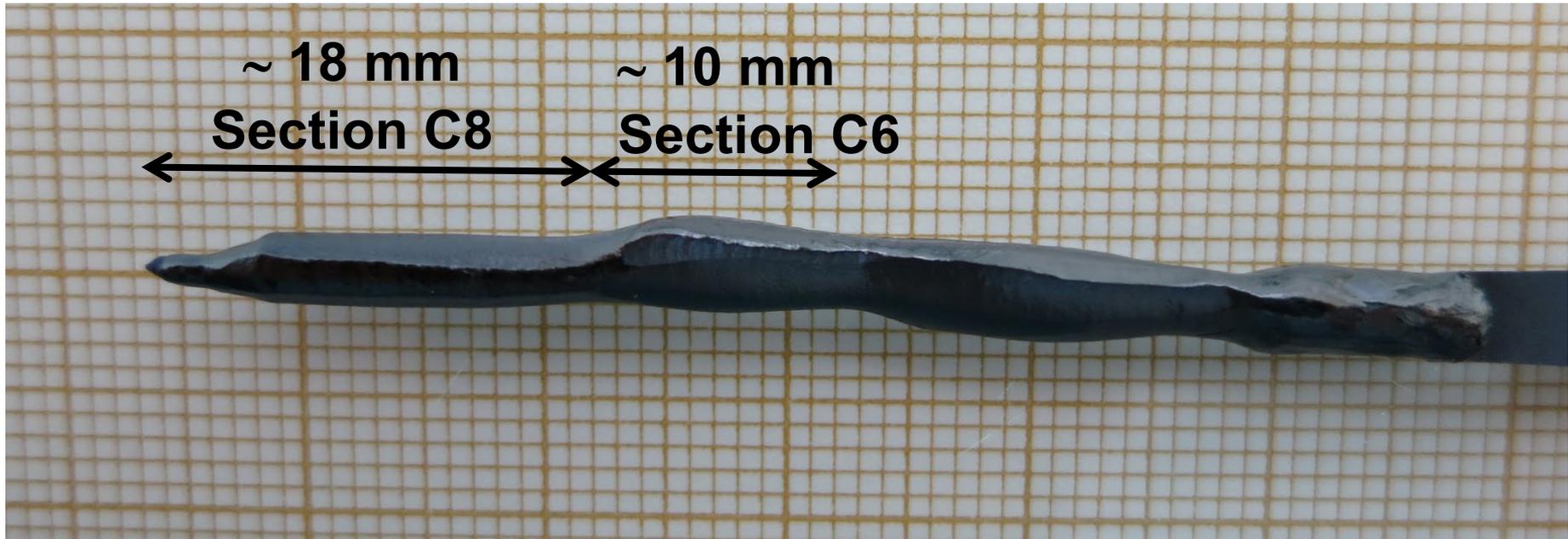
Sample No. 826



A section from the 5 cm long as-grown crystalline material

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

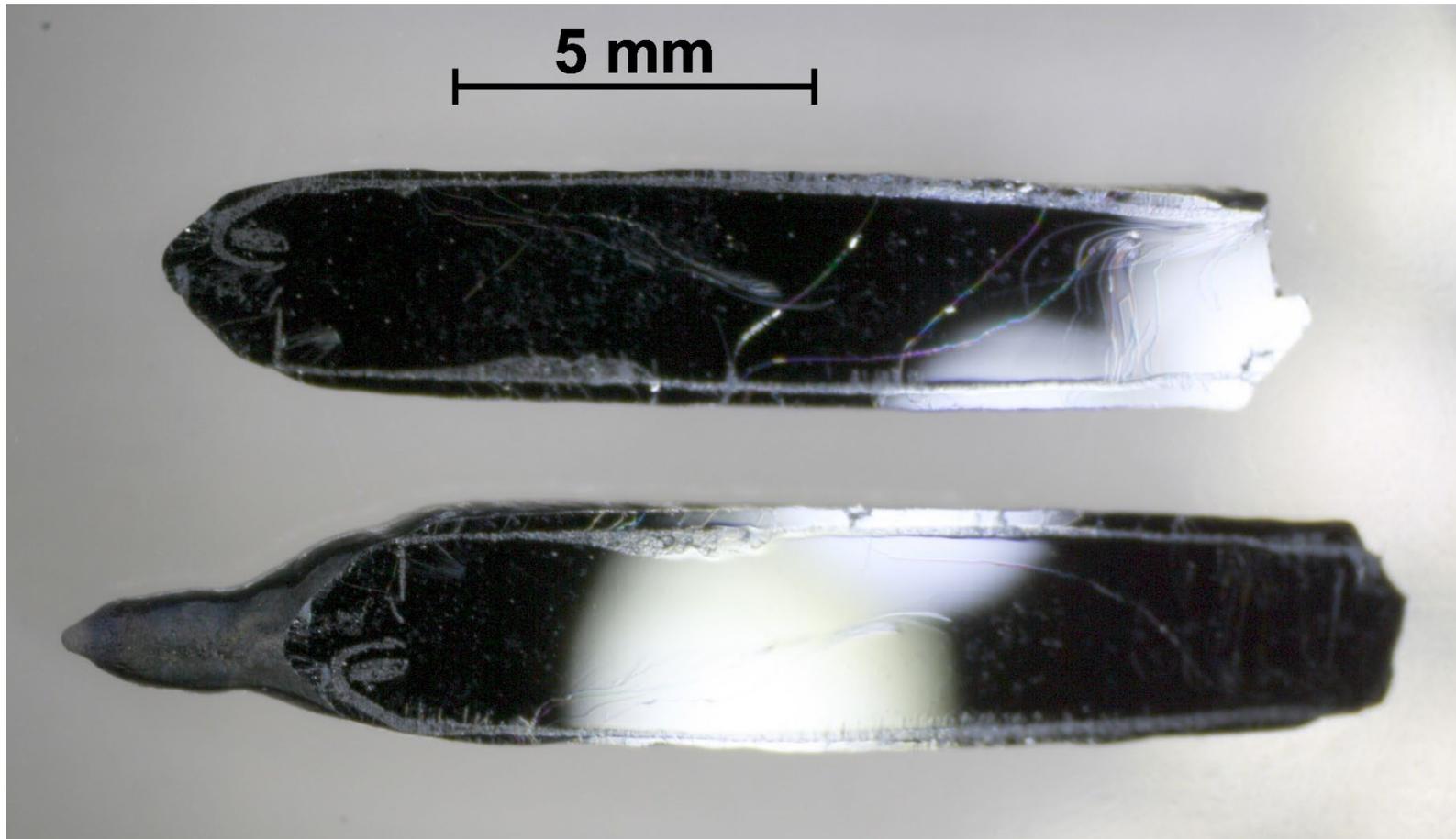
Sample No. 826



5 cm long as-grown crystalline material

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

Sample No. 826

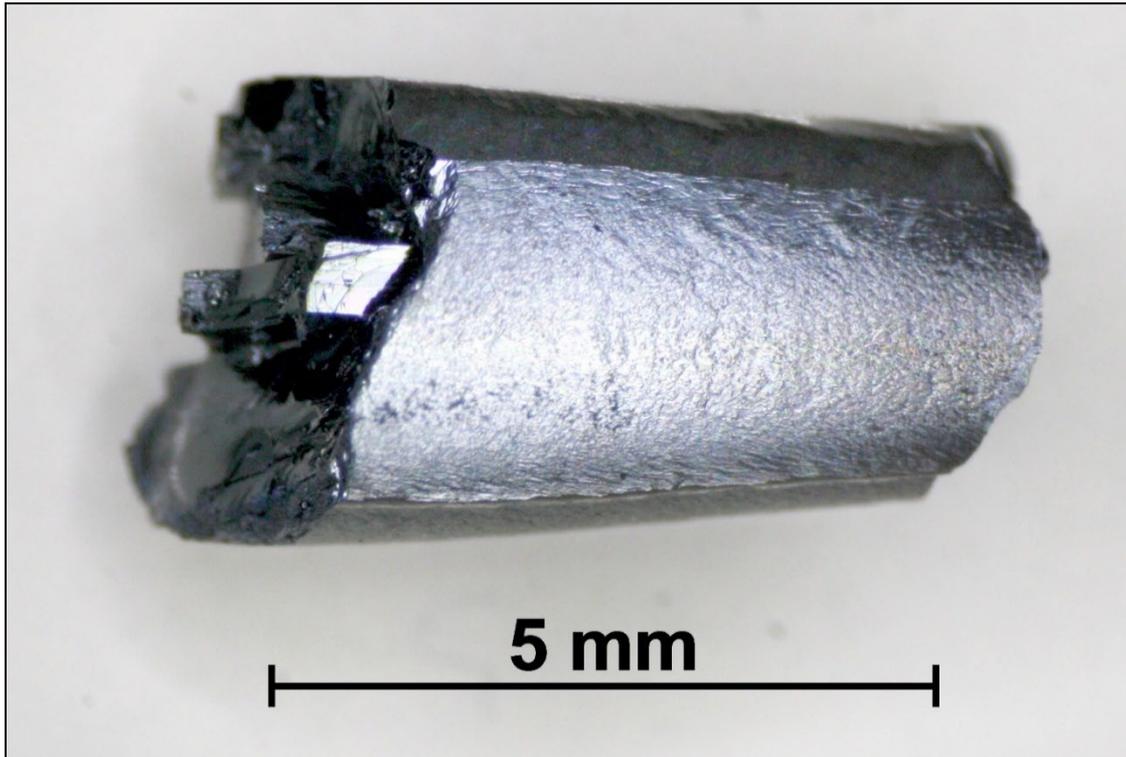


Crystalline pieces from section C8 of the as-grown material

<https://dx.doi.org/10.3929/ethz-b-000424221>

As-grown crystalline material $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{69.5-y}$

Sample No. 826



Crystalline piece C6-1
with $m = 221$ mg
from section C6 of the
as-grown material

This piece was used
to study its magnetic
properties by a
SQUID magnetometer

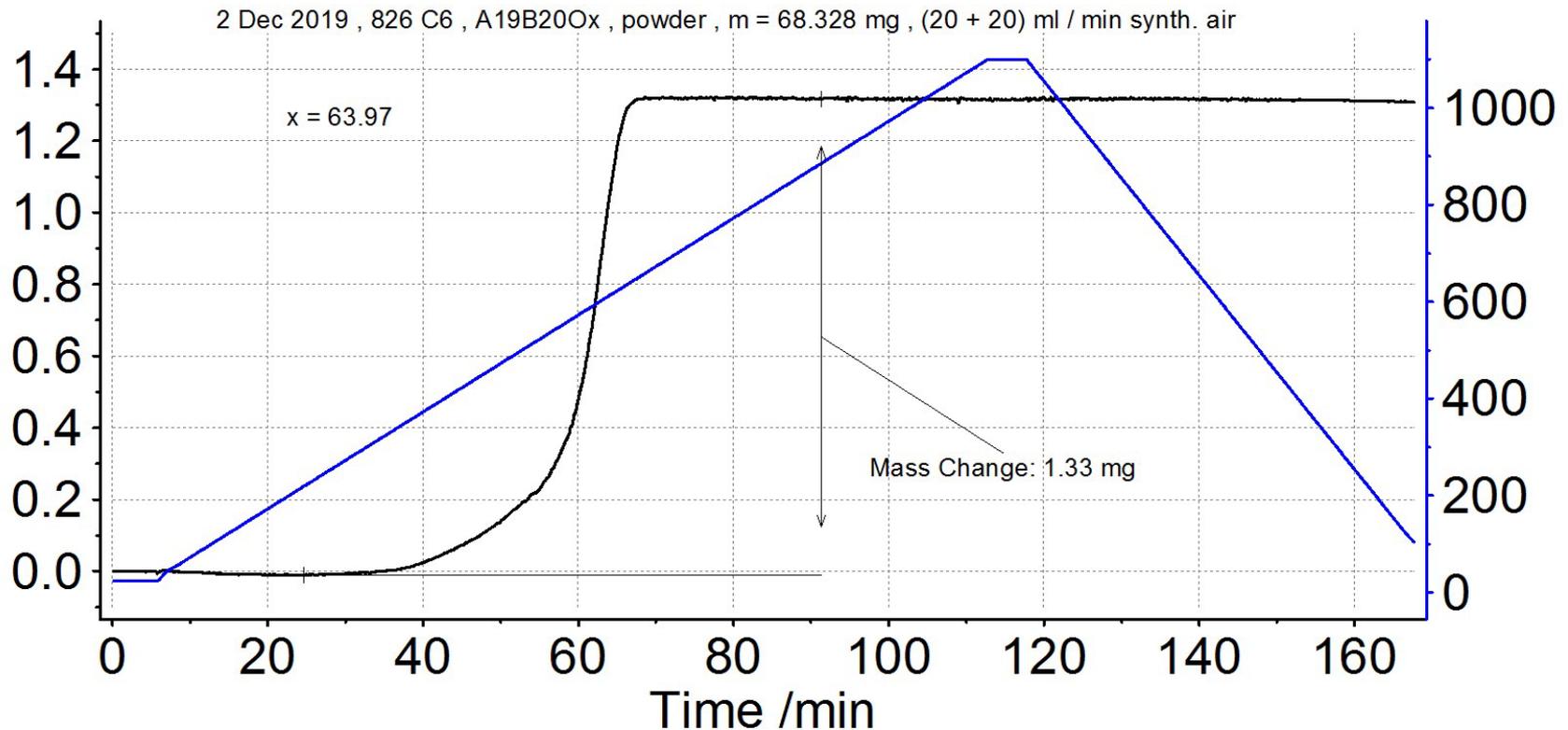
Thermogravimetric oxidation in flowing synth. air up to the fully oxidized composition with $x = x_F = 69.5$ for the determination of the oxygen content $x = 69.5 - y$ by using a thermogravimetric analyzer NETZSCH TG 209 F1 Libra

Pulverized crystalline material from section C6 of the as-grown sample $\rightarrow x = 63.97$

TG /mg

<https://dx.doi.org/10.3929/ethz-b-000424221>

Temp. /°C



Valence or oxidation states of the
Nb and W ions in $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{63.97}$

The most likely scenario is $\text{W}^{4+} / 5d^2$



Charge neutrality and Sr^{2+} , Ca^{2+} , and $\text{O}^{2-} \rightarrow \text{Nb}^{4.52+} / 4d^{0.48}$



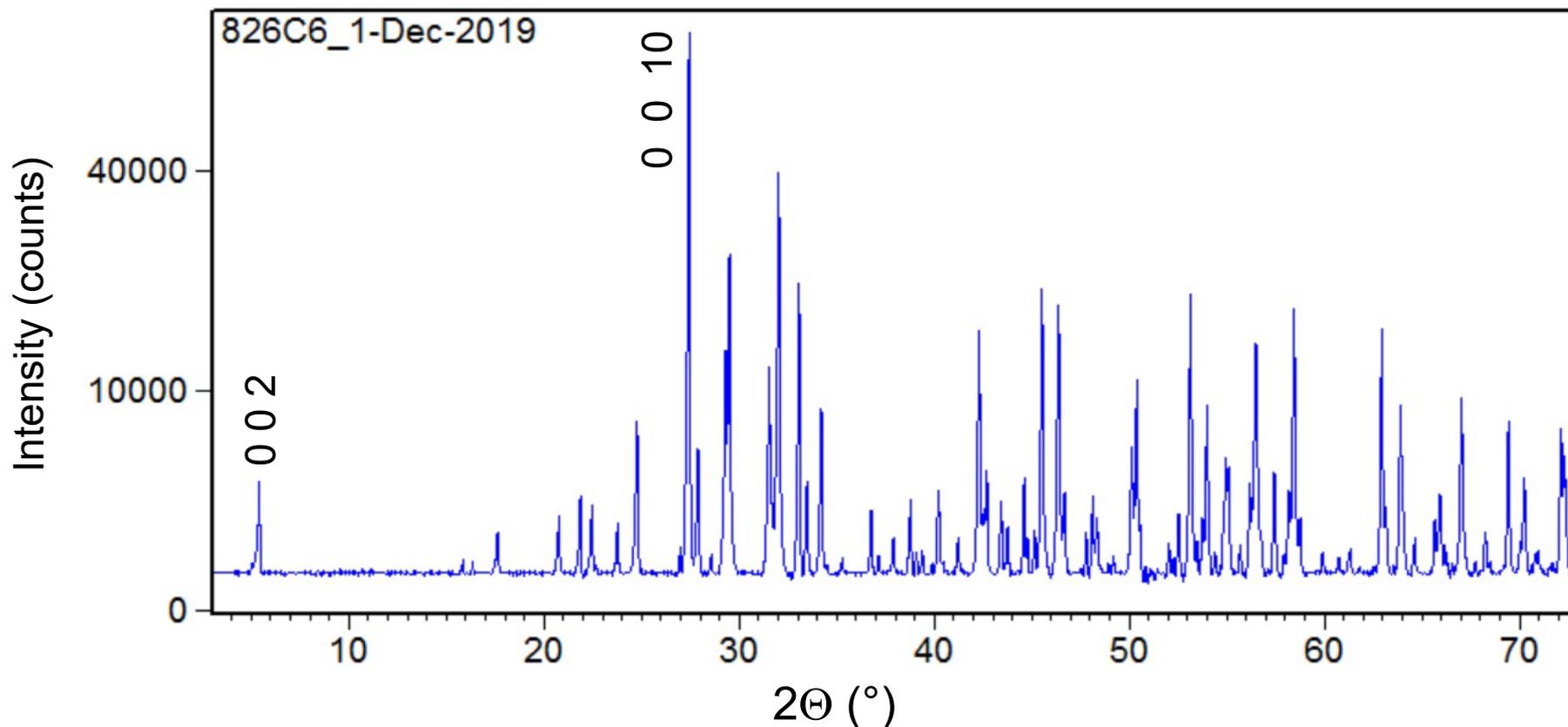
$2 (5d) + 19 \times 0.48 (4d) = 11.1$ d-electrons
per formula and assumed size of the unit cell

826 C6 $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{64}$ Powder x-ray diffraction

Powder x-ray diffraction pattern of pulverized crystalline material from section C6

Square root - linear plot • Background subtracted

All observed peaks fit to an orthorhombic $n = 5$ type structure



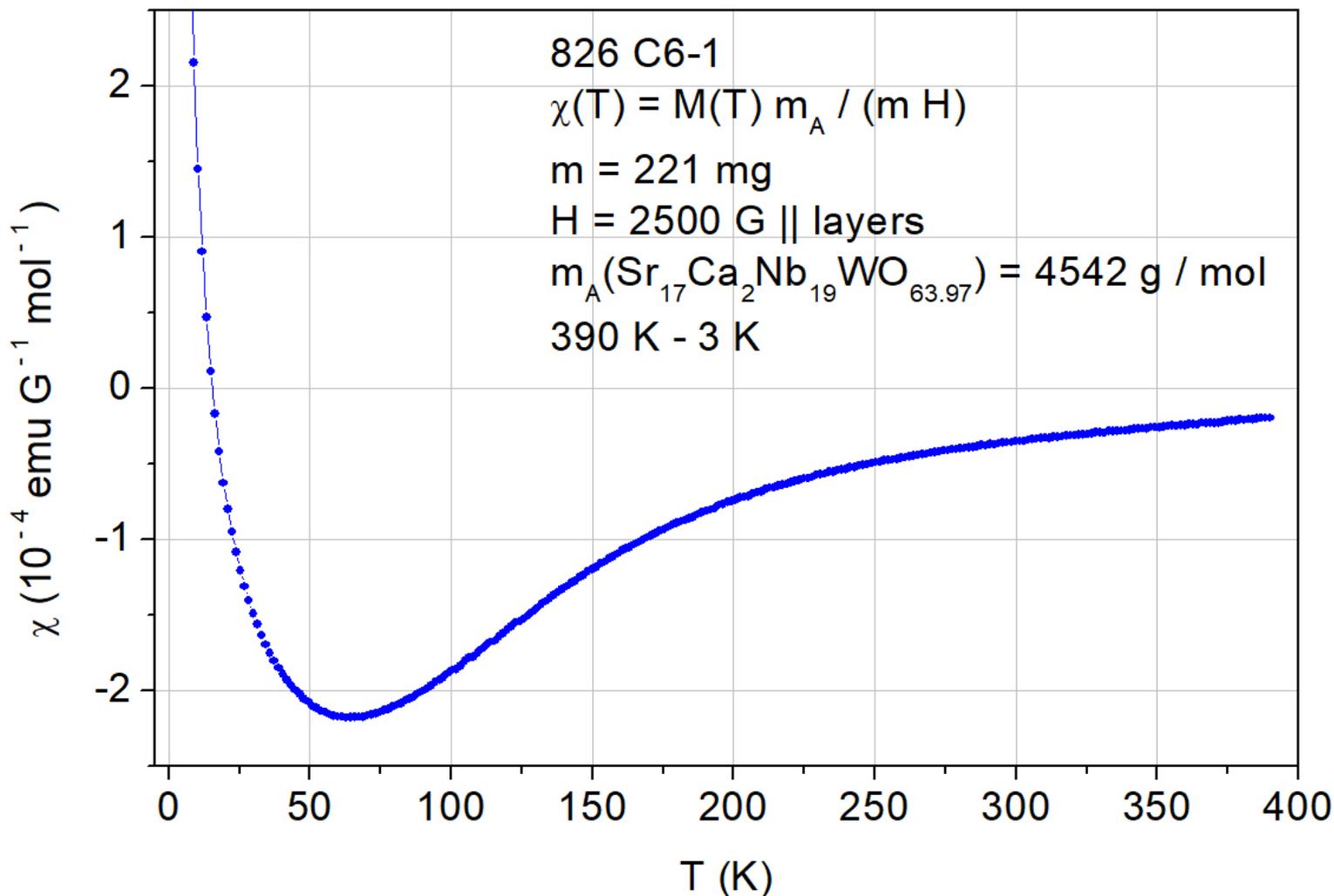
	Observed peak position (°2θ)	d - spacing (Å)	Relative intensity (%)	h k l from lattice parameter refinement
Lowest angle peak Its position indicates the structure type of $A_nB_nO_{3n+2}$, namely $n = 5$ in this case	5.41	16.31	5	0 0 2
Highest intensity peak	27.44	3.25	100	0 0 10

826 C6 **Sr₁₇Ca₂Nb₁₉WO₆₄** Powder x-ray diffraction

Results of lattice parameter refinement with $(h\ k\ l)_{\max} = (10\ 10\ 20)$

Number of observed peaks	97
Number of indexed peaks	97
Number of unindexed peaks	0
Crystal structure type	$n = 5$ of $A_nB_nO_{3n+2}$
Crystal system	Orthorhombic
Bravais lattice	P
a (Å)	7.96
b (Å)	5.67
c (Å)	32.46
V (Å ³)	1465
$ 2\theta_{\text{obs}} - 2\theta_{\text{calc}} $ for all observed and calculated peaks	$\leq 0.071^\circ$
Figure of merit of the refinement or fit	16.8
Chi square of the refinement or fit	4.4×10^{-6}

826 C6

 $\text{Sr}_{17}\text{Ca}_2\text{Nb}_{19}\text{WO}_{64}$ Magnetic susceptibility $\chi(T)$ DC magnetic moment $M(T)$ measured by a Quantum Design SQUID magnetometer MPMS311.1 d-electrons from $\text{Nb}^{4+} / 4d^1$ and $\text{W}^{4+} / 5d^2$ 

The behavior of $\chi(T)$ in the range from 390 K to 70 K is similar to that of $A_nB_nO_{3n+2}$ type quasi-1D metals. Thus this $n = 5$ type material is potentially also a quasi-1D metal

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

3.1 The chemical element Nb (niobium)

3.2 The tripartition of the chemical elements

3.3 Global Scaling – A holistic approach in science

3.3.1 Introduction into Global Scaling

3.3.2 Another examples of Fundamental Fractals

3.3.3 A potential view of the transition temperatures T_c of superconductors

3.3.4 The search for room temperature superconductors

3.3.5 Examples of open questions

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

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3.3.5 Examples of open questions

The chemical element Nb (niobium) 1 / 2

The atomic number of the chemical element Nb is 41, i.e. it comprises 41 protons and 41 electrons per Nb atom. The element Nb displays several special features [3]:

- Among the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements the element Nb is located at a central position, i.e. if 81 elements are arranged with equal distance in form of a one-dimensional chain or in form of a two-dimensional 9×9 square lattice, then element No. 41 is located at the central position
- Nb has only 1 naturally occurring isotope
- The atomic number of Nb is 41 which is a prime number
- Among all superconducting chemical elements Nb 41 has the highest superconducting transition temperature T_c , namely $T_c \approx 9 \text{ K} = -264 \text{ }^\circ\text{C}$, see e.g. <http://hyperphysics.phy-astr.gsu.edu/HBase/tables/supcon.html>

[3] The tripartition of the chemical elements: Observations, considerations and hypotheses about the chemical elements and the number 3:

<https://novam-research.com/resources/Chem-elements-and-number-3.pdf>

The special features of Nb which are described on the previous page might suggest the following hypothesis [3]:

Hypothesis: Superconductivity at room temperature can be achieved by a special material which contains Nb as crucial chemical element. Of course, such a material requires another specific features.

As a concrete example we refer to a special class of materials, namely oxides of the type $A_nB_nO_{3n+2} = ABO_x$ (Carpy-Galy phases) which are presented in [part 2.3](#). Some of their specific features suggest that they might have a potential to create room temperature superconductors and they are also known for $B = Nb$, see [part 2.3](#)

[3] The tripartition of the chemical elements: Observations, considerations and hypotheses about the chemical elements and the number 3:
<https://novam-research.com/resources/Chem-elements-and-number-3.pdf>

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

3.1 The chemical element Nb (niobium)

3.2 The tripartition of the chemical elements

3.3 **Global Scaling – A holistic approach in science**

3.3.1 Introduction into Global Scaling

3.3.2 Another examples of Fundamental Fractals

3.3.3 A potential view of the transition temperatures T_c of superconductors

3.3.4 The search for room temperature superconductors

3.3.5 Examples of open questions

On the following page we present a tripartition of the 81 stable chemical elements and on the subsequent pages some associated hypotheses [3]. The tripartition of the chemical elements can be derived in two different ways [3] , namely

- 1) by Global Scaling which represents a holistic approach in science
- 2) by an assumed special role of the number 3

[3] The tripartition of the chemical elements: Observations, considerations and hypotheses about the chemical elements and the number 3:
<https://novam-research.com/resources/Chem-elements-and-number-3.pdf>

The tripartition of the $81 = 3 \times 27 = 3 \times 3 \times 3 \times 3$ stable chemical elements 2 / 4

Group A1 (-) 1, 4 or 7

Group A2 (+) 2, 5 or 8

Group A3 (0) 3, 6 or 9

Digit sum of atomic number

1 (-)	2 (+)	3 (0)
H 1 1	Be 4 2	N 7 3
Ne 10 4	Al 13 5	S 16 6
K 19 7	Ti 22 8	Mn 25 9
Ni 28 10	Ga 31 11	Se 34 12
Rb 37 13	Zr 40 14	Zr 40 15
Pd 46 16	In 49 17	Te 52 18
Cs 55 19	Ce 58 20	Zr 40 21
Gd 64 22	Ho 67 23	Yb 70 24
Ta 73 25	Os 76 26	Au 79 27
Pb 82 28		

1 (-)	2 (+)	3 (0)
He 2 1	B 5 2	O 8 3
Na 11 4	Si 14 5	Cl 17 6
Ca 20 7	V 23 8	Fe 26 9
Cu 29 10	Ge 32 11	Br 35 12
Sr 38 13	Nb 41 14	Ru 44 15
Ag 47 16	Sn 50 17	I 53 18
Ba 56 19	Pr 59 20	Sm 62 21
Tb 65 22	Er 68 23	Lu 71 24
W 74 25	Ir 77 26	Hg 80 27
Bi 83 28		

Numbering of the box and element

Atomic number of the element

1 (-)	2 (+)	3 (0)
Li 3 1	C 6 2	F 9 3
Mg 12 4	P 15 5	Ar 18 6
Sc 21 7	Cr 24 8	Co 27 9
Zn 30 10	As 33 11	Kr 36 12
Y 39 13	Mo 42 14	Rh 45 15
Cd 48 16	Sb 51 17	Xe 54 18
La 57 19	Nd 60 20	Eu 63 21
Dy 66 22	Tm 69 23	Hf 72 24
Re 75 25	Pt 78 26	Tl 81 27

Only 1 naturally occurring isotope

Nearly 1 naturally occurring isotope
See Ref. [1] on previous page

Atomic number is a prime number

The atomic numbers of the elements within a single group A1, A2, or A3 differ by an integer multiple of 3

Hypothesis 5a: The 3 groups A1, A2 and A3 which are presented on the previous page have a physical meaning and originate from the 3 states of an oscillation which can be called minus, plus, and zero (see Ref. [3] on [page 133](#))

- Group A1 may be called or considered as the “minus group” because it comprises $(3 \times 3 \times 3 = 27) - 1$ stable elements = 26 stable elements.
Note: The two empty boxes with number 15 and 21 (see previous page) are not counted because they represent the unstable elements Tc 43 and Pm 61, respectively
- Group A2 may be called or considered as the “plus group” because it comprises $(3 \times 3 \times 3 = 27) + 1$ stable elements = 28 stable elements
- Group A3 may be called or considered as the “zero group” because it comprises $3 \times 3 \times 3 = 27$ stable elements

The atomic numbers of any chemical elements which belong exclusively to group A1 (minus) or group A2 (plus) or group A3 (zero) differ always by $3k$ whereby k is an integer, i.e. $k = 1, 2, 3, 4, \dots$

Hypothesis 5b: The tripartition of the chemical elements can be used in various ways to obtain a selection or set of specific elements which could favor or enable special physical effects when they are used as components of a material, system, subsystem, or process. Of course, the generation of special physical effects requires another specific features of the corresponding material, system, subsystem, or process

The hypotheses 7a and 7b on the following two pages present some specific ways to obtain special selections or sets of chemical elements ...

The tripartition of the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements and the search for room temperature superconductors

1 / 3

Hypothesis 7a (see Ref. [3] on [page 133](#)):

The creation of high- T_c superconductivity, especially at room temperature, is favored or enabled by a special material that comprises only or mainly chemical elements from group A1 (minus) or group A2 (plus) or group A3 (zero), i.e. their atomic numbers differ always or mainly by $3k$ whereby is k an integer, i.e. $k = 1, 2, 3, 4, \dots$ This may be considered as a scenario which comprises in a pronounced manner the presence of the number 3

Of course, the creation of superconductivity at room temperature requires another special features of the material

The tripartition of the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements and the search for room temperature superconductors

2 / 3

Hypothesis 7b (see Ref. [3] on [page 133](#)) :

The creation of high- T_c superconductivity, especially at room temperature, is favored or enabled by a special material that comprises chemical elements from all three groups, i.e.

at least 1 element belongs to group A1 (minus),

at least 1 element belongs to group A2 (plus), and

at least 1 element belongs to group A3 (zero).

This may be considered as a scenario which comprises in a pronounced manner the presence of all 3 aspects of an oscillation, namely minus, plus, and zero

Of course, the creation of superconductivity at room temperature requires another special features of the material

The tripartition of the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements and the search for room temperature superconductors

3 / 3

The hypothesis 7a or 7b can be used to isolate chemical compositions which might favor or enable the creation of superconductivity at room temperature

Example: Oxides of the type $A_n B_n O_{3n+2} = ABO_x$ (Carpenter-Galy phases) which might have a potential to create room temperature superconductors, see [part 2.3](#) . Here hypothesis 7a can be applied only to group A2 (see [page 134](#)) because in this example the considered materials are oxides and O (oxygen) belongs to group A2

Note: A possible view of the transition temperatures of superconductors and potential room temperature superconductors from a Global Scaling point of view is presented in [part 3.3.3](#)

The tripartition of the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements and high- T_c superconductors

1 / 2

Among the presently known superconducting materials the highest superconducting transition temperatures T_c under ambient pressure are achieved by layered oxides which contain copper (Cu), oxygen (O) and other elements. Examples are

Compound	T_c (K)
$\text{La}_{1.85}\text{Ba}_{0.15}\text{CuO}_4$	30
$\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$	92
$\text{Bi}_2\text{Sr}_2\text{Ca}_2\text{Cu}_3\text{O}_{10}$	110
$(\text{Ba},\text{Sr})\text{CuO}_2$	90
$(\text{Sr},\text{Ca})_5\text{Cu}_4\text{O}_{10}$	70
$\text{Hg}_{0.8}\text{Tl}_{0.2}\text{Ba}_2\text{Ca}_2\text{Cu}_3\text{O}_{8+\delta}$	138

For references see for example

- <https://www.nobelprize.org/uploads/2018/06/bednorz-muller-lecture.pdf>
- <http://hyperphysics.phy-astr.gsu.edu/hbase/solids/hitc.html>
- P. Dai et al. , Physica C 243 (1995) 201 - 206 , <https://doi.org/10.1016/0921-4534%2894%2902461-8>
- <https://flatworldknowledge.lardbucket.org/books/principles-of-general-chemistry-v1.0m/s16-07-superconductors.html>

The tripartition of the $81 = 3 \times 3 \times 3 \times 3$ stable chemical elements and high- T_c superconductors

2 / 2

Observation: The number of chemical elements per formula unit of all Cu-O-based superconductors are predominantly elements from group A2 (see [page 134](#)) such as O, Cu, Sr, and Ba. Example:

$\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$: $2 \times \text{Ba} + 3 \times \text{Cu} + (7 - \delta) \times \text{O} = (12 - \delta)$ elements from group A2
and $1 \times \text{Y} = 1$ element from group A3 , see [page 134](#)

We note that the atomic number of the essential element Cu is a prime number, namely 29

Hypothesis: This is not accidental and related to hypothesis 7a which is presented on [page 137](#)

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

3.1 The chemical element Nb (niobium)

3.2 The tripartition of the chemical elements

3.3 Global Scaling – A holistic approach in science

3.3.1 Introduction into Global Scaling

3.3.2 Another examples of Fundamental Fractals

3.3.3 A potential view of the transition temperatures T_c of superconductors

3.3.4 The search for room temperature superconductors

3.3.5 Examples of open questions

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

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What is Global Scaling ?

Global Scaling represents a holistic approach in science. Global Scaling and its founder Hartmut Mueller are controversial. The author of this presentation is convinced that Global Scaling comprises significant insights into the universe, nature, life, and many physical / scientific topics and invites everybody to an open-minded and critical consideration. Global Scaling is still in early stages, there are many open questions and further research is necessary

The following statements about / from Global Scaling are based on

- the author's participation in an overall 13 - day course in Global Scaling in 2005 lectured by Hartmut Mueller nearby Munich in Germany
- a German-language introduction into Global Scaling (1 MB pdf, 25 pages):
https://www.novam-research.com/resources/Global-Scaling_Einfuehrung_V-2-dot-0_Maerz-2009.pdf
an English version of this introduction (1 MB pdf, 23 pages):
https://www.novam-research.com/resources/Global-Scaling_Introduction_V-2-dot-0_March-2009.pdf

Further information: Global Scaling website <https://www.interscalar.com> . A Global Scaling book from Hartmut Mueller (2018, New Heritage Publishers, ISBN 978-0-9981894-0-6) can be downloaded as pdf free of charge via the following link (file size 11 MB pdf):
<http://www.ptep-online.com/books/muller2018.pdf> . Various information, links, and papers are listed in <https://novam-research.com/global-scaling.php>

Global Scaling – How it came about and some keywords

- Global Scaling rests upon the results of very comprehensive studies of frequency distributions of many different physical, chemical and biological processes and phenomena such as radioactive decay and body masses of biological species. Such studies were, for example, performed by Prof. Simon E. Shnoll et al. These studies revealed the existence of formerly unexplored physical laws and effects



Simon E. Shnoll



Hartmut Mueller

- Global Scaling was developed by Hartmut Mueller

- Some keywords of Global Scaling:

scale invariance • logarithm • fractal • fractal structures • Fundamental Fractal
• continued fractions • (eigen) oscillations • nodes • gaps • resonance •
proton resonance • vacuum resonance • synchronicity • frequency distributions •
probability • compression • decompression • non-linear and fractal course of time

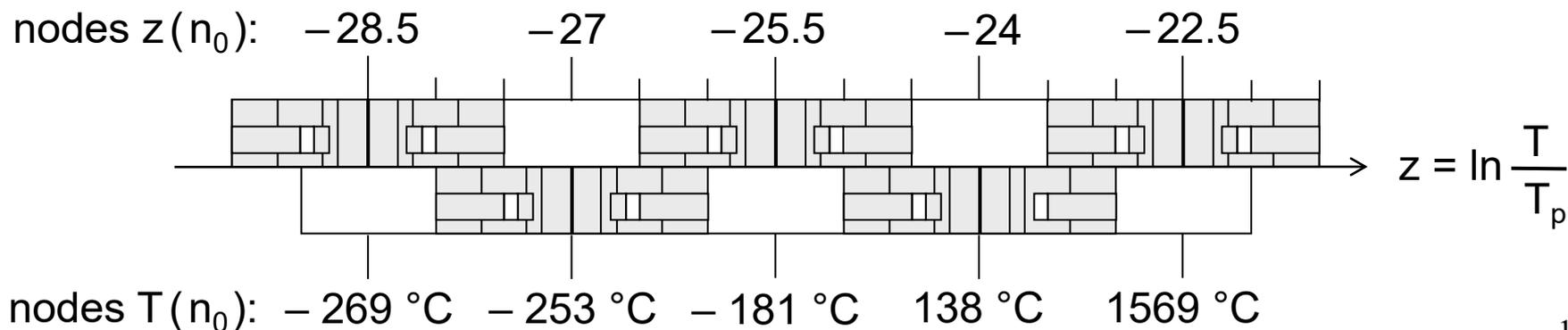
Global Scaling – Some essential statements or hypotheses

- In the universe / nature / vacuum there is an everywhere present background field in form of oscillations (standing waves) which have a significant influence on the constitution of all processes, structures and systems in the universe, nature, and the design of workable and reliable technology
- Particles such as protons and electrons are considered as vacuum resonances, i.e. they are an oscillation state of the physical vacuum
- In the universe there is a synchronicity in which all particles and matter are intimately involved. There are indications that this can be revealed, for example, by noise spectra of electronic components which show at different locations simultaneously the same fine structure
- Every part of the universe, e.g. an atom, comprises the entire information of the universe

Global Scaling – Another essential statement or hypothesis

On every physical scale x – such as length, mass, time, frequency, temperature, amperage, and dimensionless numbers in terms of sets or ratios – there is an universal distribution of certain positions and zones which have a special meaning and a potential physical effect, e.g. a high or low resonance or oscillation capability. On the logarithmic scale this universal distribution is called the Fundamental Fractal (FF), see example below and examples on [pages 148, 150, 152, 153, 155, and 158](#). If, which and how many of these positions and zones actually unfold their corresponding effects depends on the details of the specific system or process and on external conditions.

FF example: Simplified sketch of a section of the **Fundamental Temperature Fractal**: Spectrum of discrete values on the so-called level n_0 on the logarithmic z -axis and linear T -axis whereby T is any temperature and $T_p = m_p c^2 / k = 1.0888 \times 10^{13}$ K, the so-called proton temperature, an assumed (universal) calibration unit for temperatures:



Global Scaling - More about the Fundamental Fractal (on the level n_0 and n_1)

The Fundamental Fractal is an universal distribution or pattern of certain positions and zones which have - on every physical scale - a special meaning and a potential effect

Consider a logarithmic scale: $z = \ln \frac{x}{x_c}$

x = physical quantity or dimensionless number (ratio or set) under consideration

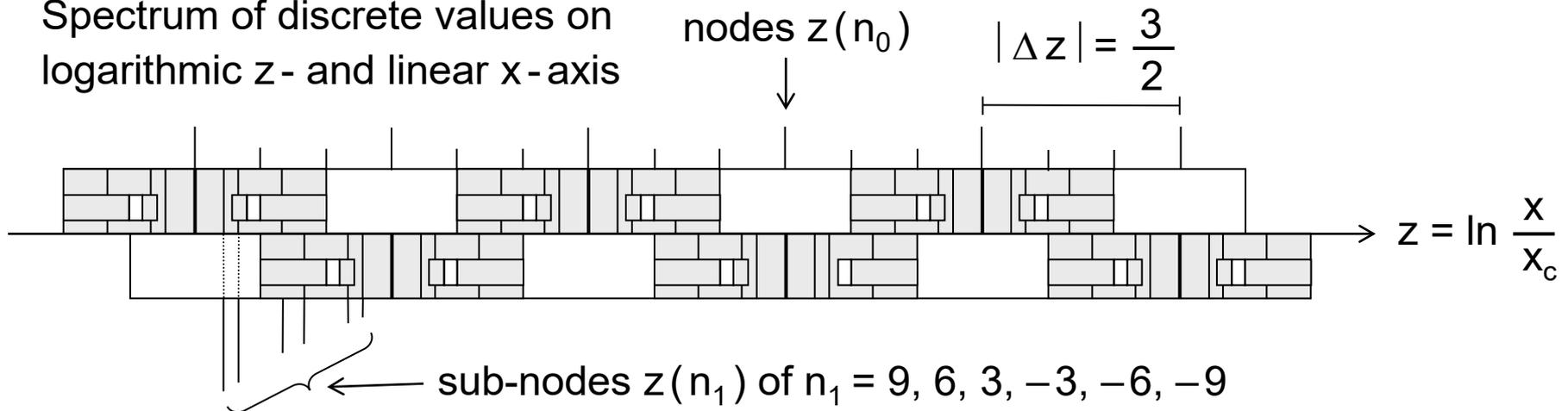
x_c = calibration unit of the considered physical scale

The positions of so-called nodes and sub-nodes – one of their potential effects is a high resonance or oscillation capability – are generated by a special continued fraction:

$$z = \ln \frac{x}{x_c} = \frac{3n_0}{2} + \frac{2}{n_1 + \frac{2}{n_2 + \dots}}$$

$n_0 = \pm k \quad n_1 = \pm 3j \quad k, j = 0, 1, 2, 3 \dots$
range of nodes and sub-nodes: $n_0 \pm 1, n_1 \pm 1$

Spectrum of discrete values on logarithmic z - and linear x -axis



Global Scaling – Miscellaneous notes

- The continued fraction which is presented on the previous page comprises a striking presence of the number 3, i.e. Global Scaling implies a marked presence of the number 3
- Global Scaling phenomena are mainly a feature of complex and open systems or processes and are less or not at all apparent in “simple and isolated“ systems or processes
- Global Scaling may allow an access to complex tasks / problems / systems and may be applied in many areas such as engineering, physics, biology, (holistic) medicine, architecture, economy, optimization, prognosis ...
- A Global Scaling analysis of an existing system or process may lead to a deepened understanding of its specific parameters, features and behavior

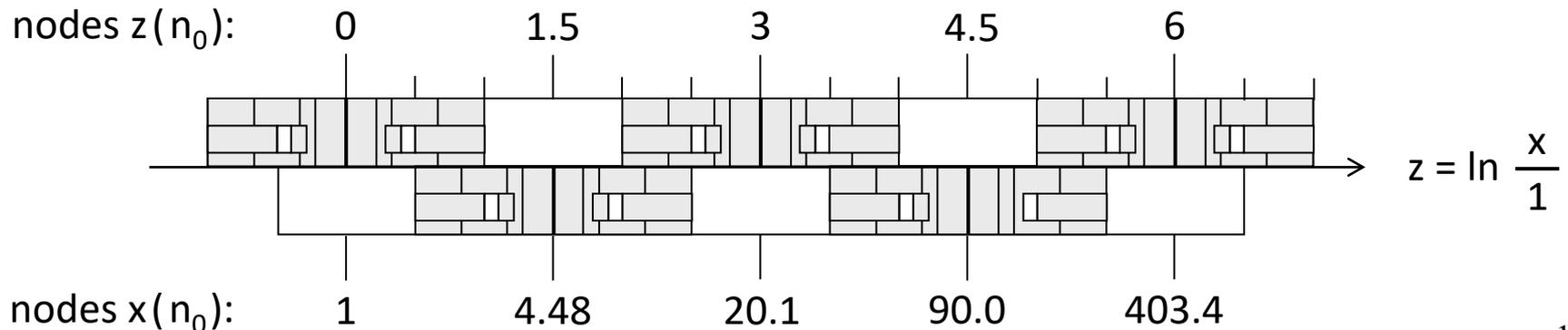
Global Scaling – How it can be applied

Brief description of an approach when Global Scaling is applied with respect to the consideration or modification of an existing system or the creation of a new system:

If Global Scaling is assumed to be relevant for the corresponding task / process / system, then consider the positions of its associated physical quantities and numbers in the corresponding Fundamental Fractal(s) (FF) → Identify the adjustable and non-adjustable quantities or parameters of the corresponding task / process / system → To obtain a certain desirable result it is necessary to get an idea, hypothesis or intuition at which positions in the Fundamental Fractal(s) (FF) the adjustable quantities or parameters have to be placed

Note: For any task or question in which Global Scaling is applied, “conventional“ knowledge, experiences, results and ideas play an equal role

FF example: Simplified sketch of a section of the **Fundamental Number Fractal** on the level n_0 (number in terms of set or ratio), i.e. a spectrum of discrete values on the logarithmic z -axis and linear x -axis ($x = \text{number}$, $1 = \text{assumed calibration unit}$):



3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

3.1 The chemical element Nb (niobium)

3.2 The tripartition of the chemical elements

3.3 Global Scaling – A holistic approach in science

3.3.1 Introduction into Global Scaling

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3.3.3 A potential view of the transition temperatures T_c of superconductors

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3.3.5 Examples of open questions

Global Scaling - A section of the Fundamental Time Fractal on the level n_0

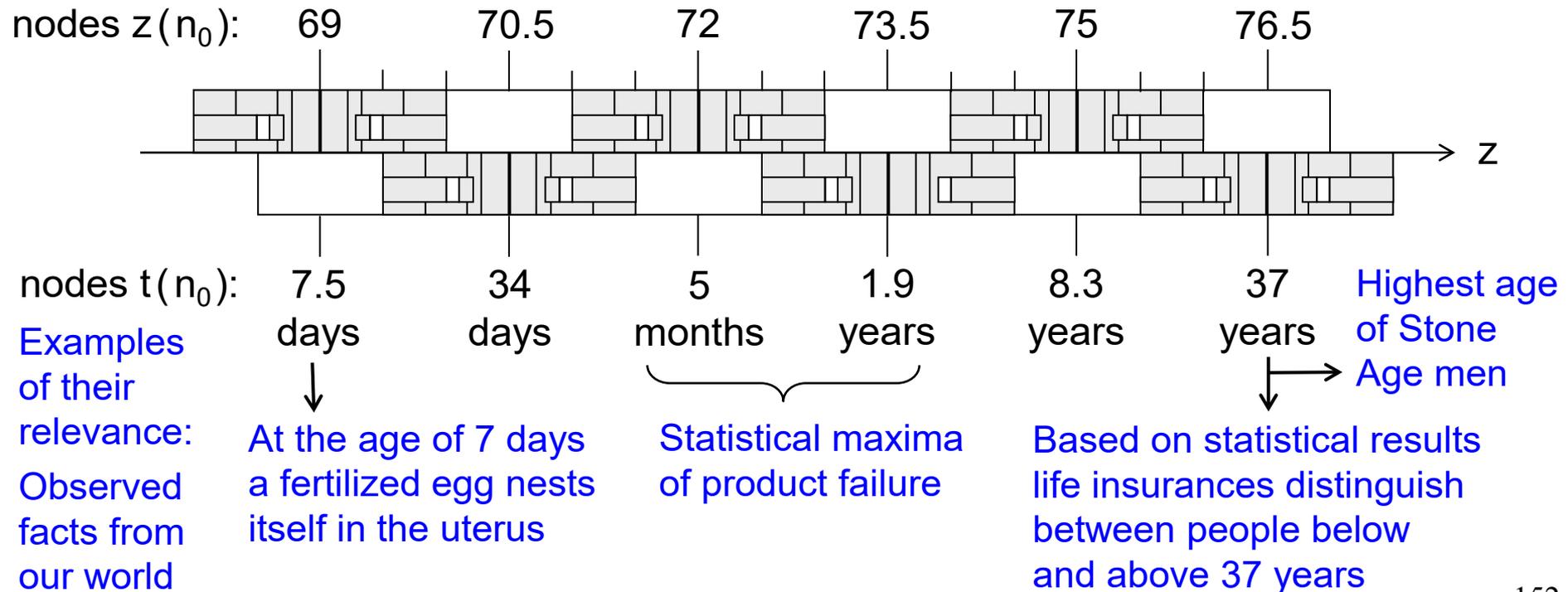
$$z = \ln \frac{t}{\tau_p} = \frac{3n_0}{2} \quad n_0 = 0, \pm 1, \pm 2, \pm 3 \dots$$

t = time, e.g. elapsed time after the creation of an object or birth of a human being

$\tau_p = 1 / f_p = \lambda_p / c = 7.01515 \times 10^{-25}$ s = assumed (universal) calibration unit for the time

f_p = proton frequency, $\lambda_p = h / (2\pi c m_p)$ = reduced Compton wave length of the proton

Node positions $z(n_0)$ or $t(n_0)$ in the time fractal mark with high probability important points of change in the course of a process, independent of its nature



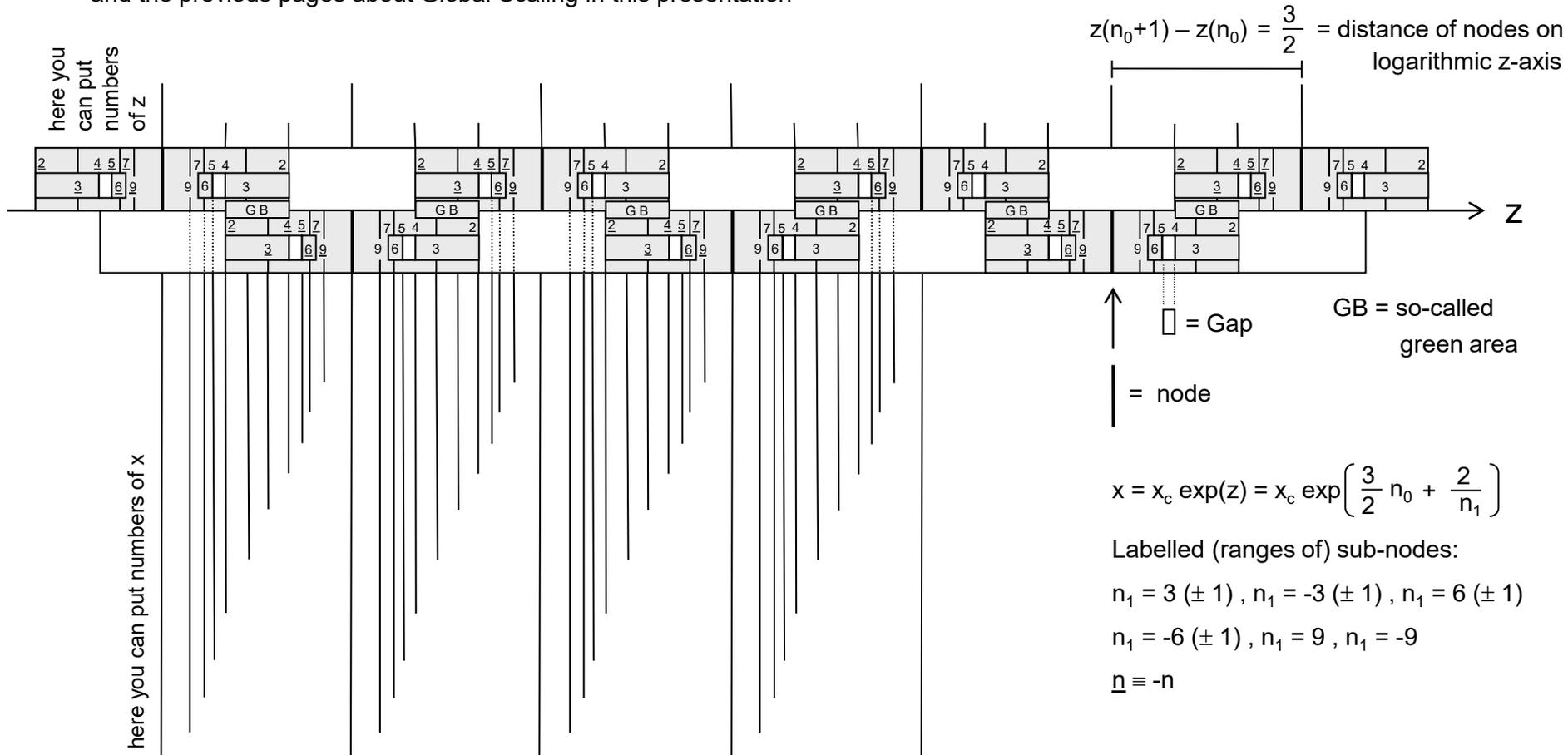
Global Scaling - A representation or template of the Fundamental Fractal on level n_0 and n_1

$$z = \ln \frac{x}{x_c} = \frac{3}{2} n_0 + \frac{2}{n_1 + \frac{2}{n_2 + \dots}} \quad n_0 = \pm k \quad n_1 = \pm 3j \quad k, j = 0, 1, 2, 3 \dots$$

so-called nodes: $n_0, z(n_0), x(n_0)$
 so-called sub-nodes: $n_1, z(n_1), x(n_1)$

x = physical quantity or number (ratio or set) under consideration x_c = calibration unit of the considered physical scale such as length

For further information see https://www.novam-research.com/resources/Global-Scaling_Introduction_V-2-dot-0_March-2009.pdf (in English) or https://www.novam-research.com/resources/Global-Scaling_Einfuehrung_V-2-dot-0_Maerz-2009.pdf (in German) and the previous pages about Global Scaling in this presentation



3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

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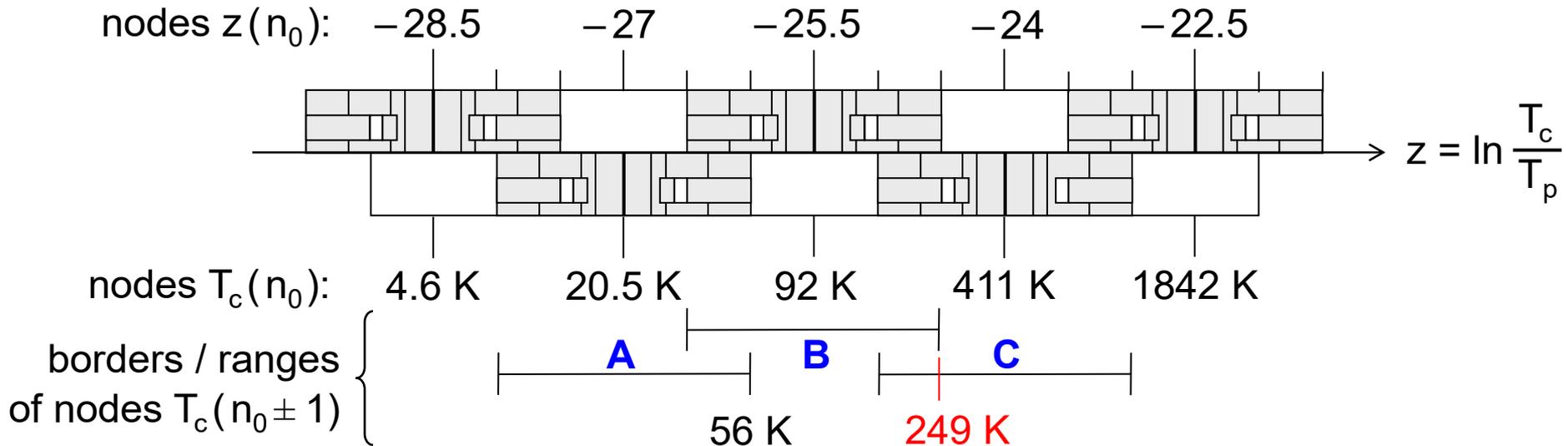
3.3.5 Examples of open questions

Global Scaling - A section of the Fundamental Temperature Fractal on the level n_0 and a potential view of the (distribution of) transition temperatures of superconductors

$$z = \ln \frac{T_c}{T_p} = \frac{3n_0}{2} \quad n_0 = 0, \pm 1, \pm 2, \pm 3 \dots, T_c = \text{transition temperature [K]}, T_p = m_p c^2 / k = 1.08882 \times 10^{13} \text{ K} = \text{assumed calibration unit for temperatures}$$

Node positions $z(n_0)$ or $T_c(n_0)$: High probability of tendency change, event attractor

Borders $z(n_0 \pm 1)$ or $T_c(n_0 \pm 1)$ of nodes: **Development limit**



A: Classical superconductors such as Nb_3Ge or MgB_2 , typical (max.) T_c 's ≈ 20 (40) K

B: High- T_c superconductors based on Cu and O such as $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$, typical T_c 's about 100 K. **Also reports of indications for $T_c \approx 240$ K but unverified because difficult to reproduce: 249 K upper T_c limit of Cu-O-based superconductors ?**

C: T_c 's of next generation superconductors ? Typical T_c 's about 400 K ?

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

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Global Scaling and the search for room temperature superconductors

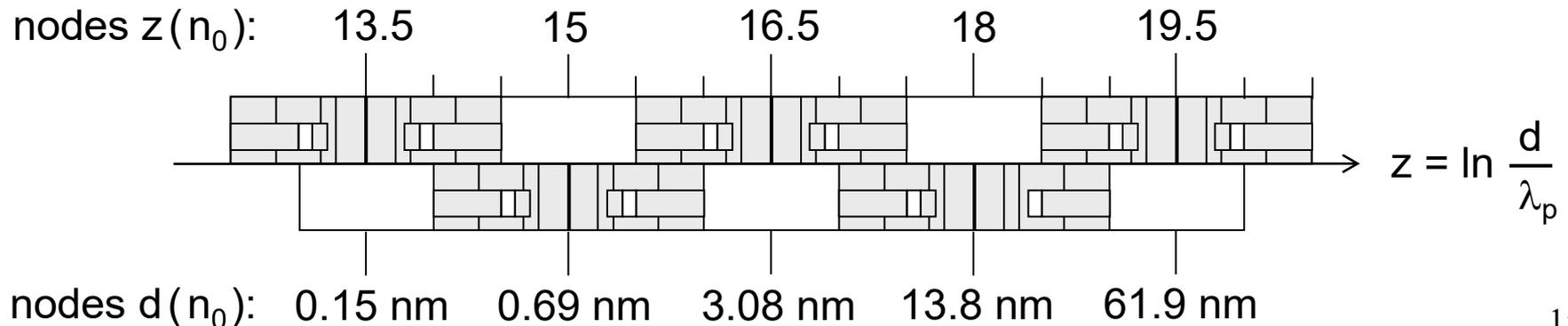
Hypothesis: Superconductivity at room temperature can be achieved by a resonance-like interaction between an everywhere present background field and a special material with an appropriate crystal structure and chemical composition

On the following page we present a brief outline of an useful appearing approach how Global Scaling can be used to isolate chemical compositions and crystal structure types which potentially favor the creation of superconductivity at room temperature ...

Global Scaling and the search for room temperature superconductors

Brief description of an useful appearing approach: Prepare such materials whose readily accessible material parameters are located at special positions in the Fundamental Fractal (FF), see example below and examples on [pages 147, 148, 150, 152, 153, and 155](#). For example, this could mean that some material parameters are placed at positions with a potentially high resonance or oscillation capability, whereas others are placed at positions with a potentially low resonance or oscillation capability. Examples of readily accessible material parameters are the number and mass of atoms in the crystallographic unit cell, the lattice parameters and the chemical composition. This approach may lead to a significant reduction of the number of useful appearing chemical compositions. Nevertheless, there are still many possibilities because there are various conceivable configurations of material parameters in the Fundamental Fractals which could favor the creation of room temperature superconductivity.

FF example: Simplified sketch of a section of the **Fundamental Length Fractal**: Spectrum of discrete values on the level n_0 on the logarithmic z -axis and linear d -axis whereby d is any length and $\lambda_p = h / (2 \pi c m_p) = 2.10309 \times 10^{-16} \text{ m}$, the so-called reduced Compton wave length of the proton, an assumed (universal) calibration unit for lengths:



Global Scaling and the search for room temperature superconductors

A tripartition of the chemical elements and associated hypotheses and observations are presented in [part 3.2](#) and Ref. [3]. The tripartition of the chemical elements was first derived by Global Scaling and later also another way of its derivation was found. The tripartition of the chemical elements and associated hypotheses can be used to obtain a selection or set of specific chemical elements which favor or enable the occurrence of superconductivity at room temperature. For further information see [part 3.2](#) and Ref. [3]

-
- [3] The tripartition of the chemical elements: Observations, considerations and hypotheses about the chemical elements and the number 3:
<https://novam-research.com/resources/Chem-elements-and-number-3.pdf>

Global Scaling and the search for room temperature superconductors

Notes:

- For any task or question in which Global Scaling is applied, “conventional“ knowledge, experiences, results and ideas play an equal role
- Global Scaling may also be applied to the search for room temperature superconductors among non-oxide materials such as organic conductors or metal-hydrogen compounds

3 Extended / advanced / unconventional hypotheses and approaches concerning the search for room temperature superconductors

3.1 The chemical element Nb (niobium)

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3.3 Global Scaling – A holistic approach in science

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3.3.5 Examples of open questions

Global Scaling – Examples of open questions

The following examples of open questions should be considered with respect to the following papers:

- [4] https://www.novam-research.com/resources/Global-Scaling_Einfuehrung_V-2-dot-0_Maerz-2009.pdf
(in German, 1 MB pdf, 25 pages)
- [5] https://www.novam-research.com/resources/Global-Scaling_Introduction_V-2-dot-0_March-2009.pdf
(in English, 1 MB pdf, 23 pages)

The papers [4] and [5] comprise for the Fundamental Fractal a list with calibration units which are mainly related to the properties of the proton

Further information about Global Scaling:

- Global Scaling website <https://www.interscalar.com>
- A Global Scaling book from Hartmut Mueller (2018, New Heritage Publishers, ISBN 978-0-9981894-0-6) can be downloaded as pdf free of charge via the following link (file size 11 MB): <http://www.ptep-online.com/books/muller2018.pdf>
- Various information, links, and papers are listed in <https://novam-research.com/global-scaling.php>

Global Scaling – Examples of open questions

- Does the Fundamental Fractal describe the (potential) effects of an everywhere present background field in an appropriate way and how universal is it ?
- Are the presently assumed calibration units appropriate and how universal are they ?

Appropriate means if the Fundamental Fractal and the calibration units reflect or describe most appropriately the observed features of systems and processes in nature, biology, physics, universe, workable and reliable technology ...

- Is it possible to derive the Fundamental Fractal and the calibration units from a physical theory such as a specific type of unified field theory ?

Global Scaling – Examples of open questions

About the calibration units

If the concept of the Fundamental Fractal and associated calibration units is basically correct, then the calibration units are specified by the underlying physics of the so-called empty space, vacuum, or ether and its inherent oscillations. Then it can be assumed that the calibration units are readable from some features of phenomena or physical appearances in nature and the universe, e.g. from something that is predominant and stable. The proton is a very stable elementary particle and the mass of the atoms is mainly given by the mass of the protons (the proton mass is 1836 times greater than that of the electron). The presently assumed calibration units are mainly quantities which are associated with the proton. For example, for masses the assumed (universal) calibration unit is the proton mass $m_p = 1.67262 \times 10^{-27}$ kg, for temperatures the assumed (universal) calibration unit is the so-called proton temperature $T_p = m_p c^2 / k = 1.0888 \times 10^{13}$ K, and for lengths the assumed (universal) calibration unit is $\lambda_p = h / (2 \pi c m_p) = 2.10309 \times 10^{-16}$ m which is the so-called reduced Compton wave length * of the proton.

Why just the reduced Compton wave length of the proton and not

$h / (c m_p) = 1.32141 \times 10^{-15}$ m which is the usual Compton wave length of the proton ?

Why the Compton wave length at all and not, for example, the radius or diameter of the proton ? The electric charge radius of the proton was determined to 8.41×10^{-16} m, see e.g. <https://www.psi.ch/en/media/our-research/proton-size-puzzle-reinforced> . In comparison to masses, a well-defined and useful appearing calibration unit for lengths seems to be less obvious

* The Compton wave length of a particle with rest mass m corresponds to the wave length of a photon whose energy is equal to the energy $m c^2$ of the rest mass m

Global Scaling – Examples of open questions

About the calibration unit for angular momentum and spin

The angular momentum \mathbf{L} of a rigid body is defined by $\mathbf{L} = I\boldsymbol{\omega}$ whereby I is the moment of inertia tensor and $\boldsymbol{\omega}$ the angular velocity of the body. The angular momentum \mathbf{L} of a particle is defined by the vector product $\mathbf{L} = \mathbf{r} \times \mathbf{p}$ whereby \mathbf{r} is the position vector of the particle and $\mathbf{p} = m\mathbf{v}$ is the momentum of the particle with mass m and velocity \mathbf{v} . The intrinsic angular momentum of elementary particles such as the proton or electron is called spin. The physical unit of the angular momentum and spin is mass length² / time such as kg m² / s.

When looking at the calibration units which are presented in Refs. [4] and [5] on [page 162](#), then it appears suggestive to obtain a calibration unit for the angular momentum and spin, L_p , in the following way:

$$L_p = m_p \lambda_p^2 / \tau_p = h / 2\pi = \hbar = \text{reduced Planck constant} = 1.05457 \times 10^{-34} \text{ kg m}^2 / \text{s}$$

whereby m_p is the proton mass, $\lambda_p = h / (2\pi c m_p)$ the so-called reduced Compton wave length of the proton, and $\tau_p = \lambda_p / c = h / (2\pi c^2 m_p)$ the “proton time“.

On the other hand, it is known that the proton is a spin 1/2 particle, i.e. its spin S_p is

$$S_p = \hbar / 2 = 5.27286 \times 10^{-35} \text{ kg m}^2 / \text{s}$$

Is L_p or S_p an appropriate calibration unit for the spin and the angular momentum ?

We suggest to consider S_p as an appropriate calibration unit because it reflects the actual spin of the proton

Global Scaling – Examples of open questions

About the calibration unit for magnetic moments

The physical unit of the magnetic moment is energy / magnetic flux density such as J / T whereby $1 \text{ J} = 1 \text{ kg m}^2 / \text{s}^2$ and $1 \text{ T (Tesla)} = 1 \text{ kg A}^{-1} \text{ s}^{-2}$. The latter reflects the physical unit of the magnetic flux density, namely mass current⁻¹ time⁻²

When looking at the calibration units which are presented in Refs. [4] and [5] on [page 162](#), then it appears suggestive to obtain a calibration unit for the magnetic moment, ν_p , in the following way:

$$\nu_p = E_p / (m_p I_p^{-1} \tau_p^{-2}) = e \hbar / m_p = 1.01016 \times 10^{-26} \text{ J / T}$$

whereby $E_p = m_p c^2$ is the proton energy, m_p the proton mass, $I_p = e / \tau_p$ the “proton current“, $\tau_p = \lambda_p / c = h / (2 \pi c^2 m_p)$ the “proton time“, and $e = 1.602176 \times 10^{-19} \text{ A s}$ the elementary charge.

On the other hand, the experimentally determined magnetic moment of the proton, μ_p , is

$$\mu_p = 1.410607 \times 10^{-26} \text{ J / T}$$

Is ν_p or μ_p an appropriate calibration unit for the magnetic moment ? We suggest to consider μ_p as an appropriate calibration unit because it reflects the actual magnetic moment of the proton

Global Scaling – Examples of open questions

About the calibration unit for magnetic fields

The physical unit of the magnetic field or magnetic flux density is mass current⁻¹ time⁻² such as kg A⁻¹ s⁻² = T (Tesla)

When looking at the calibration units which are presented in Refs. [4] and [5] on [page 162](#), then it appears suggestive to obtain a calibration unit for the magnetic field, b_p , in the following way:

$$b_p = m_p I_p^{-1} \tau_p^{-2} = m_p^2 c^2 / (e \hbar) = 1.48816 \times 10^{16} \text{ T}$$

whereby $c = 299792458 \text{ m / s}$ is the speed of light. The other quantities are defined on the previous pages.

- Is the quantity b_p really an appropriate calibration unit for the magnetic field ?
- Is it possible to obtain another calibration unit for the magnetic field, for example via $\mu_p = 1.410607 \times 10^{-26} \text{ J / T}$ which is the experimentally determined magnetic moment of the proton ?

Global Scaling – Examples of open questions

About the calibration units

The following properties of the proton represent well-defined and experimentally determined quantities and therefore it seems to be obvious to consider them as well-defined and useful appearing calibration units for the corresponding physical scale:

- Proton mass: $m_p = 1.67262 \times 10^{-27} \text{ kg}$
- Electric charge of the proton (elementary charge): $e = 1.602176 \times 10^{-19} \text{ A s}$
- Spin (intrinsic angular momentum) of the proton:
 $S_p = \hbar / 2 = 5.27286 \times 10^{-35} \text{ J s}$
- Magnetic moment of the proton: $\mu_p = 1.410607 \times 10^{-26} \text{ J / T}$
- Rest mass energy of the proton: $E_p = m_p c^2 = 1.503276 \times 10^{-10} \text{ J}$

All other calibration units which are presented on the previous pages and in Refs. [4] and [5] on [page 162](#) appear as “constructed” values that raise the following questions:

- Are they really appropriate calibration units ? When we consider e.g. The Fundamental Time Fractal on [page 152](#) , then the assumed calibration unit for the time, the “proton time“ $\tau_p = h / (2 \pi c^2 m_p)$, seems to be appropriate because the corresponding values in the Fundamental Fractal reflect observed facts from our world
- Is there a clear explanation why τ_p and other “constructed“ calibration units are appropriate ?
- Is there perhaps a way to derive another and useful appearing calibration units from the above-mentioned, well-defined and experimentally determined quantities ?

Global Scaling – Examples of open questions

The electron as a potential provider of another set of calibration units

On the logarithmic z-axis the basic unit of The Fundamental Fractal repeats when z is displaced by $3k/2 = 1.5k$ whereby $k = 0, \pm 1, \pm 2, \pm 3 \dots$. Thus, if we neglect the absolute position on the logarithmic z-axis, then a calibration unit x_c is equivalent to the following calibration units:

$$x_c(k) = x_c \exp(1.5k) \text{ whereby } k = 0, \pm 1, \pm 2, \pm 3 \dots$$

It is well-known that the proton mass m_p is about 1836 times greater than the electron mass m_e :

$$m_p = 1836.15 m_e = e^{7.515} m_e = m_e \exp(1.5 \times 5 + 0.015) !$$

Thus, if the proton mass m_p and the electron mass m_e are considered as useful appearing calibration units, then both generate almost the same positions within the basic unit of The Fundamental Fractal. On the logarithmic z-axis they differ only by $0.015 = 1.5\%$, in fact not only for masses but also on other physical scales when the associated calibration unit is a “constructed” quantity which comprises a mass such as the proton mass m_p in the numerator or denominator, see previous pages and Refs. [4] and [5] on [page 162](#). Is the electron mass m_e or the proton mass m_p the more appropriate calibration unit? A detailed study is necessary to answer this question

4 Another extended / advanced / unconventional concepts in the context of superconductivity

4.1 Application of superconductivity in the area of entirely novel energy technologies

4.1.1 The cryogenic magnet motor of Walter Thurner

4.2 Superconductivity and ECE Theory

4 Another extended / advanced / unconventional concepts in the context of superconductivity

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4.2 Superconductivity and ECE Theory

Superconductivity – Applications in the area of entirely novel energy technologies

Entirely novel energy technologies extract usable energy from an everywhere present space energy / space-time energy / vacuum energy / ether energy, see e.g. <https://novam-research.com> and <https://novam-research.com/resources/information-document.pdf>

Special configurations of physical fields such as magnetic, electric or gravitational fields allow the construction of self-running devices which can generate permanently usable energy by tapping the everywhere present space energy / space-time energy / vacuum energy / ether energy, see e.g. the above-mentioned links.

Magnetic fields are e.g. generated by permanent magnets or electromagnets but they can also be created by superconductors / superconducting coils / superconducting magnets. Therefore superconductors have an application potential in the area of entirely novel energy technologies. See for example section 5.1 in a paper from Prof. C. W. Turtur about the conversion of vacuum energy into mechanical energy, published in May 2009 in The General Science Journal: <https://www.gsjournal.net/Science-Journals/Research%20Papers/View/2108> and <https://www.gsjournal.net/Science-Journals/Research%20Papers-Quantum%20Theory%20/%20Particle%20Physics/Download/2108>

Superconductivity – Applications in the area of entirely novel energy technologies

Experimental observation by several researchers and inventors:

A special geometrical array of permanent magnets results in an self-running acceleration of a magnetic slide or rotor

Example: The cryogenic magneti motor of Walter Thurner

It comprises a circular array of permanant magnets and a slide in form of a mechanical rotor. The array of permanent magnets is at some positions interrupted by diamagnets which are realized by high- T_c superconductors that require a cooling by liquid nitrogen (superconductors are strong or ideal diamagnets). In case of an appropriate construction there is a permanent acceleration of the rotor. For a workable system, which represents an entirely novel energy or propulsion technology, it is necessary to develop a control system which limits the acceleration and speed. The cryogenic magneti motor of Walter Thurner is presented on the following pages ...

4 Another extended / advanced / unconventional concepts in the context of superconductivity

4.1 Application of superconductivity in the area of entirely novel energy technologies

4.1.1 The cryogenic magnet motor of Walter Thurner

4.2 Superconductivity and ECE Theory

The cryogenic magnet motor of the German engineer and inventor Walter Thurner is a nice example of a self-running system because its operation principle is published and comprehensible at the macroscopic scale. It can be understood just by considering the acting forces which operate in its design

Walter Thurner died on 12 February 2021 and meanwhile his former German-language website www.walter-thurner.de no longer exists and his former German-language pdf document www.walter-thurner.de/magnet.pdf is no longer available via his former website. However, his original pdf document is still available via https://novam-research.com/resources/Walter-Thurner_Kryo-Magnet-Motor.pdf . The author of this presentation thanks Walter Thurner for his remarkable work and his former pdf document whose essential parts are presented in English on the following pages. A German-language obituary is published on pages 63 and 64 in the May / June 2021 issue of the German-language NET-Journal (www.borderlands.de/inet.jrnl.php3) (ISSN 1420-9292).

Another German-language article about Walter Thurner:

www.borderlands.de/net_pdf/NET0308S4-10 . This article is published on pages 4 - 10 in the March / April 2008 issue of the German-language NET-Journal. The cryogenic magnet motor is described on pages 8 and 9.

An example of an embodiment of Walter Thurner's idea is sketched on the following page in Fig. 1 and Fig. 2. His concept implies a linear or especially a circular array of magnets. One of such a magnet (1) is sketched in Fig. 1 and Fig. 2. Another magnet (3) is attached to a rod (4) which is connected with a shaft (5) so that the magnet (3) can move above (1). The sketched arrangement of the magnets (1) and (3) results in a motion of (3) towards the edge of (1). A repulsion arises between (3) and (1) when (3) approaches the edge of (1) and an attraction occurs when (3) goes away from (1). Thus at the edge of (1) the magnetic forces act against the direction of motion of (3). That corresponds to a conventional or conservative system without any self-running motion

Sketch of an example of an embodiment of Walter Thurner`s idea from https://novam-research.com/resources/Walter-Thurner_Kryo-Magnet-Motor.pdf (in German)

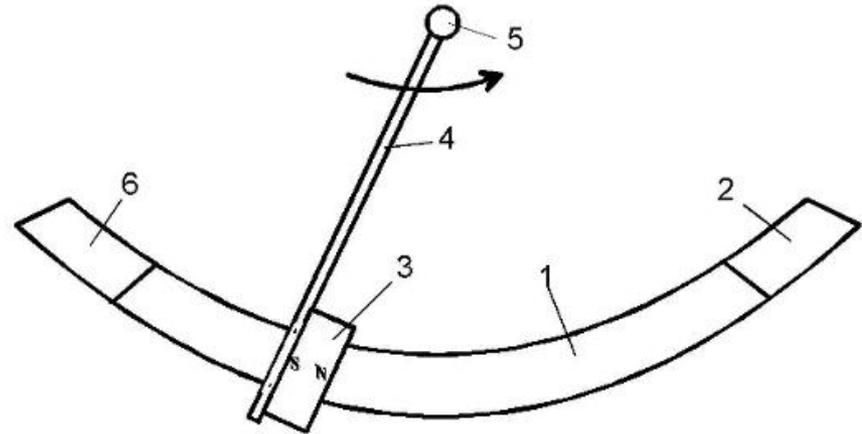


Fig. 1

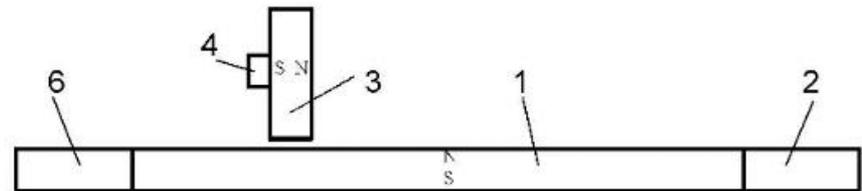


Fig. 2

Image from https://novam-research.com/resources/Walter-Thurner_Kryo-Magnet-Motor.pdf

Walter Thurner's concept enables a self-running motion of the movable magnet (3) because strong diamagnets (6,2) are placed at the edges of the magnet (1). The strong diamagnets (6,2) are realized by high- T_c superconductors such as $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ which is superconducting at the temperature of liquid nitrogen (77 K). Thus Walter Thurner's device requires a cooling by liquid nitrogen. The strong diamagnet, for example (2), generates an induced magnetic field whose direction is opposite to the external field of the magnets (1) and (3) and thus it attenuates / shields / modifies the magnetic fields / forces of and between (1) and (3) at the edge of (1). Therefore (3) can leave the edge of (1) in a non-decelerated way. If (3) approaches then the edge of another magnet of the type (1), then the strong diamagnet (6) attenuates or shields the repulsive force between (3) and (1) so that (3) crosses the edge of (1) in a non-decelerated manner. Thus a circular array of several units of the type (6)(1)(2) leads to a self-running and self-accelerating motion of the movable magnet (3) from one magnet (1) to another. An increase of the effect can be achieved when not only one but more movable magnets of the type (3) are used. For example, several magnets of the type (3) can be placed on or in a rotating disc. The self-running and self-accelerating motion implies a generation of usable energy. For example, the rotating shaft (5) can propel an electric generator

Important safety note: If the described device is constructed properly, then it is self-running and self-accelerating. Without appropriate measures the speed of rotation can increase continuously until the device does fly apart ! That is of course very dangerous and indeed it did happen with a constructed prototype ! Fortunately nobody was injured during that event. Pictures from components of the prototype before its self-destruction are shown on the right. The visible holes in the lower picture allow a supply of liquid nitrogen. A renewed construction of this device requires the development of appropriate measures which limit and control the speed of rotation !



Images from

https://novam-research.com/resources/Walter-Thurner_Kryo-Magnet-Motor.pdf



The cryogenic magnet motor of Walter Thurner represents a nice example of a self-running system which can generate usable energy. Its operation principle appears comprehensible. Once it is understood one has an idea how a self-running system can work concretely, at least at the macroscopic scale. Devising a self-running system by considering the existing macroscopic forces does not require to know the source of the generated energy. Nevertheless, it is of course an interesting question from where the generated energy comes from. The author of this presentation assumes that self-running devices imply at the subatomic level an extraction of usable energy from the everywhere present space energy, vacuum energy or ether energy via physical fields such as magnetic fields

4 Another extended / advanced / unconventional concepts in the context of superconductivity

4.1 Application of superconductivity in the area of entirely novel energy technologies

4.1.1 The cryogenic magnet motor of Walter Thurner

4.2 Superconductivity and ECE Theory

Superconductivity and ECE Theory

The hypothesis on [page 157](#) how superconductivity at room temperature may come about, namely

by a resonance-like interaction between an everywhere present background field and a special material with an appropriate crystal structure and chemical composition

seems to be supported by a statement from the so-called ECE Theory which is possibly related to the hypothesis above:

“... One of the important practical consequences is that a material can become a superconductor by absorption of the inhomogeneous and homogeneous currents of ECE space-time ...”

Cited from page 97 of the ECE uft paper No. 51

“ECE Generalization of the d’Alembert, Proca and Superconductivity Wave Equations: Electric Power from ECE Space-Time”

by M. W. Evans: www.aias.us/documents/uft/a51stpape.pdf

What is the ECE Theory ?

- ECE stands for Einstein, Cartan and Evans and represents an unified field theory which allows a common description of the electromagnetic, gravitational, weak and strong nuclear forces

- Developed by Prof. Myron W. Evans by starting from Albert Einstein's Theory of General Relativity and the mathematic research work of the mathematician Elie Cartan



Myron W.
Evans

- Some important statements:
 - Gravitation is related to curvature of space-time
 - Electromagnetism is related to torsion of space-time
 - Coupling between electromagnetism and gravitation
 - Extended electrodynamics with resonance phenomena via so-called spin connection \Rightarrow Possibility of extracting usable energy from space-time
- Comprehensive information about ECE Theory in the website www.aias.us
- For an introduction into the ECE Theory see an article by H. Eckardt and L. G. Felker: www.aias.us/documents/eceArticle/ECE-Article_EN.pdf

About the author
and
Closing words

About the author

- **Name:** Frank Lichtenberg
- Born **1962** in Bremen (Germany)
- **1983 – 1989:** Study of physics at the University of Heidelberg (Germany)
- **1989 – 1992:** Doctoral thesis in the division of Dr. J. Georg Bednorz at the IBM Zurich Research Laboratory (Switzerland). Doctorate / PhD at the University of Zurich in 1991.
Field of work: Synthesis of oxides - especially in crystalline form via the melt - and study of their physical and structural properties
- **1992 – 1997:** Research scientist in the nickel metal hydride technology department of Dr. Uwe Koehler at the research center of the battery company VARTA (Germany). Two months stay as guest scientist in Tokyo (Japan) at the TOSHIBA Battery Company within a collaboration between VARTA und TOSHIBA.
Field of work: Hydrogen storage alloys and nickel metal hydride batteries
- **1997 – 2007:** Research scientist in the department of Prof. Dr. Jochen Mannhart at the Institute of Physics of the University of Augsburg (Germany). **Field of work:** Setting up a new laboratory and synthesis of oxides - especially in crystalline form via the melt - and study of their physical and structural properties
- **2005:** Participation in an 13 - day course in Global Scaling lectured by Hartmut Mueller in Germany
- **2007 – 2010:** Freelance work, autonomous occupation with subjects in the area of physics and science. Creation of several presentations and papers and the website <https://novam-research.com> about entirely novel and environmentally friendly energy technologies and other new or little-known topics of science
- **Since 2011:** Research scientist in the division of Prof. Dr. Nicola Spaldin at the Department of Materials of the ETH Zurich (Switzerland). See [personal ETH webpage](#) and <https://theory.mat.ethz.ch/lab.html> .
Field of work: Setting up a new laboratory, synthesis of oxides - especially in crystalline form via the melt - and study of their physical and structural properties, and teaching.
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Closing words

An enjoyable evolution of mankind and earth does not come about solely by scientific and technological progress, but requires rather the development of spiritual qualities such as compassion, peace, dignity, freedom, tolerance, wisdom, ...

